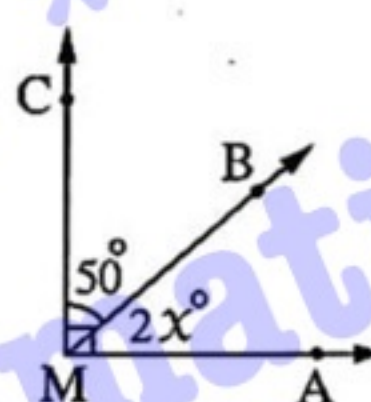




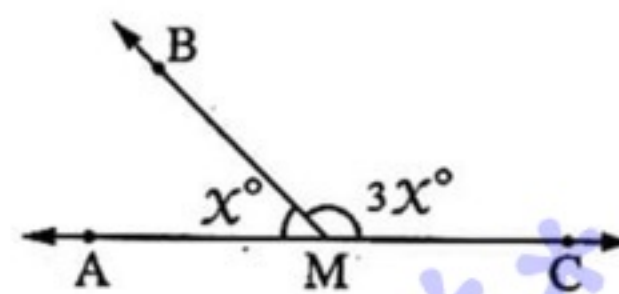
1	<p>1 Choose the correct answer from the given ones :</p> <p>The sum of the measures of the accumulative angles at a point equals</p> <p>(a) 90° (b) 180° (c) 270° (d) 360°</p>
2	<p>The right angle complements angle whose measure is</p> <p>(a) 0° (b) 45° (c) 90° (d) 180°</p>
3	<p>If \overleftrightarrow{AB} and \overleftrightarrow{CD} lie in the same plane and $\overleftrightarrow{AB} \cap \overleftrightarrow{CD} = \emptyset$, then \overleftrightarrow{AB} and \overleftrightarrow{CD} are</p> <p>(a) perpendicular. (b) intersecting. (c) coincident. (d) parallel.</p>
4	<p>If $\triangle ABC \equiv \triangle XYZ$ and $m(\angle A) + m(\angle C) = 100^\circ$, then $m(\angle Y) = \dots\dots\dots$</p> <p>(a) 120° (b) 100° (c) 80° (d) 60°</p>
5	<p>The angle of measure 48° complements an angle of measure</p> <p>(a) 42 (b) 132 (c) 52 (d) 112</p>
6	<p>If the ratio between two supplementary angles is 4 : 5, then the measure of the greater angle is</p> <p>(a) 80° (b) 100° (c) 120° (d) 150°</p>
7	<p>If the outer sides of two adjacent angles are on the same straight line, then the two angles are</p> <p>(a) parallel. (b) supplementary. (c) equal. (d) complementary.</p>
8	<p>The measure of each angle of two equal complementary angles is</p> <p>(a) 45° (b) 90° (c) 180° (d) 0°</p>
9	<p>Each two vertically opposite angles are</p> <p>(a) equal in measure (b) complementary (c) supplementary (d) adjacent</p>
10	<p>The two straight lines parallel to third straight line are</p> <p>(a) intersected. (b) perpendicular. (c) equal. (d) parallel.</p>



11	$\vec{AB} \subset \dots\dots\dots$ (a) \vec{AB} (b) \overline{AB} (c) \overrightarrow{BA} (d) AB
12	The angle of measure 120° is angle. (a) obtuse (b) right (c) acute (d) reflex
13	If $\triangle XYZ \equiv \triangle ABC$, then $XZ = \dots\dots\dots$ (a) BC (b) AB (c) AC (d) XY
14	The angle whose measure is 40° supplements an angle of measure (a) 50° (b) 140° (c) 40° (d) 180°
15	<p>In the opposite figure :</p> <p>The value of x equals</p> <p>(a) 20° (b) 90° (c) 40° (d) 60°</p> 
16	The two angles of measure 140° , 40° are (a) complementary. (b) supplementary. (c) adjacent. (d) reflex.
17	If $m(\angle A) = 54^\circ$ and $m(\angle B) = 36^\circ$, then A and B are angles. (a) congruent. (b) adjacent. (c) supplementary. (d) complementary.
18	The sum of the measures of two adjacent angles formed by straight line and ray is (a) 90° (b) 180° (c) 270° (d) 360°
19	The acute angle supplements an angle. (a) acute (b) obtuse (c) right (d) reflex
20	If $\angle A$ supplements $\angle B$ and $m(\angle A) = 2(m\angle B)$, then $m\angle B = \dots\dots\dots$ (a) 90° (b) 120° (c) 60° (d) 180°

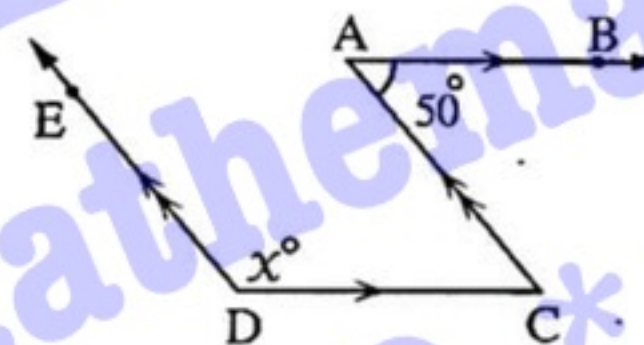


21	If $\triangle ABC \equiv \triangle XYZ$, and $m(\angle X) + m(\angle Z) = 140^\circ$, then $m(\angle B) = \dots\dots\dots$ (a) 140° (b) 220° (c) 120° (d) 40°
22	If $m(\angle A) = 150^\circ$, then $m(\text{reflex } \angle A) = \dots\dots\dots$ (a) 210° (b) 150° (c) 30° (d) 360°
23	The angle of measure 42° complements angle of measure $\dots\dots\dots$ (a) 42° (b) 138° (c) 48° (d) 318°
24	In the opposite figure : $\overrightarrow{AC} \cap \overrightarrow{MB} = \{M\}$, then $x = \dots\dots\dots$ (a) 45° (b) 90° (c) 60° (d) 30°
25	The sum of the measures of the accumulative 3 angles at a point $\dots\dots\dots$ the sum of the measures of the accumulative 5 angles at a point. (a) $<$ (b) $>$ (c) $=$ (d) \geq
26	If $m(\angle X) = 2m(\angle Y)$ and $\angle X$ complements $\angle Y$, then $m(\angle Y) = \dots\dots\dots$ (a) 60° (b) 30° (c) 90° (d) 120°
27	If the vertically opposite angles are complementary, then the measure of each one = $\dots\dots\dots$ (a) 45° (b) 50° (c) 90° (d) 180°
28	If $\overline{AB} \equiv \overline{CD}$ and $AB = 5 \text{ cm.}$, then $2AB - CD = \dots\dots\dots \text{ cm.}$ (a) 5 (b) zero (c) 15 (d) 10
29	If $\triangle ABC \equiv \triangle XYZ$, then $m(\angle ACB) = m(\angle \dots\dots\dots)$ (a) $\angle ZXY$ (b) $\angle XZY$ (c) $\angle XYZ$ (d) $\angle X$
30	The measure of the straight angle equals $\dots\dots\dots$ (a) 180° (b) 90° (c) 45° (d) 0°

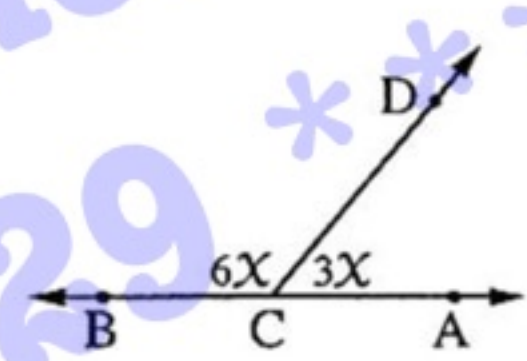




31	The angle of measure 46° vertically opposite to an angle whose measure is (a) 64° (b) 46° (c) 44° (d) 134°
32	If $\triangle ABC \equiv \triangle XYZ$ and $m(\angle C) = 50^\circ$, then $m(\angle \dots) = 50^\circ$ (a) X (b) Y (c) Z (d) M
33	If the two straight lines are parallel to a third straight line, then these two straight lines are (a) congruent. (b) intersecting. (c) perpendicular. (d) parallel.
34	The measure of the right angle is (a) 90° (b) 180° (c) 270° (d) 360°
35	In the opposite figure : the value of $x = \dots$ (a) 100° (b) 50° (c) 130° (d) 180°
36	If $\triangle ABC \equiv \triangle XYZ$, then $YZ = \dots$ (a) AB (b) BC (c) AC (d) XY
37	If the two adjacent angles are complementary, then their outer sides are (a) perpendicular. (b) coincident. (c) on the same straight line. (d) skew.
38	If $L_1 \parallel L_2$ and $L_1 \perp L_3$, then (a) $L_1 \perp L_2$ (b) $L_1 \parallel L_3$ (c) $L_2 \parallel L_3$ (d) $L_2 \perp L_3$





39	<p>If two straight lines are on the same plane and do not intersect , then they</p> <p>(a) skew. (b) perpendicular. (c) parallel. (d) congruent.</p>
40	<p>The two lines which are parallel to a third line are</p> <p>(a) perpendicular. (b) parallel. (c) equal. (d) intersect.</p>
41	<p>If $\triangle XYZ \equiv \triangle LMN$, $m(\angle X) = 60^\circ$ and $m(\angle N) = 70^\circ$, then $m(\angle Y) = \dots\dots\dots$</p> <p>(a) 50° (b) 60° (c) 70° (d) 130°</p>
42	<p>If $\overleftrightarrow{AB} \parallel \overleftrightarrow{XY}$, then $\overleftrightarrow{AB} \cap \overleftrightarrow{XY} = \dots\dots\dots$</p> <p>(a) $\{B\}$ (b) \overline{AX} (c) \emptyset (d) $\{Y\}$</p>
43	<p>The angle whose measure is more than 180° and less than 360° is called angle.</p> <p>(a) obtuse. (b) acute. (c) reflex. (d) straight.</p>
44	<p>In the opposite figure :</p> <p>If $\overleftrightarrow{AB} \cap \overleftrightarrow{CD} = \{C\}$, then $x = \dots\dots\dots$</p> <p>(a) 20° (b) 30° (c) 90° (d) 120°</p> 
45	<p>If $\angle A$, $\angle B$ are supplementary and $m(\angle A) = m(\angle B)$, then $m(\angle A) = \dots\dots\dots$</p> <p>(a) 45° (b) 60° (c) 90° (d) 180°</p>
46	<p>The sum of measures of the accumulative angles at a point =</p> <p>(a) 2 right angles. (b) 3 right angles. (c) 4 right angles. (d) 5 right angles.</p>
47	<p>If $\overline{AB} \equiv \overline{CD}$, then $AB = \dots\dots\dots$</p> <p>(a) \overline{CD} (b) \overline{CD} (c) CD (d) AD</p>



48

Complete the following :

If a straight line intersects two parallel straight lines ,
then : , ,

49

If two straight lines intersect , then each two vertically opposite angles are

50

If $\triangle ABC \equiv \triangle XYZ$, then $\overline{AC} \equiv$

51

If a straight line intersects two parallel straight lines , then every two alternate angles
are

52

If two straight lines intersect , then each two vertically opposite angles are

53

Two angles are congruent if they are

54

The two right-angled triangles are congruent if

55

A straight line that is perpendicular to one of two parallel lines is

56

If a straight line intersects two parallel straight lines , then each two corresponding
angles are

57

If two adjacent angles are supplementary angles , then their outer sides are

58

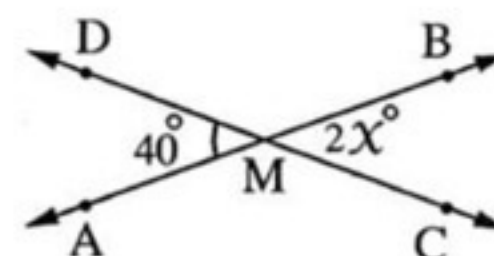
If $\overline{AB} \equiv \overline{CD}$, then $AB - CD =$

59

In the opposite figure :

$$\overleftrightarrow{AB} \cap \overleftrightarrow{CD} = \{M\}$$

, then $x =$ °



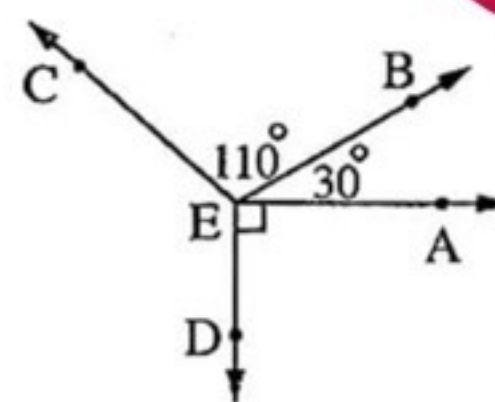
60

In the opposite figure :

$$m(\angle AEB) = 30^\circ,$$

$$m(\angle BEC) = 110^\circ, m(\angle AED) = 90^\circ$$

Find : $m(\angle CED)$



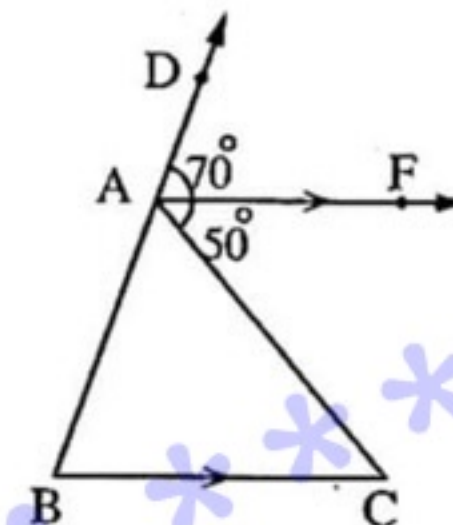
61

In the opposite figure :

$$\overrightarrow{AF} \parallel \overrightarrow{BC}, m(\angle DAF) = 70^\circ,$$

$$m(\angle FAC) = 50^\circ$$

Find : ① $m(\angle B)$ ② $m(\angle C)$



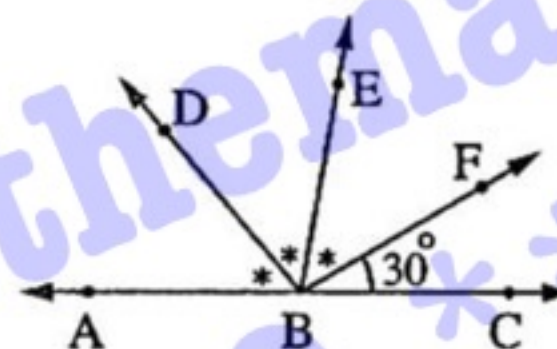
62

In the opposite figure :

$$B \in \overrightarrow{AC}, m(\angle FBC) = 30^\circ,$$

$$m(\angle ABD) = m(\angle DBE) = m(\angle EBF)$$

Find : $m(\angle ABE)$



63

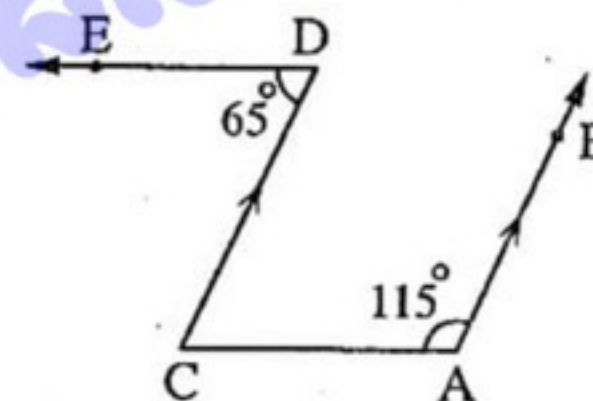
In the opposite figure :

$$\overrightarrow{AB} \parallel \overrightarrow{CD}$$

$$, m(\angle EDC) = 65^\circ$$

$$, m(\angle BAC) = 115^\circ$$

Is $\overrightarrow{AC} \parallel \overrightarrow{DE}$? Why ?



64

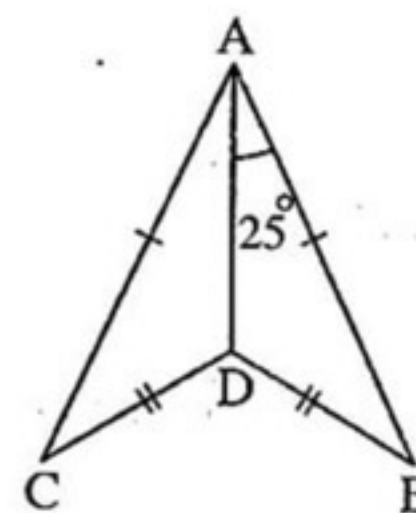
In the opposite figure :

$$AB = AC, BD = CD$$

$$, m(\angle BAD) = 25^\circ$$

Is $\triangle ADC \cong \triangle ADB$? Why ?

Then find : $m(\angle CAB)$



Geometry

Final revision

prep1

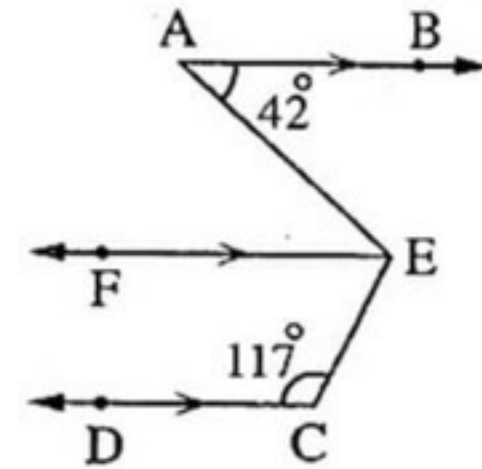
65

In the opposite figure :

$\overrightarrow{AB} \parallel \overrightarrow{CD} \parallel \overrightarrow{EF}$, $m(\angle BAE) = 42^\circ$,

and $m(\angle ECD) = 117^\circ$

Determine : $m(\angle AEC)$



66

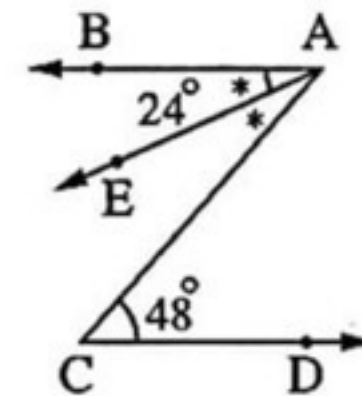
In the opposite figure :

\overrightarrow{AE} bisects $\angle BAC$, $m(\angle BAE) = 24^\circ$,

$m(\angle ACD) = 48^\circ$

(1) Find : $m(\angle BAC)$? (Give reasons).

(2) Is $\overrightarrow{AB} \parallel \overrightarrow{CD}$? Why ?



67

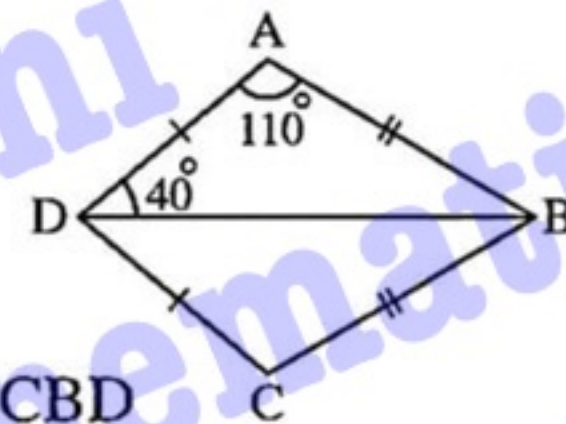
In the opposite figure :

$BA = BC$, $DA = DC$, $m(\angle A) = 110^\circ$

and $m(\angle ADB) = 40^\circ$

(1) Mention the reason of congruency of the two triangles ABD and CBD

(2) Find : $m(\angle ABC)$



68

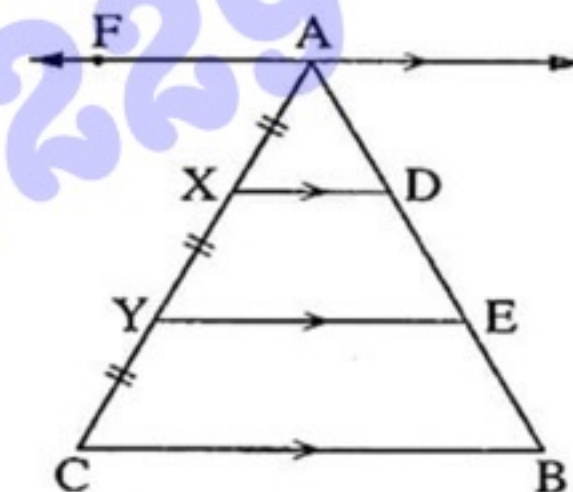
In the opposite figure :

$\overrightarrow{AF} \parallel \overrightarrow{DX} \parallel \overrightarrow{YE} \parallel \overrightarrow{CB}$,

$AX = XY = YC$

If $EB = 5$ cm.

Find : The length of \overrightarrow{AB}



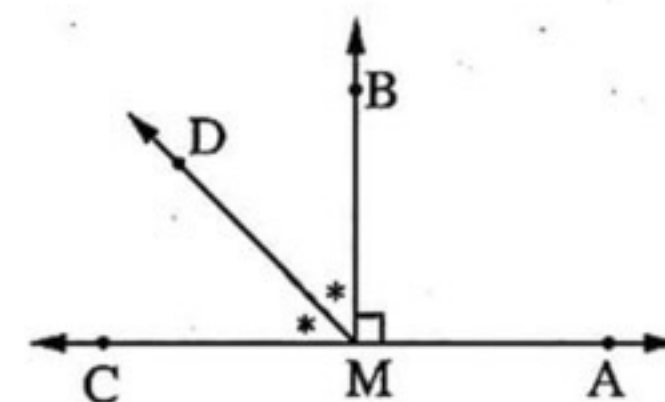
69

In the opposite figure :

$m(\angle AMB) = 90^\circ$,

\overrightarrow{MD} bisects $\angle BMC$, $M \in \overrightarrow{AC}$

Find : $m(\angle CMD)$



70

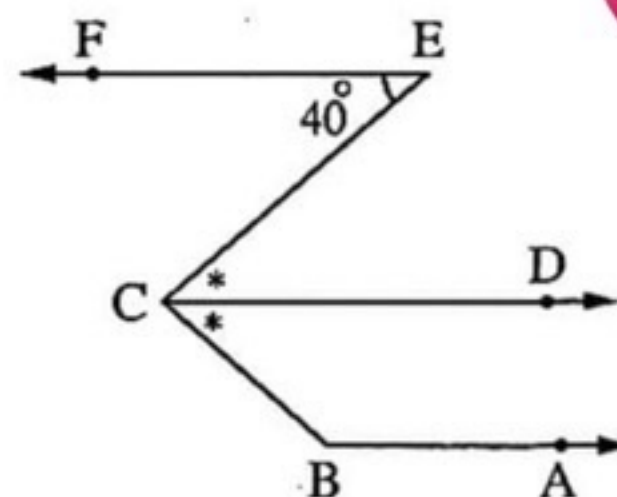
In the opposite figure :

$$\overrightarrow{BA} \parallel \overrightarrow{CD}, \overrightarrow{CD} \parallel \overrightarrow{EF},$$

\overrightarrow{CD} bisects $\angle BCE$,

$$m(\angle CEF) = 40^\circ$$

Find : $m(\angle B)$



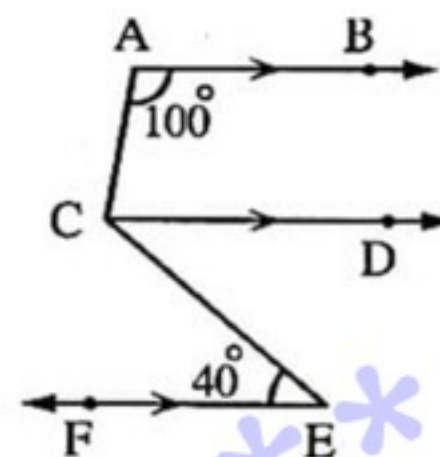
71

In the opposite figure :

$$\overrightarrow{AB} \parallel \overrightarrow{CD} \parallel \overrightarrow{EF},$$

$$m(\angle BAC) = 100^\circ \text{ and } m(\angle CEF) = 40^\circ$$

Find with giving reasons : $m(\angle ACE)$



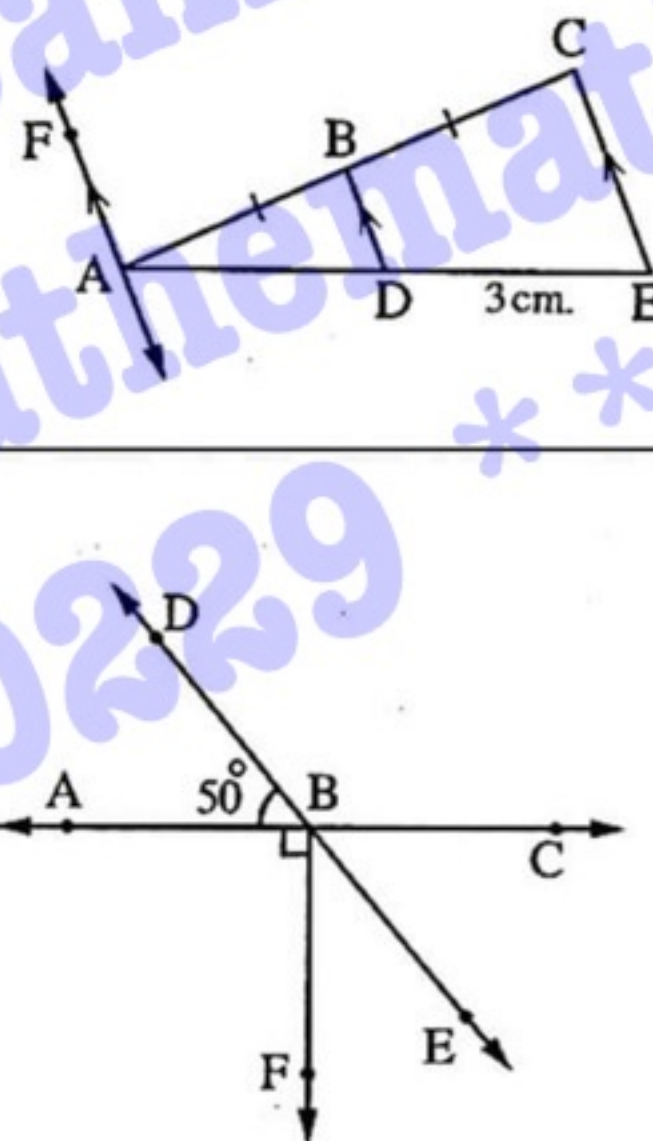
72

In the opposite figure :

$$\overrightarrow{AF} \parallel \overrightarrow{DB} \parallel \overrightarrow{EC},$$

$$AB = BC \text{ and } DE = 3 \text{ cm.}$$

Find : AE (Give reasons).



73

In the opposite figure :

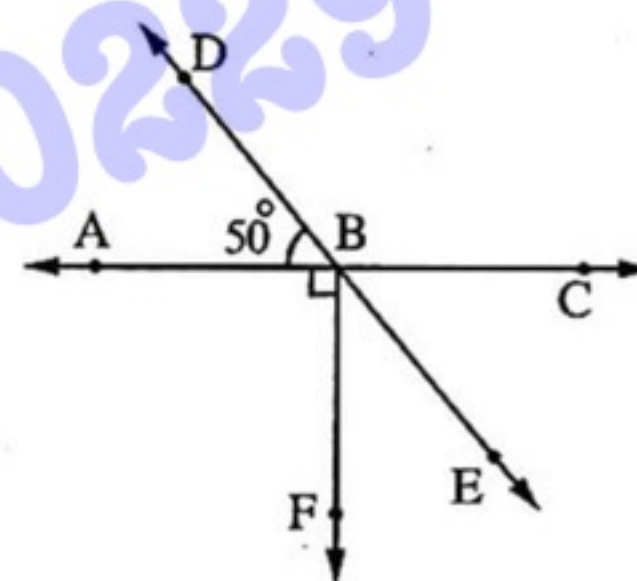
$$\overrightarrow{AC} \cap \overrightarrow{DE} = \{B\}, m(\angle ABD) = 50^\circ$$

$$\text{and } m(\angle ABF) = 90^\circ$$

Find with steps :

$$\textcircled{1} m(\angle EBC)$$

$$\textcircled{2} m(\angle DBC)$$



74

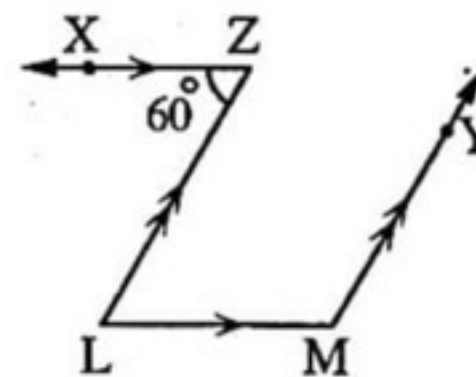
In the opposite figure :

$$\overrightarrow{ZX} \parallel \overrightarrow{LM}, \overrightarrow{LZ} \parallel \overrightarrow{MY}, m(\angle Z) = 60^\circ$$

Find :

$$\textcircled{1} m(\angle L)$$

$$\textcircled{2} m(\angle M)$$



75

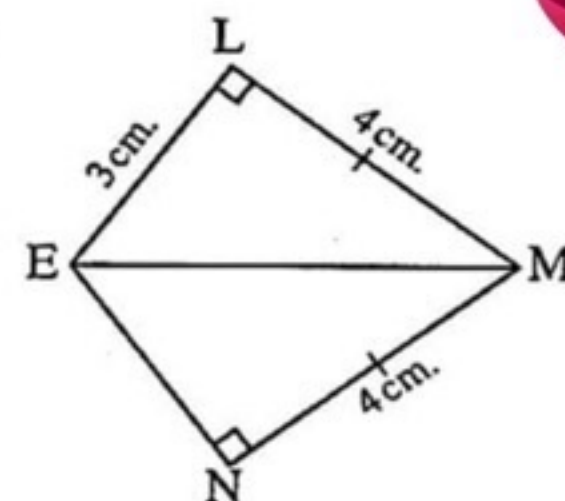
In the opposite figure :

$$m(\angle MLE) = m(\angle MNE) = 90^\circ ,$$

$$LM = MN = 4 \text{ cm. } , LE = 3 \text{ cm.}$$

① Prove that : $\triangle LME \cong \triangle NME$

② Find : the length of : \overline{NE}



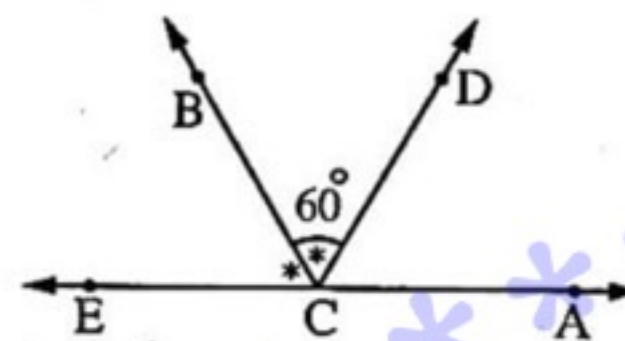
76

In the opposite figure :

$$C \in \overleftrightarrow{AE} , m(\angle BCD) = 60^\circ ,$$

\overrightarrow{CB} bisects $\angle DCE$

Find : $m(\angle ACD)$



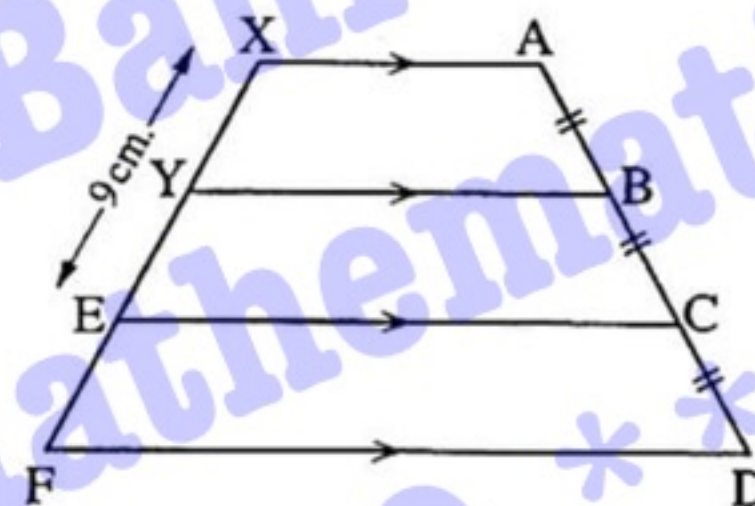
77

In the opposite figure :

$$\overline{AX} \parallel \overline{BY} \parallel \overline{CE} \parallel \overline{DF} ,$$

$$AB = BC = CD , XE = 9 \text{ cm.}$$

Find : the length of \overline{YF} (Give reasons)



78

Write three cases of congruency of two triangles.

78

Draw $\angle ABC$ of measure 125° , use the compasses to bisect it (Don't remove the arcs).

79

Using the ruler and the compasses , draw the line segment \overline{BC} with length 7 cm. , then draw the straight line L as an axis of symmetry of it. (Don't remove the arcs)

80

Using the ruler and the compasses , draw $\triangle ABC$ in which $AB = AC = 6 \text{ cm. } ,$

$BC = 5 \text{ cm.}$ Bisect $\angle B , \angle C$ by two bisectors which intersect at M

Prove by measuring that : $MB = MC$

(Don't remove the arcs)

Good luck

**(1) Complete each of the following.**

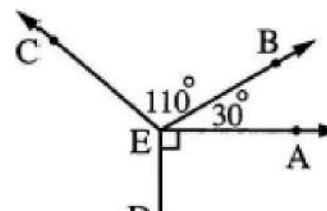
- 1) If two straight lines intersect, then each two vertically opposite angles are
- 2) The two right angled triangle are congruent if
- 3) The two angles are congruent if they are
- 4) The complement of the acute angle isangle
- 5) If the two adjacent angles are supplementary, then their two terminal sides are

6) If: $m(\angle B) = 160^\circ$, then $m(\text{reflex}\angle B) = \dots\dots\dots^\circ$

7) If: $\angle A$ supplements $\angle B$ and $\angle A = \angle B$, then $m(\angle B) = \dots\dots\dots^\circ$

8) In the opposite figure:

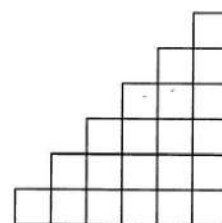
$m(\angle CED) = \dots\dots\dots^\circ$



9) In the opposite figure:

If the square \square represents the unit area, then:

the area of the figure = Unit area



10) The sum of measures of the accumulative angles at a point =

11) The two triangle are congruent if two sides andof one triangle congruent to the corresponding parts of the other triangle.

12) The two adjacent angles formed by a straight line and a ray with a starting point on this straight line are

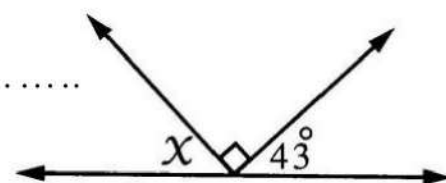
13) is the union of two rays with the same starting point.

14) If : $AB \equiv CD$, then : $AB - CD = \dots\dots\dots$





- 15) The sum of measures of the accumulative angles at a point =
- 16) The two triangle are congruent if two sides andof one triangle congruent to the corresponding parts of the other triangle.
- 17) The two adjacent angles formed by a straight line and a ray with a starting point on this straight line are
- 18)is the union of two rays with the same starting point.
- 19) If: $AB \equiv CD$, then: $AB - CD =$
- 20) If: $AB = LM$, $BC = MN$ and $m(\angle B) = m(\angle M)$, then the two triangles and are congruent.
- 21) If Z is the midpoint of XY, then: XY YZ
- 22) If the two outer sides of two adjacent angles are on the same straight line, then these two adjacent angles are
- 23) Two triangles are congruent if two angles and
- 24) The supplement of the obtuse angle isangle.
- 25) The complement of an angle of measure 43° equals $^\circ$
- 26) The straight line that is perpendicular to one of two parallel lines is
- 27) Two triangles are congruent if two angles
- 28) In the opposite figure: $X =$ $^\circ$





- 29) The number of triangles in
the opposite figure is



(2) Choose the correct answer.

- 1) The angle whose measure is more than 180° and less than 360° is called

.....

- a) Acute b) Obtuse c) Straight d) reflex

- 2) If the ratio between two supplementary angles is $7 : 11$, then the measure of the smaller angle is :

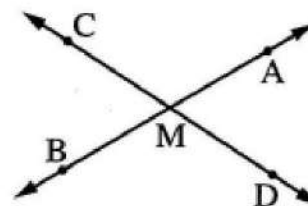
- a) 35° b) 55° c) 70° d) 110°

- 3) The sum of the measures of the accumulative angles at a point is

- a) 90° b) 180° c) 270° d) 360°

- 4) The two angles AMD, BMC are called:

- a) Vertically opposite angles b) Adjacent
c) Alternate d) corresponding



- 5) All of the following triangles are congruent except figure

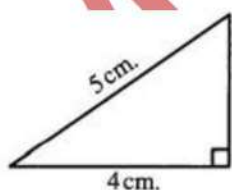


figure (a)

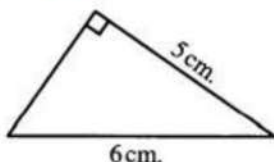


figure (b)

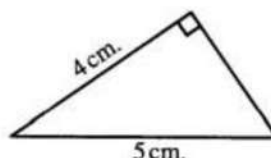


figure (c)

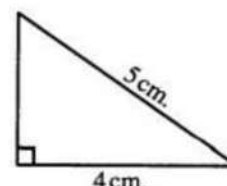


figure (d)

- 6) If : $m(\angle A) = 90^\circ$, then $m(\text{reflex}\angle A) = \dots^\circ$

- a) 90° b) 120° c) 180° d) 270°

- 7) The angle whose measure is 30° supplements an angle of
measure

- a) 60° b) 150° c) 170° d) 230°





8) The sum of measures of the accumulative angles at a point =

- a) 6 b) 5 c) 3 d) 4

9) If : $\triangle ABC \equiv \triangle XYZ$, $m(\angle A) = 40^\circ$ and $m(\angle Z) = 80^\circ$, then $m(\angle B) = \dots\dots\dots$

- a) 40 b) c) 80 d) 70 e) 60

10) $m\angle XYZ = \overrightarrow{YZ} \dots\dots\dots \overrightarrow{YX}$

- a) \cup b) \cap c) \equiv d) $=$

11) If : $\angle A$ complement $\angle B$, $m(\angle A) = m(\angle B)$, then $m(\angle A) = \dots\dots\dots^\circ$

- a) 45° b) 60° c) 90° d) 180°

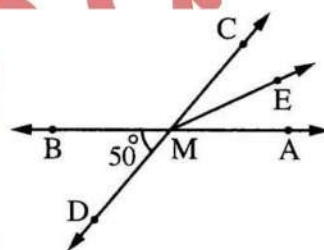
12) In the opposite figure :

$AB \cap CD = \{M\}$, ME bisect $\angle AMC$

And $m(\angle DMB) = 50$

, then $m(\angle AME) = \dots\dots\dots$

- a) 50° b) 65° c) 25° d) 80°



13) The complement of the zero angle is angle.

- a) Zero b) Acute c) Right d) Obtuse

14) If : $\triangle ABC \equiv \triangle XYZ$, $m(\angle A) = 50^\circ$ and $m(\angle y) = 60^\circ$, then $m(\angle C) = \dots\dots\dots$

- a) 50 b) 60 c) 70 d) 80

15) If : $\triangle ABC \equiv \triangle XYZ$, Then: $XY = \dots\dots\dots$

- a) BC b) AC c) AB d) YZ

16) The supplement of an angle of measure 30° is

- a) 30° b) 60° c) 120° d) 150°

17) The two intersecting straight lines :

- a) Perpendicular b) Are on the same plane
c) Skew d) Are not on the same plane





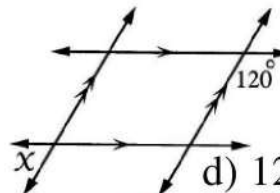
18) In $\triangle ABC$: $m(\angle B) = 3 m(\angle A) = 90^\circ$, then $m(\angle C) = \dots\dots\dots$

- a) 30° b) 45° c) 60° d) 90°

19) In the opposite figure:

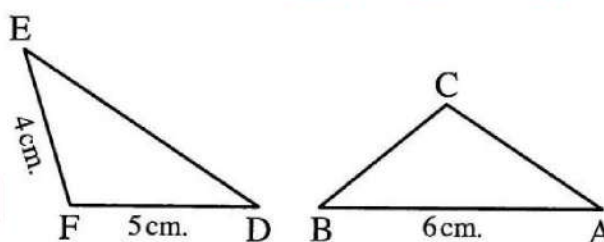
$X = \dots\dots\dots^\circ$

- a) 30° b) 60° c) 90° d) 120°



20) In : $\triangle ABC \equiv \triangle DEF$ then the perimeter of $\triangle ABC = \dots\dots\dots$

- a) 9 cm b) 10 cm
c) 11 cm d) 15 cm



21) If : $m(\angle A) + m(\angle B) = 180^\circ$, then $m(\angle A)$ and $m(\angle B) = \dots\dots\dots^\circ$

- a) equal in measure b) complementary angles
c) supplementary angles d) adjacent angles

22) If the vertically opposite angles are complementary , then the measure of each one = $\dots\dots\dots$

- a) 45° b) 50° c) 90° d) 180°

23) If a line segment is extended form one of its terminals without limit , it will be $\dots\dots\dots$

- a) Line segment b) Ray c) Straight line d) Angle
e)

24) If : $m(\angle A) = 170^\circ$, then : $m(\text{reflex}\angle A) = \dots\dots\dots^\circ$

- a) 190° b) 180° c) 170° d) 360°

25) The angle whose measure is $90\frac{1}{2}^\circ$ is $\dots\dots\dots$ Angle

- a) Right b) Acute c) Obtuse d) straight

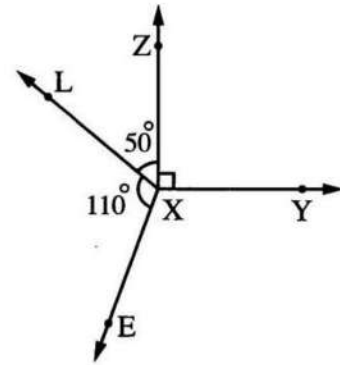




(3) In the opposite figure :

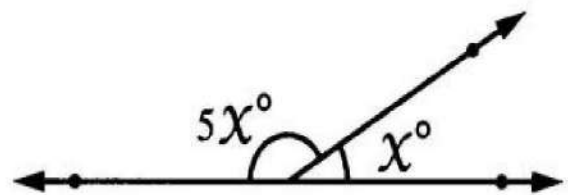
$$m(\angle YXZ) = 90^\circ, m(\angle ZXL) = 50^\circ$$

$$\text{and } m(\angle LXE) = 110^\circ$$



(4) In the opposite figure:

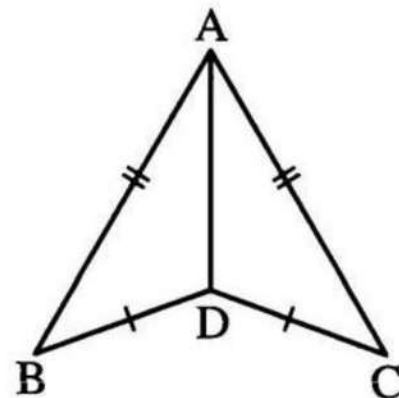
Find the value of x in degrees.



(5) In the opposite figure:

$$AB = AC \text{ and } BD = CD$$

Show that: \overrightarrow{AD} Bisect $\angle A$





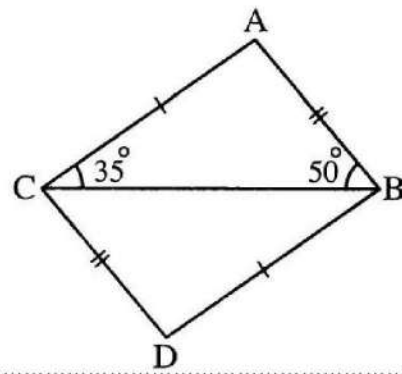
(6) In the opposite figure:

$$AC = BD, AB = CD, m(\angle ABC) = 50^\circ$$

$$\text{And } m(\angle ACB) = 35^\circ$$

a) Study the congruence of $\triangle ABC$ and $\triangle DCB$

b) Find: $m(\angle D)$

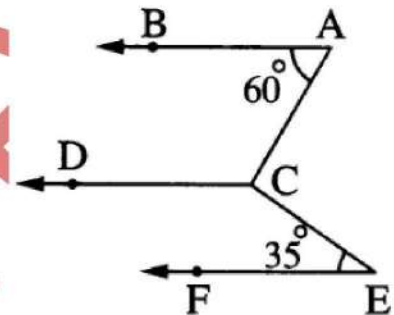


(7) In the opposite figure :

$$AB \parallel CD, AB \parallel EF$$

$$m(\angle A) = 60^\circ \text{ and } m(\angle E) = 35^\circ$$

Find: $m(\angle ACE)$



**(8) In the opposite figure:**

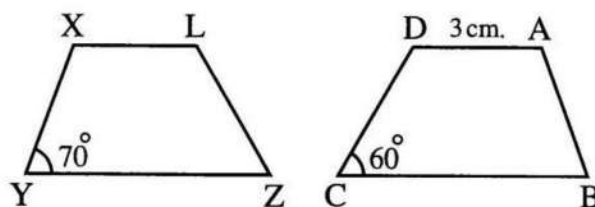
The polygon $ABCD \equiv$ the polygon $XYZL$

Find:

a) the length of LX

b) $m(\angle Z)$

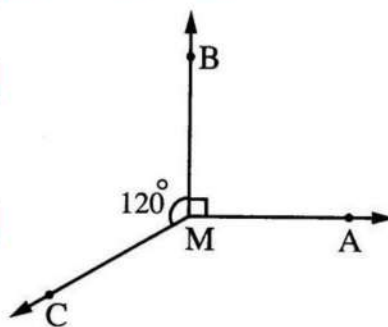
c) $m(\angle B)$

**(9) In the opposite figure:**

$$m(\angle AMB) = 90 \text{ and}$$

$$m(\angle DMB) = 120$$

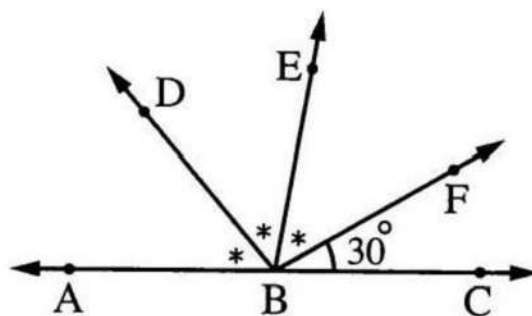
Find w: $m(\angle AMC)$

**(10) In the opposite figure :**

$$B \in AC, m(\angle FBC) = 30$$

$$\text{And } m(\angle ABD) = m(\angle DBE) = m(\angle EBF)$$

Find: $m(\angle ABE)$



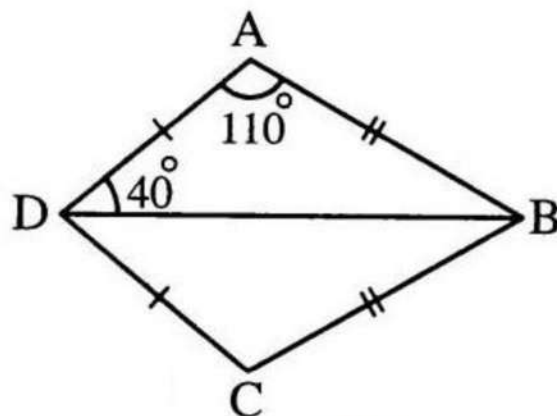
(11) In the opposite figure:

$$BA = BC, DA = DC, m(\angle A) = 110^\circ$$

$$\text{and } m(\angle ADB) = 40^\circ$$

a) Mention the reason of congruency of the two triangles ABD and CBD

b) Find: $m(\angle ABC)$



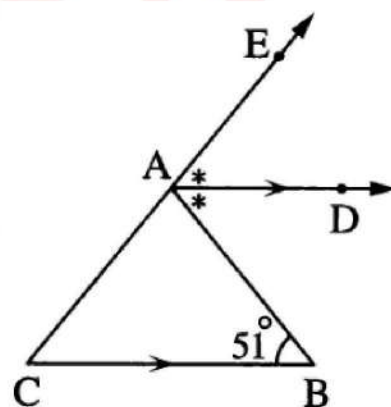
(12) In the opposite figure:

$$AD \parallel CB$$

AD bisects $\angle BAE$

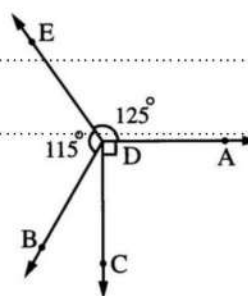
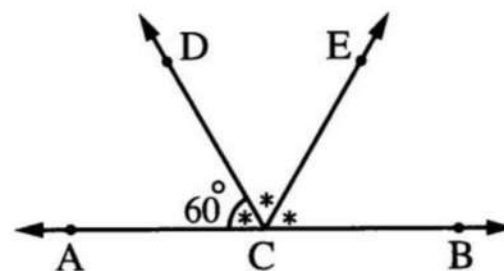
a. and $m(\angle B) = 51$

b. Find : $m(\angle BAD)$, $m(\angle C)$



(13) In the opposite figure:

Are CA and CB on the same straight line? Why?

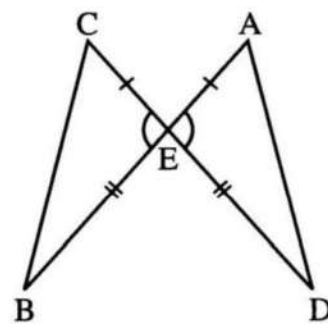




(14) In the opposite figure:

Show with given the reason:

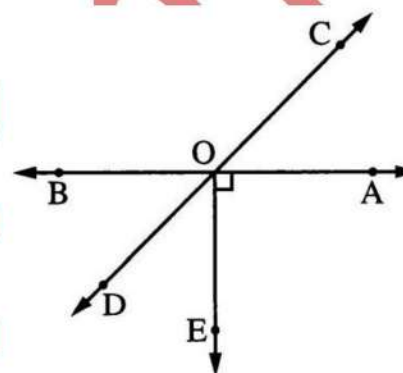
Is $\triangle AED$ congruent to $\triangle CEB$



(15) In the opposite figure:

OD bisect $\angle ADE$, $AB \cap CD = \{O\}$

, $m(\angle AOE) = 90$, Find : $m(\angle AOC)$

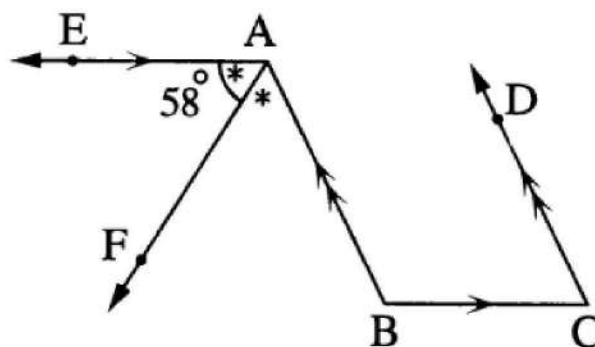


(16) In the opposite figure:

$CD \parallel BA$, $CB \parallel AE$

AF bisects $\angle BAE$, and $m(\angle FAE) = 58$

Find: $m(\angle C)$



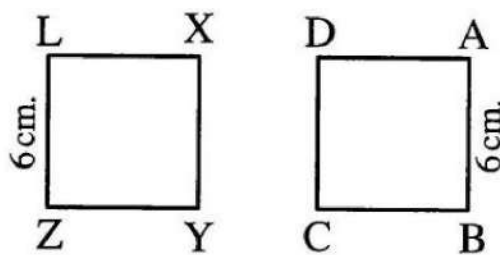


(17) In the opposite figure :

ABCD, XYZL are two squares

where $AB = 6\text{cm}$, $ZL = 6\text{cm}$

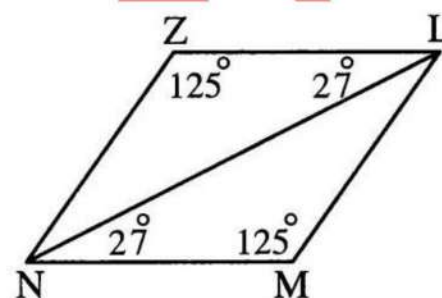
are the two squares congruent? Give reason.



(18) In the opposite figure :

Are the two triangles LMN and NZL congruent?

Why? And find $m(\angle LNZ)$

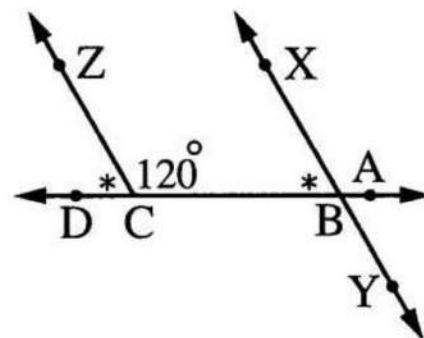


(19) In the opposite figure:

$AD \cap XY = \{B\}$, $m(\angle BCZ) = 120$

$m(\angle XBC) = m(\angle ZCD)$

is $XY \parallel CZ$? , then find $m(\angle ABY)$



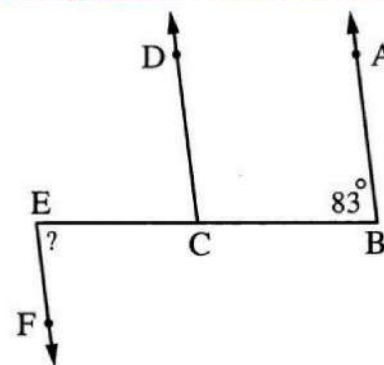


(20) In the opposite figure:

$BA \parallel CD$, $CD \parallel EF$ and

$m(\angle ABC) = 83^\circ$

Find: $(\angle CEF)$



(21) In the opposite figure:

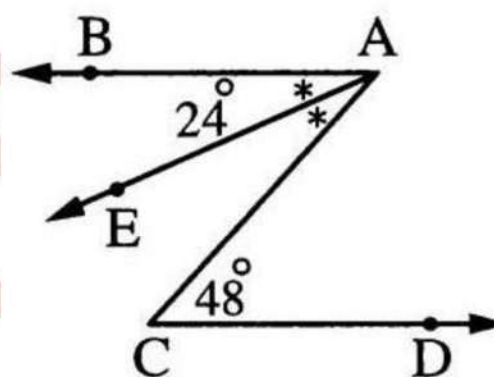
AE bisects $\angle BAC$, $m(\angle BAE) = 24^\circ$

$m(\angle ACD) = 48^\circ$

Complete.

a. $m(\angle BAC) = \dots\dots\dots^\circ$

b. $AB \parallel \dots\dots\dots$



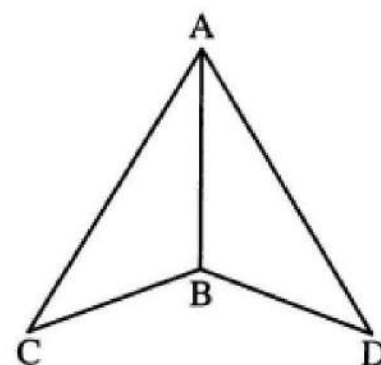
(22) In the opposite figure:

If $\triangle ABC \cong \triangle ABD$

let the perimeter of the figure ACBD = 20 cm

and $AB = 6\text{m}$, then perimeter of

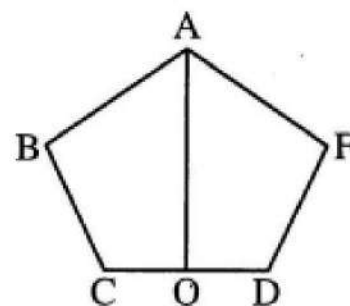
$\triangle ABC = \dots\dots\dots\text{cm}$.



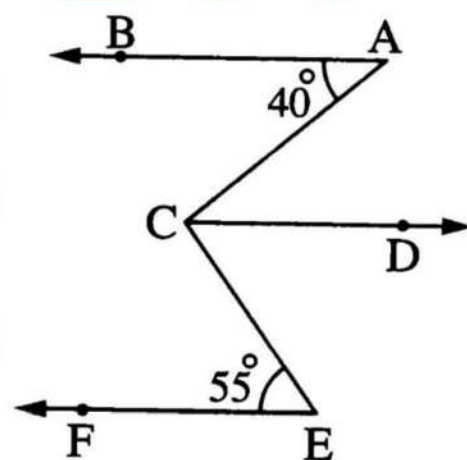
**(23) In the opposite figure:**

The figure $ABCO \equiv$ the figure $AFDO$

- Mention the corresponding vertex to C
- Explain why AO bisect $\angle BAF$
- Explain why AO is the axis of symmetry of CD

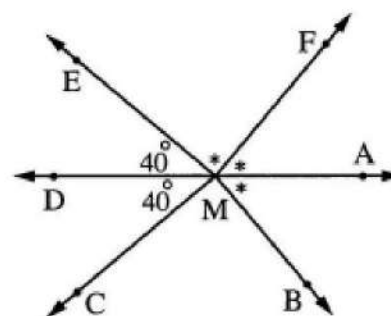
**(24) In the opposite figure.**

$\overrightarrow{AB} \cap m(\angle A) = 40^\circ$, $m(\angle E) = 55^\circ$,
 $\overrightarrow{AB} \parallel \overrightarrow{EF}$ and $\overrightarrow{AB} \parallel \overrightarrow{CD}$ Find: $m(\angle ACE)$

**(25) In the opposite figure:**

$m(\angle CMD) = m(\angle EMD) = 40$,
 $m(\angle AMB) = m(\angle AMF) = m(\angle EMF)$

- Find : $m(\angle AMF)$
- Find : $m(\angle BMC)$
- Are the points B, M and E collinear? Why?





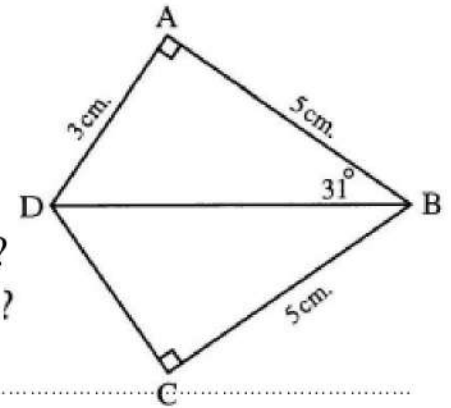
(26) In the opposite figure :

$$m(\angle BAD) = m(\angle BCD) = 90^\circ$$

$$m(\angle ABD) = 31^\circ, AB = CB = 5 \text{ cm}, AD = 3 \text{ cm}$$

a) Are the two triangles ABD and CBD congruent? why?

b) Find the length of : CD

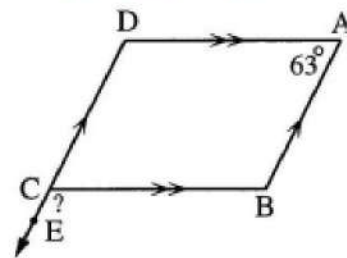


(27) In the opposite figure:

$$AB \parallel DC, AD \parallel BC$$

$$\text{and } m(\angle BAD) = 63^\circ$$

Find : $m(\angle BCE)$

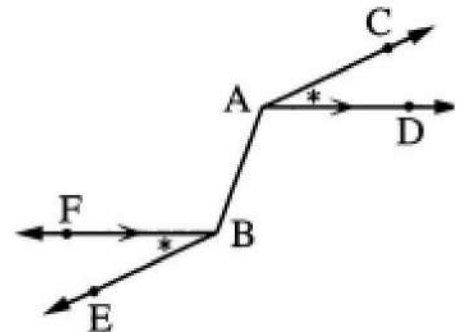


(28) In the opposite figure:

$$AD \parallel BF$$

$$m(\angle CAD) = m(\angle EBF)$$

Is $AC \parallel BE$? why?



**(1) Complete each of the following.**

- a) If two straight lines intersect, then each two vertically opposite angles are

Equal in measure

- b) The two right angled triangle are congruent if

The hypotenuse and side of one triangle are congruent to their corresponding part in the other triangle

- c) The two angles are congruent if they are

Equal in measure

- d) The complement of the acute angle is **acute** angle

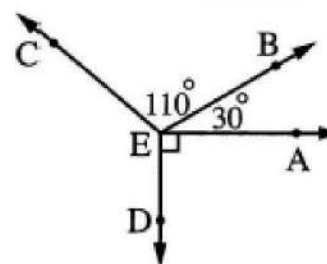
- e) If the two adjacent angles are supplementary, then their two terminal sides are **On the same straight line**

- f) If: $m(\angle B) = 160^\circ$, then $m(\text{reflex } \angle B) =$ **200°**

- g) If: $\angle A$ supplements $\angle B$ and $\angle A = \angle B$, then $m(\angle B) =$ **90°**

- h) In the opposite figure:

$m(\angle CED) =$ **130°**



- i) The sum of measures of the accumulative angles at a point = **360°**

- j) The two triangle are congruent if two sides and **Angle included between them** of one triangle congruent to the corresponding parts of the other triangle.

- k) The two adjacent angles formed by a straight line and a ray with a starting point on this straight line are **supplementary**

- l) **Angle** is the union of two rays with the same starting point.



m) If : $\overline{AB} \equiv \overline{CD}$, then : $AB - CD = \dots$ **0** \dots

n) If: $AB = LM$, $BC = MN$ and $m(\angle B) = m(\angle M)$, then the two triangles

ABC and **LMN** are congruent.

o) If Z is the midpoint of XY, then: $XZ \dots$ **=** YZ

p) If the two outer sides of two adjacent angles are on the same straight line,

then these two adjacent angles are **supplementary**

q) Two triangles are congruent if two angles and

The side drawn between their vertices of one triangle are congruent to the corresponding parts of the other triangle

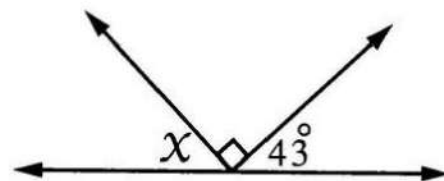
r) The supplement of the obtuse angle is **Acute** angle.

s) The complement of an angle of measure 43° equals **47°** $^\circ$

t) The straight line that is perpendicular to one of two parallel lines is

Perpendicular to the other line

u) In the opposite figure: $X = \dots$ **47°** $^\circ$



**(2) Choose the correct answer.**

a) The angle whose measure is more than 180° and less than 360° is called

d

- a) Acute b) Obtuse c) Straight d) reflex

b) If the ratio between two supplementary angles is $7 : 11$, then the measure of the smaller angle is :

c

- a) 35° b) 55° c) 70° d) 110°

c) The sum of the measures of the accumulative angles at a point is

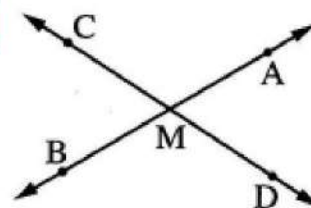
d

- a) 90° b) 180° c) 270° d) 360°

d) The two angles AMD, BMC are called:

a

- a) Vertically opposite angles b) Adjacent
c) Alternate d) corresponding



e) All of the following triangles are congruent except figure

b

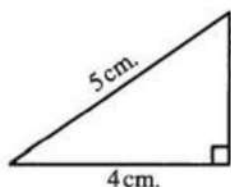


figure (a)

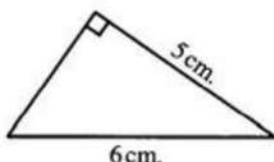


figure (b)

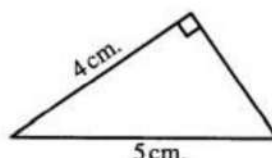


figure (c)

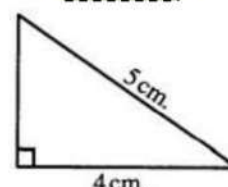


figure (d)

f) If : $m(\angle A) = 90^\circ$, then $m(\text{reflex}\angle A) = \dots^\circ$

d

- a) 90° b) 120° c) 180° d) 270°

g) The angle whose measure is 30° supplements an angle of measure

b

- a) 60° b) 150° c) 170° d) 230°

h) The sum of measures of the accumulative angles at a point =

d

Right angles.

- a) 6 b) 5 c) 3 d) 4



i) If : $\triangle ABC \equiv \triangle XYZ$, $m(\angle A) = 40^\circ$ and $m(\angle Z) = 80^\circ$, then $m(\angle B) =$ **d**

a) 40

b) 80

c) 70

d) 60

j) $m\angle XYZ = \overrightarrow{YZ} \dots \dots \dots \overrightarrow{YX}$ **a**

a) \cup

b) \cap

c) \equiv

d) $=$

k) If : $\angle A$ complement $\angle B$, $m(\angle A) = m(\angle B)$, then $m(\angle A) =$ **a** $^\circ$

a) 45°

b) 60°

c) 90°

d) 180°

l) In the opposite figure :

$AB \cap CD = \{M\}$, ME bisect $\angle AMC$

And $m(\angle DMB) = 50$

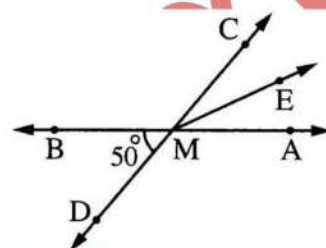
, then $m(\angle AME) =$ **c**

a) 50°

b) 65°

c) 25°

d) 80°



m) The complement of the zero angle is **c** angle.

a) Zero

b) Acute

c) Right

d) Obtuse

n) If : $\triangle ABC \equiv \triangle XYZ$, $m(\angle A) = 50^\circ$ and $m(\angle y) = 60^\circ$, then $m(\angle C) =$ **c**

a) 50

b) 60

c) 70

d) 80

o) If : $\triangle ABC \equiv \triangle XYZ$, Then: $XY =$ **c**

a) BC

b) AC

c) AB

d) YZ

p) The supplement of an angle of measure 30° is **d**

a) 30°

b) 60°

c) 120°

d) 150°

q) In $\triangle ABC$: $m(\angle B) = 3 m(\angle A) = 90^\circ$, then $m(\angle C) =$ **c**

a) 30°

b) 45°

c) 60°

d) 90°

r) In the opposite figure:

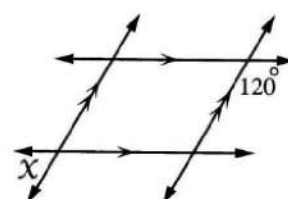
$X =$ **b** $^\circ$

a) 30°

b) 60°

c) 90°

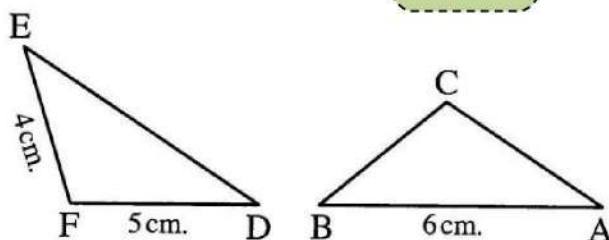
d) 120°





s) In : $\triangle ABC \equiv \triangle DEF$ then the perimeter of $\triangle ABC =$ **d**

- a) 9 cm b) 10 cm
c) 11 cm d) 15 cm



t) If : $m(\angle A) + m(\angle B) = 180^\circ$, then $m(\angle A)$ and $m(\angle B) =$ **c** $^\circ$

- a) equal in measure b) complementary angles
c) supplementary angles d) adjacent angles
u) If the vertically opposite angles are complementary, then the measure of

each one = **a**

- a) 45° b) 50° c) 90° d) 180°
v) If a line segment is extended from one of its terminals without limit, it will be **b**

w) If : $m(\angle A) = 170^\circ$, then : $m(\text{reflex } \angle A) =$ **a** $^\circ$

- a) 190° b) 180° c) 170° d) 360°

x) The angle whose measure is $90\frac{1}{2}^\circ$ is **c** Angle

- a) Right b) Acute c) Obtuse d) straight

(3) In the opposite figure :

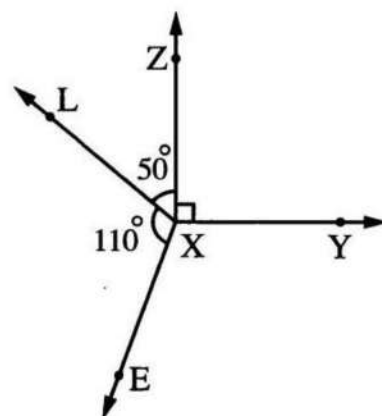
$$m(\angle YXZ) = 90^\circ, m(\angle ZXL) = 50^\circ$$

$$\text{and } m(\angle LXE) = 110^\circ$$

Find $m(\angle EXY)$ **110°**

\therefore Sum of accumulative angle is 360°

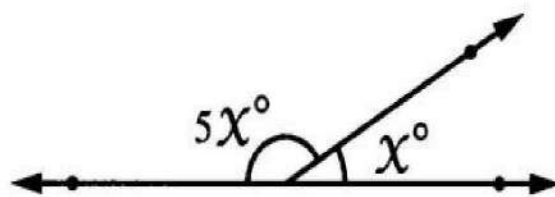
$$\therefore m(\angle EXY) = 360 - (110 + 50 + 90) = 110^\circ$$





(4) In the opposite figure:

Find the value of x in degrees.



$$5x + x = 180$$

$$6x = 180$$

$$x = 30^\circ$$

(5) In the opposite figure:

$AB = AC$ and $BD = CD$

Show that: \overrightarrow{AD} Bisect $\angle A$

In $\triangle ADB, ADC$

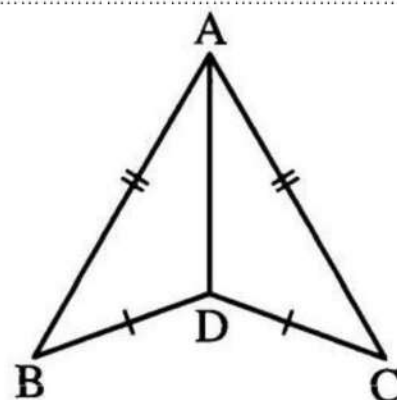
$$\therefore AB = AC$$

$$BD = CD$$

AD is a common side

$$\therefore \triangle ABD \equiv \triangle ADC$$

$$\therefore \overrightarrow{AD} \text{ Bisect } \angle A$$



(6) In the opposite figure:

$AC = BD$, $AB = CD$, $m(\angle ABC) = 50^\circ$

And $m(\angle ACB) = 35^\circ$

a) Study the congruence of $\triangle ABC$ and $\triangle DCB$

b) Find: $m(\angle D)$

In $\triangle ABC, DCB$

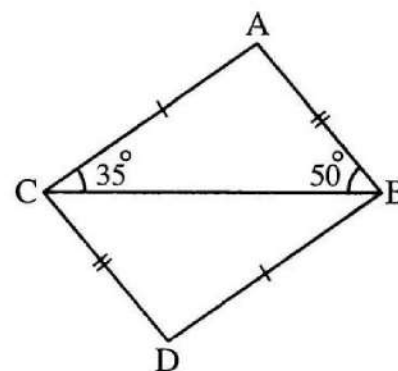
$$\therefore AC = BD$$

$$AB = CD$$

BC is a common side

$$\therefore \triangle ABC \equiv \triangle DCB$$

$$\therefore m(\angle D) = m(\angle A) = 180 - (35 + 50) = 95^\circ$$





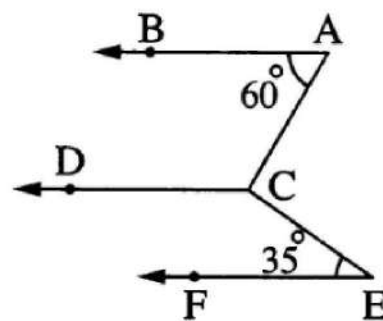
(7) In the opposite figure :

$AB \parallel CD, AB \parallel EF$

$m(\angle A) = 60$ and $m(\angle E) = 35$

Find: $m(\angle ACE)$

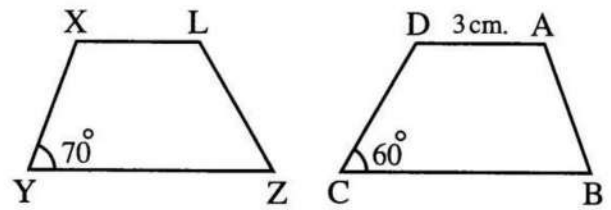
95°



**(8) In the opposite figure:**

The polygon $ABCD \equiv$ the polygon $XYZL$

Find:



a) the length of $LX = AD = 3 \text{ cm}$

b) $m(\angle Z) = m(\angle C) = 60^\circ$

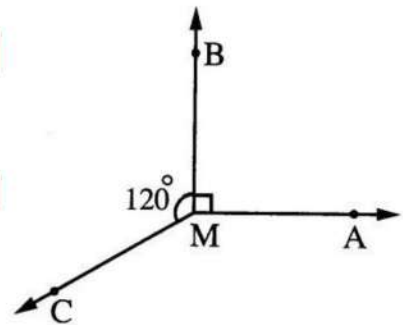
c) $m(\angle B) = m(\angle Y) = 70^\circ$

(9) In the opposite figure:

$$m(\angle AMB) = 90 \text{ and}$$

$$m(\angle DMB) = 120$$

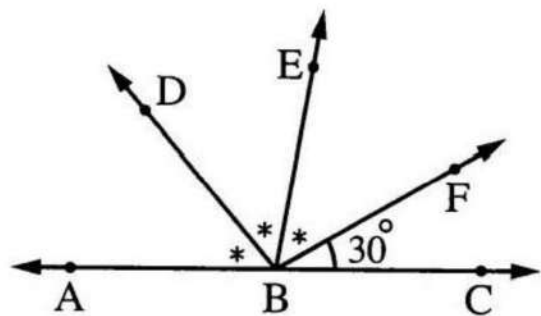
Find w: $m(\angle AMC) = 150^\circ$

**(10) In the opposite figure :**

$$B \in AC, m(\angle FBC) = 30$$

$$\text{And } m(\angle ABD) = m(\angle DBE) = m(\angle EBF)$$

Find: $m(\angle ABE) = 100^\circ$





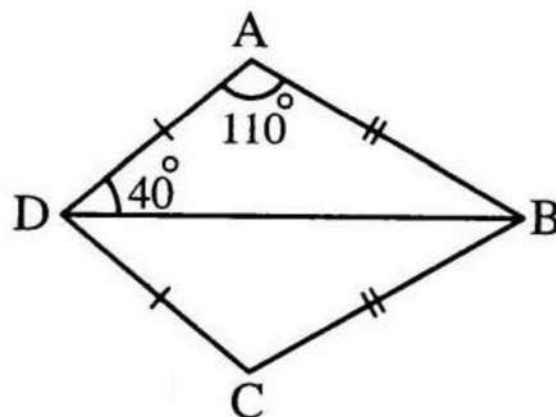
(11) In the opposite figure:

$$BA = BC, DA = DC, m(\angle A) = 110^\circ$$

$$\text{and } m(\angle ADB) = 40^\circ$$

a) Mention the reason of congruency of the two triangles ABD and CBD

b) Find: $m(\angle ABC)$



In $\triangle ABD, CBD$

$$\therefore AB = CB$$

$$AD = CD$$

BD is a common side

$$\therefore \triangle ABD \equiv \triangle CBD$$

$$\therefore m(\angle ABD) = m(\angle DBC) = 180 - (110 + 40) = 30^\circ$$

$$\therefore m(\angle ABC) = 30 + 30 = 60^\circ$$

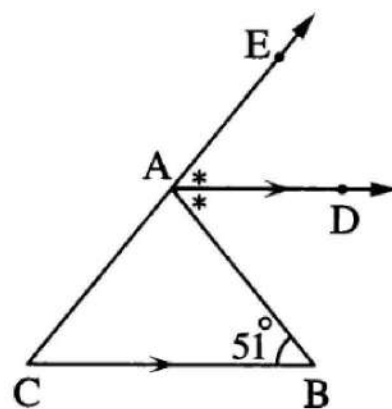
(12) In the opposite figure:

$$AD \parallel CB$$

AD bisects $\angle BAE$

a. and $m(\angle B) = 51^\circ$

b. Find: $m(\angle BAD), m(\angle C)$



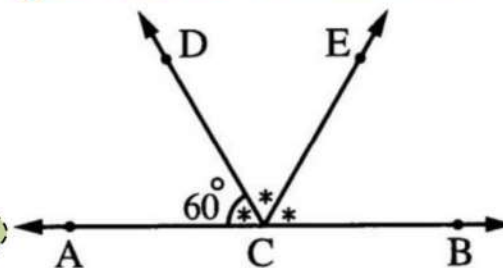
$$51^\circ$$

$$51^\circ$$

**(13) In the opposite figure:**

Are CA and CB on the same straight line? Why?

$$\therefore m(\angle ACD) = m(\angle DCE) = m(\angle ECB) = 60^\circ$$

**Now**

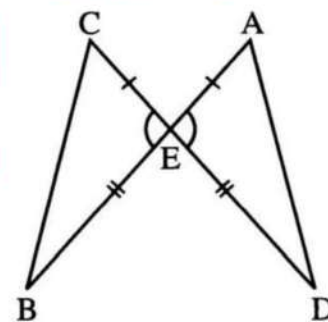
$$m(\angle ACD) + m(\angle DCE) + m(\angle ECB) = 60 + 60 + 60 = 180^\circ$$

\therefore CA and CB on the same straight line Bec. The sum of measure is 180° which is called straight angle

(14) In the opposite figure:

Show with given the reason:

Is $\triangle AED$ congruent to $\triangle CEB$

**In $\triangle AED$, $\triangle CEB$**

$$\therefore m(\angle AED) = m(\angle CEB)$$

$$AE = CE$$

$$BE = DE$$

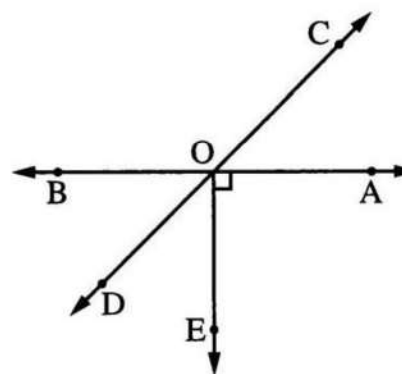
$$\therefore \triangle AED \equiv \triangle CEB$$

(15) In the opposite figure:

OD bisect $\angle BOE$, $AB \cap CD = \{O\}$

, $m(\angle AOE) = 90$, Find: $m(\angle AOC)$

$$45^\circ$$





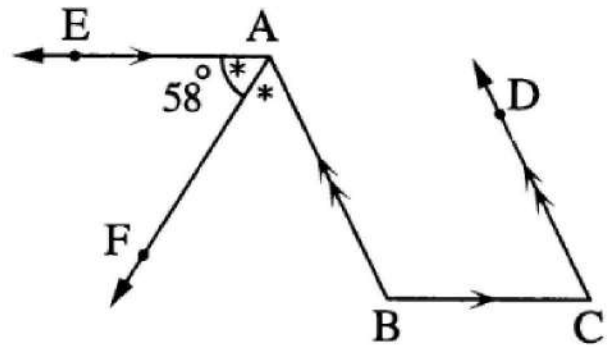
(16) In the opposite figure:

$$CD \parallel BA, CB \parallel AE$$

AF bisects $\angle BAE$, and $m(\angle FAE) = 58$

Find: $m(\angle C)$

64°



(17) In the opposite figure:

ABCD, XYZL are two squares

where $AB = 6\text{cm}$, $ZL = 6\text{cm}$

are the two squares congruent? Give reason.

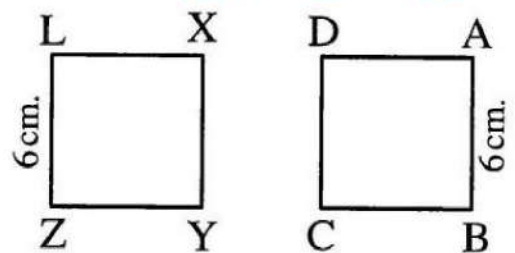
$$AB = XY = 6\text{ cm}$$

$$BC = YZ = 6\text{ cm}$$

$$CD = ZL = 6\text{ cm}$$

$$AD = XL = 6\text{ cm}$$

$\therefore ABCD \equiv XYZL$, Bec. The side length are congruent



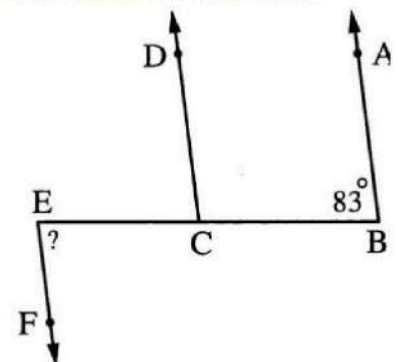
(18) In the opposite figure:

$BA \parallel CD$, $CD \parallel EF$ and

$$m(\angle ABC) = 83^\circ$$

Find: $(\angle CEF)$

83°





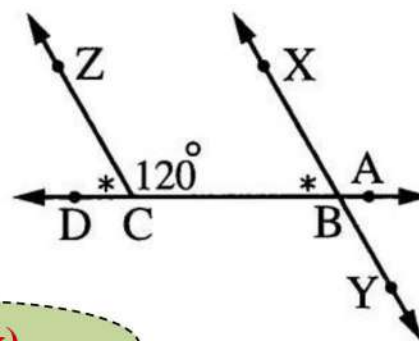
(19) In the opposite figure:

$$AD \cap XY = \{B\}, m(\angle BCZ) = 120$$

$$m(\angle XBC) = m(\angle ZCD)$$

is $XY \parallel CZ$? , then find $m(\angle ABY)$

$$60^\circ$$



$$\therefore m(\angle XBC) = m(\angle ZCD) = 60^\circ \text{ (Corresponding)}$$

$$\therefore XY \parallel CZ \quad 1$$

$$m(\angle XBC) = 180 - 120 = 60^\circ \text{ (Interior)}$$

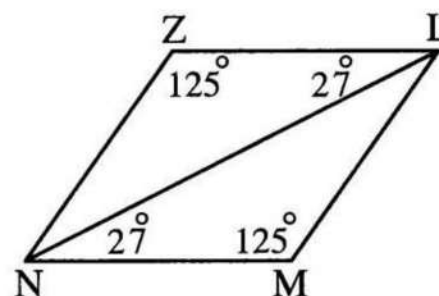
$$AD \cap XY = \{B\}$$

$$\therefore m(\angle ABY) = m(\angle XBC) = 60^\circ \text{ (V.O.A)}$$

(20) In the opposite figure:

Are the two triangles LMN and NZL congruent?

Why? And find $m(\angle LNZ)$



$$m(\angle LNZ) = 180 - (125 + 27) = 28^\circ$$

$$m(\angle NLM) = 180 - (125 + 27) = 28^\circ$$

In $\Delta\Delta$ LMN, NZL

$$\therefore m(\angle LMN) = m(\angle NLZ)$$

NL is a common side

$$m(\angle ZNL) = m(\angle NLM)$$

$$\therefore \Delta LMN \equiv \Delta NZL$$

$$\therefore m(\angle LNZ) = 28^\circ$$



(21) In the opposite figure:

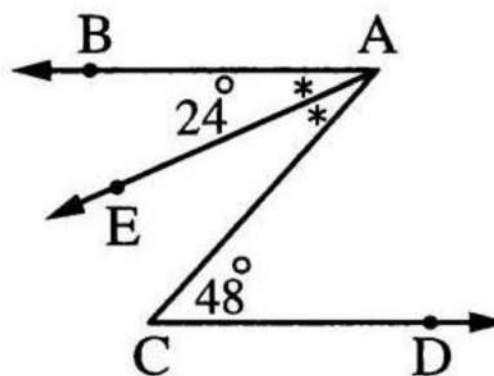
AE bisects $\angle BAC$, $m(\angle BAE) = 24^\circ$

$m(\angle ACD) = 48^\circ$

Complete.

a. $m(\angle BAC) = 48^\circ$

b. $AB \parallel CD$



(22) In the opposite figure:

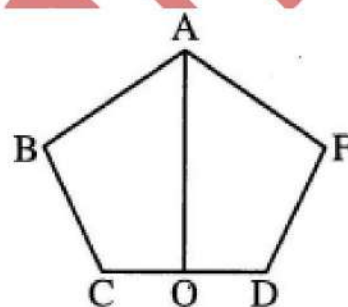
The figure $ABCO \equiv$ the figure $AFDO$

a) Mention the corresponding vertex to C

D

b) Explain why AO bisect $\angle BAF$

c) Explain why AO is the axis of symmetry of CD



$\therefore \text{Fig. } ABCO \equiv \text{Fig. } AFDO$

$\therefore \overrightarrow{AO} \text{ Bisect } \angle BAF$

$\therefore m(\angle BAO) = m(\angle FAO)$

$\therefore CO = OD$

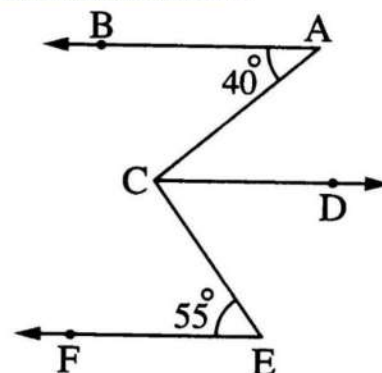
$\therefore AO$ is axis of symmetry of CD, Bec. It divide the polygon in to two congruent polygons

(23) In the opposite figure.

$\overrightarrow{AB} m(\angle A) = 40^\circ$, $m(\angle E) = 55^\circ$,

$\overrightarrow{AB} \parallel \overrightarrow{EF}$ and $\overrightarrow{AB} \parallel \overrightarrow{CD}$ Find: $m(\angle ACE)$

95°





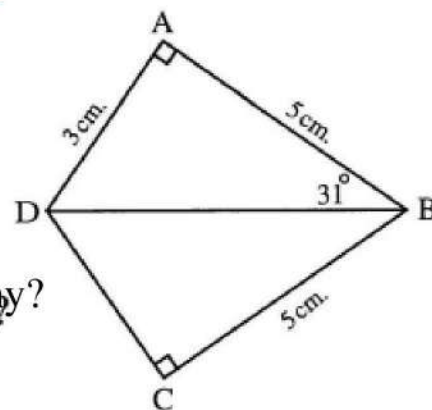
(24) In the opposite figure :

$$m(\angle BAD) = m(\angle BCD) = 90^\circ$$

$$m(\angle ABD) = 31^\circ, AB = CB = 5 \text{ cm}, AD = 3 \text{ cm}$$

a) Are the two triangles ABD and CBD congruent? why?

b) Find the length of : CD



In $\triangle ABD, CBD$

$$\therefore m(\angle A) = m(\angle C) = 90^\circ$$

BD is a common side (Hyp.)

$$AB = CB = 5 \text{ cm}$$

$$\therefore \triangle ABD \equiv \triangle CBD$$

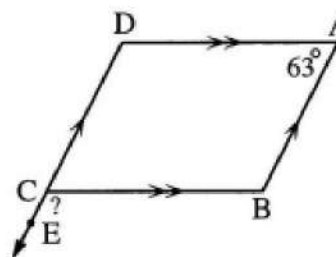
$$\therefore CD = AD = 3 \text{ cm}$$

(25) In the opposite figure:

$$AB \parallel DC, AD \parallel BC$$

$$\text{and } m(\angle BAD) = 63^\circ$$

$$\text{Find : } m(\angle BCE) \quad 117^\circ$$

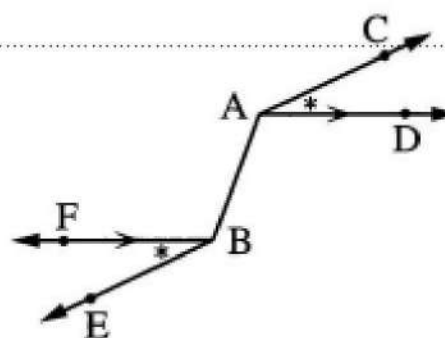


(26) In the opposite figure:

$$AD \parallel BF$$

$$m(\angle CAD) = m(\angle EBF)$$

Is $AC \parallel BE$? why?



$$\therefore AD \parallel BF, AB \text{ is transversal}$$

$$\therefore m(\angle DAB) = m(\angle ABF) \quad (\text{Alternate}) \quad 1$$

$$\therefore m(\angle DAC) = m(\angle FBE) \quad 2$$

$$\text{From 1 and 2 } \therefore m(\angle CAB) = m(\angle ABE) \quad (\text{Alternate})$$

$$\therefore AC \parallel BE$$



(27) In the opposite figure:

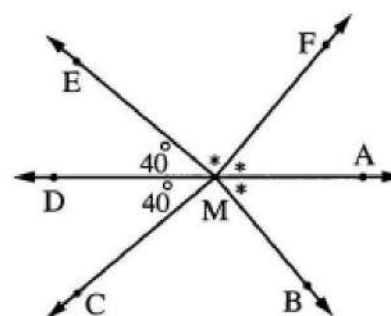
$$m(\angle CMD) = m(\angle EMD) = 40,$$

$$m(\angle AMB) = m(\angle AMF) = m(\angle EMF)$$

a) Find : $m(\angle AMF)$ **70°**

b) Find : $m(\angle BMC)$ **70°**

c) Are the points B, M and E collinear? Why?



$$\therefore m(\angle BMC) + m(\angle CMD) + m(\angle DME) = 70 + 40 + 40 = 150^\circ$$

SO B, M, E Are not collinear

(28) In the opposite figure.

$\overrightarrow{AO} \parallel \overrightarrow{HD} \parallel \overrightarrow{YX} \parallel \overrightarrow{CB}$, $AD = DX = XB$ and
 $AC = 18$ cm

Find the length of \overline{AY}

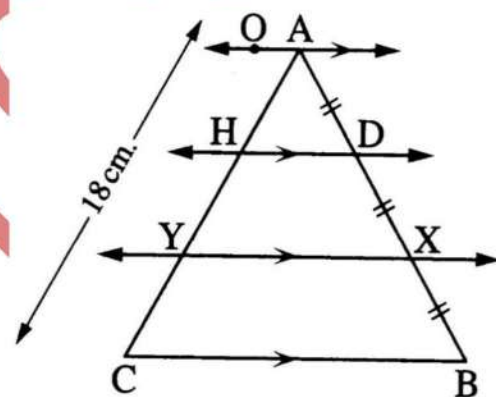
$$\therefore \overrightarrow{AO} \parallel \overrightarrow{HD} \parallel \overrightarrow{YX} \parallel \overrightarrow{CB}$$

$$\therefore AB, AC \text{ are transversals}$$

$$\therefore AD = DX = XB$$

$$\therefore AH = HY = YC = \frac{18}{3} = 6 \text{ cm}$$

$$\therefore AY = 2 \times 6 = 12 \text{ cm}$$



(29) In the opposite figure:

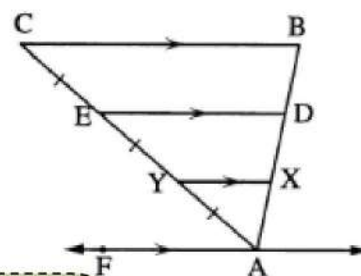
$AF \parallel XY \parallel DE \parallel BC$

and $AY = YE = EC$

$AY = 3$ cm, $AX = 2$ cm

The perimeter of $\triangle ABC = 23$ cm.

Find : BC



$$\therefore AF \parallel XY \parallel DE \parallel BC$$

$$\therefore AB, AC \text{ are transversals}$$

$$\therefore AY = YE = EC = 3 \text{ cm}, \therefore AC = 9 \text{ cm}$$

$$\therefore AX = XD = DB = 2 \text{ cm}, \therefore AB = 6 \text{ cm}$$

$$\therefore \text{The perimeter of } \triangle ABC = 23 \text{ cm}$$

$$\therefore BC = 23 - (9 + 6) = 8 \text{ cm}$$



- (30) Using the ruler and the compasses, draw the line segment \overline{XY} of length 9cm , then draw the straight line L as an axis of symmetry of it
(Don't remove the arcs)

Draw by yourself

- (31) Using the geometric instruments , draw an angle of measure 70° and bisects it
(Don't remove the arcs)

Draw by yourself

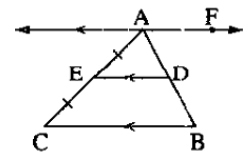
SECOND: GEOMETRY

Choose the correct answer:

- (1) If $\angle x \equiv \angle y$, $\angle x$ and $\angle y$ are supplementary angles, then $m(\angle x) = \dots\dots\dots^\circ$

a 45 **b** 90 **c** 135 **d** 180

- (2) In the opposite figure:
 $\overrightarrow{AF} \parallel \overrightarrow{DE} \parallel \overrightarrow{BC}$ and $AE = EC$,
 then $AD : AB = \dots\dots\dots$



a 2:1 **b** 3:2 **c** 1:3 **d** 1:2

- (3) The two straight lines that are perpendicular to a third are

a perpendicular **c** intersecting
b coincident **d** parallel

- (4) The measure of each of the two equal complementary angles equals $\dots\dots\dots^\circ$

a 180 **b** 45 **c** 360 **d** 90

- (5) If two straight lines intersect, then each two $\dots\dots\dots$ angles have the same measure.

a vertically opposite **c** adjacent
b alternate **d** corresponding

- (6) If $\angle x$ complements $\angle y$ and $\angle x \equiv \angle y$, then $m(\angle x) = \dots\dots\dots^\circ$

a 45 **b** 90 **c** 180 **d** 360

- (7) If $\triangle ABC \equiv \triangle XYZ$ and $m(\angle A) = m(\angle B) = 100^\circ$, then $m(\angle X) = \dots\dots^\circ$

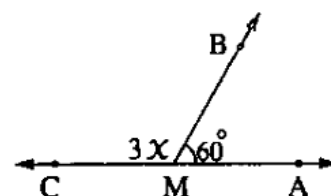
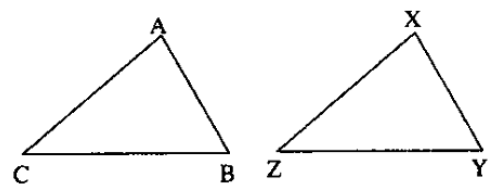
a 50 **b** 80 **c** 90 **d** 100

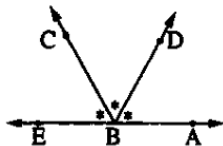
- (8) The sum of the measures of the accumulative angles at a point equals°
a 630 **b** 180 **c** 90 **d** 100
- (9) The supplement of the angle of measure 30° is an angle of measure°
a 60 **b** 180 **c** 150 **d** 90
- (10) The angle whose measure is more than 90° and less than 180° is angle
a an obtuse **b** an acute **c** a right **d** a straight
- (11) If $\triangle ABC \equiv \triangle XYZ$, then $AB =$
a XY **b** XZ **c** YZ **d** BC
- (12) The sum of the measures of the accumulative angles at a point equals right angles
a 6 **b** 5 **c** 3 **d** 4
- (13) If $\triangle ABC \equiv \triangle XYZ$, $m(\angle A) = 40^\circ$ and $m(\angle Z) = 80^\circ$, then $m(\angle B) =$ °
a 40 **b** 80 **c** 70 **d** 60
- (14) $\angle XYZ = \overrightarrow{YZ} \dots \overrightarrow{YX}$
a \cup **b** \cap **c** \equiv **d** $=$
- (15) The complement of the zero angle angle.
a an obtuse **b** an acute **c** a right **d** zero
- (16) If $m(\angle A) + m(\angle B) = 180^\circ$, then $\angle A$ and $\angle B$ are
a equal in measure **c** complementary angles
b supplementary angles **d** adjacent angles
- (17) If the vertically opposite angles are complementary, then the measure of each one equal°
a 45 **b** 50 **c** 90 **d** 180

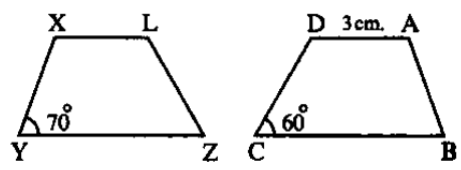
- (18) If a line segment is extended from one of its terminals without limit, it will be
- (a) a line segment (c) a ray
(b) a straight line (d) an angle
- (19) If $m(\angle A) = 170^\circ$, then $m(\text{reflex}\angle A) = \dots\dots\dots^\circ$
- (a) 190 (b) 180 (c) 170 (d) 360
- (20) The angle whose measure is $90\frac{1}{2}^\circ$ is
- (a) an obtuse (b) an acute (c) a right (d) a straight
- (21) If two straight lines are perpendicular to a third, then the two straight lines are
- (a) perpendicular (c) parallel
(b) congruent (d) intersecting

Complete:

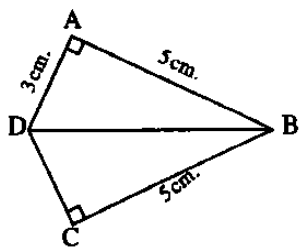
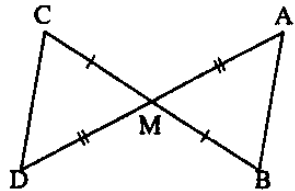
(1)	The perpendicular bisector of a line segment is called
(2)	<p>In the opposite figure: If $\triangle ABC \cong \triangle XYZ$, $m(\angle A) + m(\angle B) = 140^\circ$, Then $m(\angle Z) = \dots\dots\dots^\circ$</p>
(3)	<p>In the opposite figure: If $\overline{MB} \cap \overline{AC} = \{M\}$, $m(\angle AMB) = 60^\circ$ then the value of x equals</p>



(4)	The sum of measures of the accumulative angles at a point equals°	
(5)	If a straight intersects two parallel straight lines, then each two corresponding angles are	
(6)	The two adjacent angles formed by the intersection of a straight line and a ray are	
(7)	The angle whose measure is 50° complements an angle of measure°	
(8)	The two straight lines parallel to a third are	
(9)	If $\triangle ABC \cong \triangle XYZ$, then $m(\angle Z) = m(\angle \dots)$	
(10)	<p>In the opposite:</p> <p>If $B \in \overleftrightarrow{AE}$, then $m(\angle ABD) = \dots^\circ$</p>	
(11)	If two straight lines intersect, then each two vertically opposite angles are	
(12)	The two angles are congruent if they are	
(13)	The complement of the acute angle is angle.	
(14)	If two adjacent angles are supplementary, then their outer sides are	
(15)	The two triangles are congruent if two sides and of one triangle are congruent to the corresponding parts of the other triangle.	
(16)	The two adjacent angles formed by a straight line and a ray with a starting point on this straight line are	
(17) is the union of two rays with the same starting point.	
(18)	If $\overline{AB} \cong \overline{CD}$, then $AB - CD = \dots$	

(19)	If Z is the midpoint of \overline{XY} , then \overline{XZ} \overline{YZ}	
(20)	If the two outer sides of two adjacent angles are on the same straight line, then these two angles are	
(21)	The supplement of the obtuse angle is angle.	
(22)	<p>In the opposite figure: If $ABCD \equiv XYZL$, complete</p> <p>(1) $LX =$ cm</p> <p>(2) $m(\angle B) =$°</p> <p>(3) $m(\angle Z) =$°</p>	

Essay problems:

(1)	Mention two cases of congruency of two triangles.	
(2)	<p>In the opposite figure :</p> <p>$m(\angle BAD) = m(\angle BCD) = 90^\circ$ $, AB = CB = 5 \text{ cm.}, AD = 3 \text{ cm.}$ Mention the conditions for $\triangle ABD, \triangle CBD$ to be congruent , then find : The length of \overline{CD}</p>	
(3)	<p>In the opposite figure :</p> <p>$\overline{AD} \cap \overline{BC} = \{M\}$ $, BM = MC$ $, AM = MD$ Write the conditions for $\triangle AMB, \triangle DMC$ to be congruent.</p>	

(4) In the opposite figure :

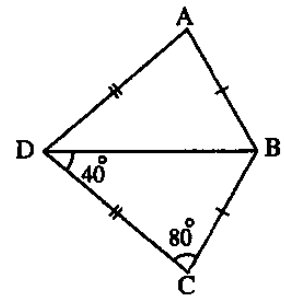
$$AB = BC, AD = DC$$

$$, m(\angle C) = 80^\circ$$

$$, m(\angle BDC) = 40^\circ$$

Prove that : $\triangle CBD \equiv \triangle ABD$

, then find : $m(\angle ABD)$

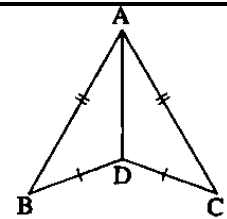


(5) In the opposite figure :

$$AB = AC \text{ and}$$

$$BD = CD$$

Show that : \overrightarrow{AD} bisects $\angle BAC$



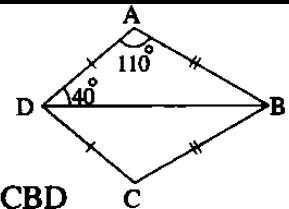
(6) In the opposite figure :

$$BA = BC, DA = DC, m(\angle A) = 110^\circ$$

$$\text{and } m(\angle ADB) = 40^\circ$$

(1) Mention the reason of congruency of the two triangles ABD and CBD

(2) Find : $m(\angle ABC)$

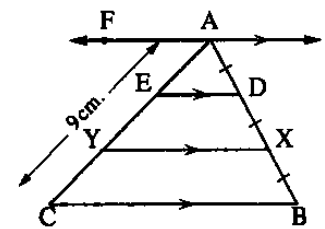


(7) In the opposite figure :

$$\overrightarrow{AF} \parallel \overrightarrow{DE} \parallel \overrightarrow{XY} \parallel \overrightarrow{BC}$$

$$, AD = DX = XB, AC = 9 \text{ cm.}$$

Find : The length of \overline{AY} (Give the reason)



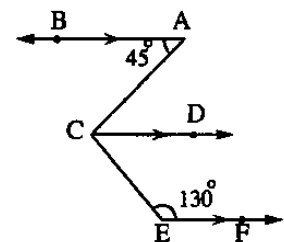
(8) In the opposite figure :

$$\overrightarrow{AB} \parallel \overrightarrow{CD} \parallel \overrightarrow{EF}$$

$$, m(\angle A) = 45^\circ$$

$$, m(\angle E) = 130^\circ$$

Find : $m(\angle ACE)$



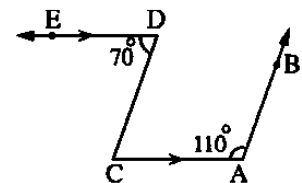
(9) In the opposite figure :

$$\overrightarrow{DE} \parallel \overrightarrow{AC}, m(\angle A) = 110^\circ$$

$$, m(\angle D) = 70^\circ$$

Find : $m(\angle C)$

Is $\overrightarrow{AB} \parallel \overrightarrow{CD}$? (Give the reason)



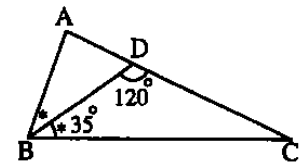
(10) In the opposite figure :

\overrightarrow{BD} bisects $\angle ABC$

, $m(\angle DBC) = 35^\circ$

, $m(\angle BDC) = 120^\circ$

Find : $m(\angle A)$ in degrees.



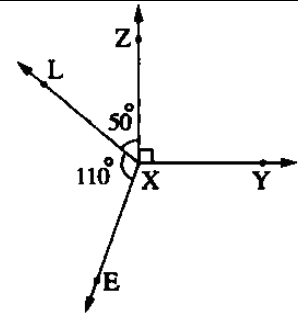
(11) In the opposite figure :

$m(\angle YXZ) = 90^\circ$

, $m(\angle ZXL) = 50^\circ$

and $m(\angle LXE) = 110^\circ$

Find with giving the reason : $m(\angle YXE)$



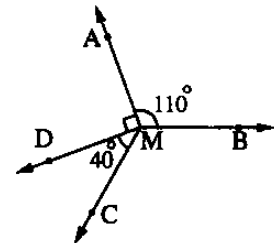
(12) In the opposite figure :

$m(\angle AMB) = 110^\circ$

, $m(\angle AMD) = 90^\circ$

, $m(\angle DMC) = 40^\circ$

Find with steps : $m(\angle BMC)$

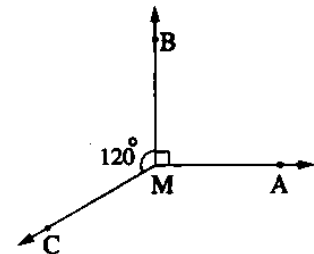


(13) In the opposite figure :

$m(\angle AMB) = 90^\circ$ and

$m(\angle BMC) = 120^\circ$

Find with proof : $m(\angle AMC)$



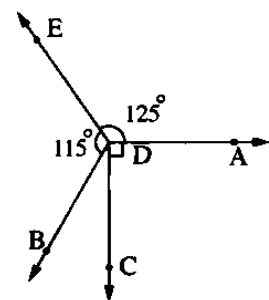
(14) In the opposite figure :

Find the measure of the angle CDB where

$m(\angle ADE) = 125^\circ$

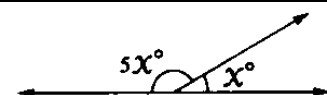
, $m(\angle BDE) = 115^\circ$

and $\overrightarrow{DA} \perp \overrightarrow{DC}$



(15) In the opposite figure :

Find the value of x in degrees.



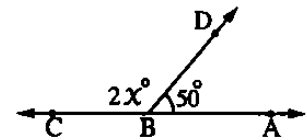
(16) In the opposite figure :

$$\overleftrightarrow{AC} \cap \overleftrightarrow{BD} = \{B\}$$

$$, m(\angle ABD) = 50^\circ$$

$$, m(\angle DBC) = 2x^\circ$$

Find in degrees the value of x

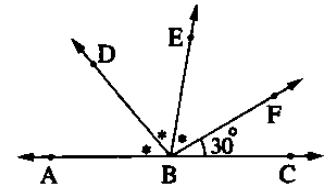


(17) In the opposite figure :

$$B \in \overleftrightarrow{AC}, m(\angle FBC) = 30^\circ$$

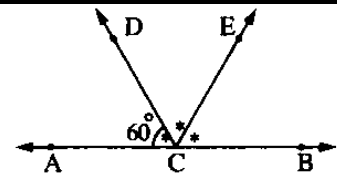
$$\text{and } m(\angle ABD) = m(\angle DBE) = m(\angle EBF)$$

Find : $m(\angle ABE)$



(18) In the opposite figure :

Are \overleftrightarrow{CA} and \overleftrightarrow{CB} on the same straight line ? Why ?



(19) Using the geometric instruments , draw $\angle ABC$ where $m(\angle B) = 80^\circ$, then draw \overleftrightarrow{BD} to bisect it. (Don't remove the arcs).

(20) Using the geometric instruments , draw $\angle ABC$ of measure 110° , then draw \overleftrightarrow{BF} to bisect the angle.

THIRD: ACCUMULATIVE SKILLS

Choose the correct answer:

- (1) Fifth of the number 5^{10} is
- a** 5^2 **b** 1^{10} **c** 5^9 **d** 2.5^{10}
- (2) If three times of a number is 15, then the fifth of this number is
- a** 3 **b** 75 **c** 1 **d** 5
- (3) $0.0565 \approx$ (to the nearest hundredth)
- a** 0.056 **b** 0.057 **c** 0.06 **d** 0.1
- (4) $2\frac{1}{5} \times$ = 1
- a** $2\frac{1}{5}$ **b** $\frac{11}{5}$ **c** $\frac{5}{11}$ **d** $\frac{5}{2}$
- (5) 12 % of 200 kg = kg
- a** 12 **b** 24 **c** 2400 **d** 0.06
- (6) $\left| \frac{-5}{3} \right|$ zero
- a** > **b** = **c** < **d** \geq
- (7) The image of the point $(-3, 5)$ by translation of 3 units in the negative direction of y-axis is
- a** $(-3, 2)$ **b** $(-3, 8)$ **c** $(-6, 5)$ **d** $(0, 8)$
- (8) The image of the point $(-3, 5)$ by translation of 3 units in the positive direction of y-axis is
- a** $(-3, 2)$ **b** $(-3, 8)$ **c** $(-6, 5)$ **d** $(0, 5)$

- (9) The volume of a cuboid whose dimensions 2 cm, 5 cm and 4 cm is cm^3
a 28 b 11 c 40 d 18
- (10) The number of triangles in the opposite figure is
a 2 b 4 c 6 d 8
- (11) The number of rectangles in the opposite figure is
a 4 b 5 c 7 d 9
- (12) A cube of edge length 5 cm, then its volume = cm^3
a 5 b 25 c 10 d 125
- (13) The two diagonals are perpendicular and equal in length in the
a rectangle b rhombus c square d trapezium
- (14) If the area of a square is 25 cm^2 , then its perimeter = ... cm
a 5 b 10 c 15 d 20
- (15) The square has axes of symmetry.
a 1 b 2 c 3 d 4
- (16) The cubic centimeter is the measuring unit for
a perimeter b area c volume d length
- (17) The number of edges of a cuboid is
a 6 b 8 c 10 d 12

Best Wishes

1st prep

Final revision

GEOMETRY

(1) Complete each of the following:

- (1)** The complement of an angle of measure 43° is an angle of measure
- (2)** Two triangles are congruent if two angles
- (3)** The straight line that is perpendicular to one of two parallel lines is
- (4)** If $m(\angle B) = 160^\circ$, then $m(\text{reflex } \angle B) = \dots\dots\dots^\circ$
- (5)** If $\angle A$ supplements $\angle B$ and $\angle A \equiv \angle B$, then $m(\angle B) = \dots\dots\dots^\circ$
- (6)** Two adjacent angles formed by a straight line and a ray with a starting point on this straight line
- (7)** The angle whose measure is 46° vertically opposite to an angle whose measure is
- (8)** The sum of the measures of the accumulative angles at a point equals
- (10)** If a straight line intersects two parallel straight lines, then:,,
- (11)** The axis of symmetry of a line segment is

(12) Two polygons are congruent if there is a correspondence between their vertices such that

(13) If two straight lines are on the same plane and do not intersect, then they are

(14) If $\angle A$ and $\angle B$ are two complementary angles and $m(\angle A) = m(\angle B)$, then $m(\angle A) = \dots\dots\dots^\circ$

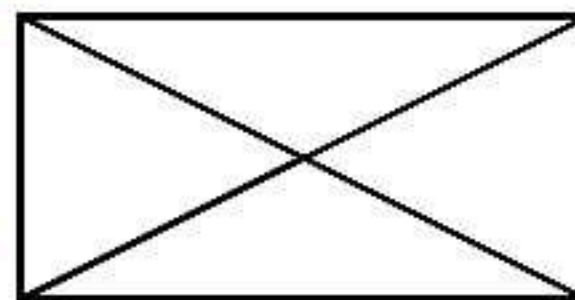
(15) If $\triangle ABC \equiv \triangle XYZ$, then $\overline{AC} \equiv \dots\dots\dots$

(16) If $m(\angle X) = \frac{1}{2} m(\angle Y)$ and $m(\angle X) = 60^\circ$, then the two angles X and Y are angles

(17) If $\angle A$ supplements $\angle B$ and $\angle A \equiv \angle B$, then $m(\angle B) = \dots\dots\dots^\circ$

(18) The number of triangles

In the opposite figure equals



(19) If a straight line intersects two parallel straight lines, then each two alternate angles are

(20) The two bisectors of two adjacent supplementary angles are

(21) If the polygon $ABCDE \equiv$ the polygon $XYZEF$, then $BC = \dots\dots\dots$

(22) The two right-angled triangles are congruent if

(23) The two perpendicular straight lines form 4 angles

(24) The diagonals are perpendicular in each of and

(25) If two adjacent angles supplementary, then their outer sides are

(26) The two vertically opposite angles are in measure

(27) If $\overline{AB} \equiv \overline{CD}$, then $AB - CD = \dots\dots\dots$

(28) If $m(\angle A) = 100^\circ$, then $m(\text{reflex } \angle A) = \dots\dots\dots^\circ$

(29) If two straight lines are parallel to a third straight line, then they are

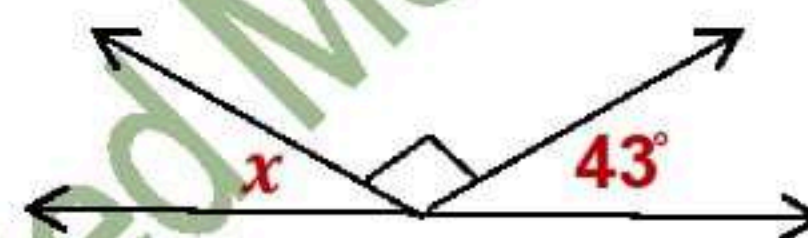
(30) The measure of a straight angle equals

(31) If a straight line intersects two parallel straight line, then each two corresponding angles are in measure

(32) If $\angle B$ complements $\angle A$ and $\angle B \equiv \angle A$, then $m(\angle A) = \dots\dots\dots$

(33) If $AB = XY$, then $\overline{AB} \dots\dots\dots \overline{XY}$

(34) In the opposite figure: $x = \dots\dots\dots^\circ$



(35) If $\angle A$ and $\angle B$ are supplementary angles and, $m(\angle A) = 2 m(\angle B)$, then $m(\text{reflex } \angle A) = \dots\dots\dots$

(2) Choose the correct answer:

(1) The angle whose measure is more than 180° and less than 360° is called

- (a). acute (b) obtuse (c) straight (d) reflex

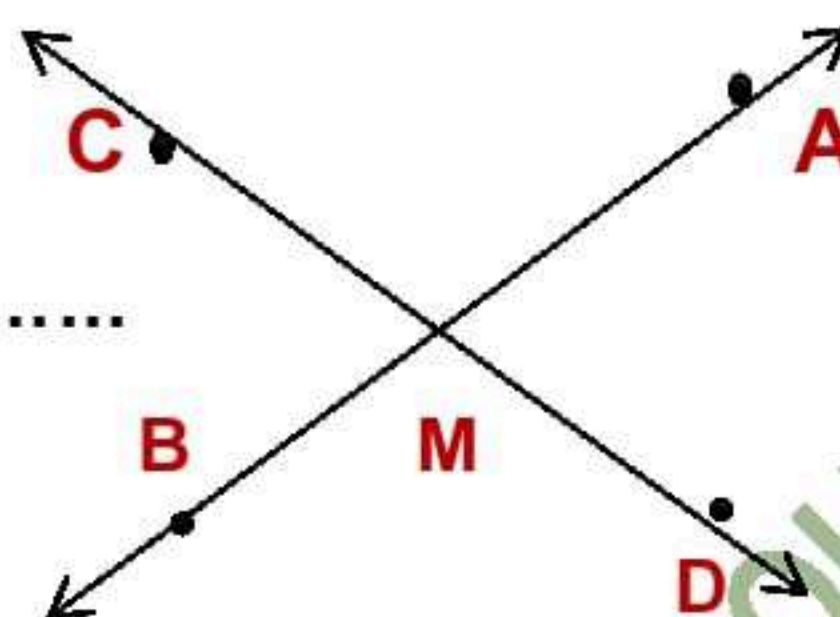
(2) The sum of the measures of the accumulative angles at a point is

- (a) 90° (b) 180° (c) 270° (d) 360°

(3) The supplement of an angle of measure 30° is an angle of measure

- (a) 30° (b) 60° (c) 120° (d) 150°

(4) The two angles AMD, BMC are called



(a) Vertically opposite angles

(b) adjacent

(c) alternate

(d) corresponding

(5) The triangle whose perimeter is 12 cm. and the lengths of two of its sides are 2 cm, 5 cm is

(a) scalene

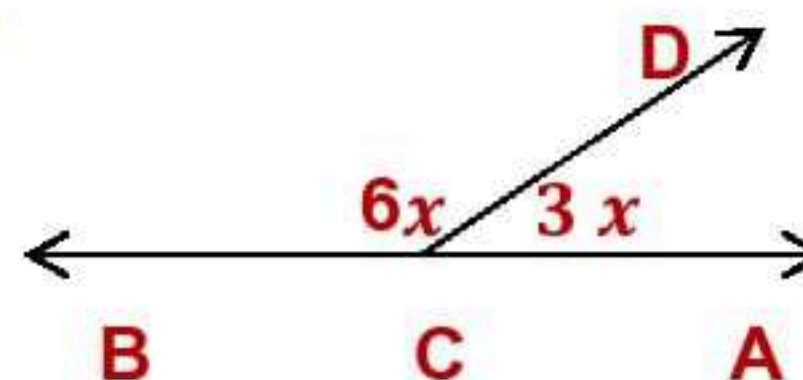
(b) right

(c) equilateral

(d) isosceles

(6) In the opposite figure:

If $\overleftrightarrow{AB} \cap \overleftrightarrow{CD} = \{C\}$, then $x = \dots\dots\dots$



(a) 20°

(b) 30°

(c) 90°

(d) 120°

(7) If $\overleftrightarrow{AB} \parallel \overleftrightarrow{XY}$, then $\overleftrightarrow{AB} \cap \overleftrightarrow{XY} = \dots\dots\dots$

(a) $\{B\}$

(b) \overline{AX}

(c) \emptyset

(d) $\{Y\}$

(8) If the ratio between two supplementary angles is 4 : 5, then the measure of the greater angle =

(a) 80°

(b) 100°

(c) 120°

(d) 150°

(9) The two lines which are parallel to a third line are

(a) perpendicular

(b) parallel

(c) equal

(d) intersect

(10) If $\triangle ABC \cong \triangle XYZ$ and $m(\angle A) + m(\angle B) = 130^\circ$, then $m(\angle Z) =$

- (a) 50° (b) 65° (c) 130° (d) 180°

(11) The angle of measure 70° complements an angle of measure

- (a) 90° (b) 20° (c) 110° (d) 180°

(12) If the two triangles ABC and XYZ are congruent, then

- (a) $AB = YZ$ (b) $BC = XZ$ (c) $YX = CA$ (d) $ZY = CB$

(13) If $L_1 \parallel L_2$, $L_3 \perp L_1$, then

- (a) $L_3 \perp L_2$ (b) $L_1 \parallel L_3$ (c) $L_2 \perp L_1$ (d) $L_2 \parallel L_3$

(14) If $\overline{AB} \cong \overline{CD}$ and $AB = 5$ cm, then $2AB - CD =$ cm

- (a) 5 (b) zero (c) 15 (d) 10

(15) The acute angle supplements an angle

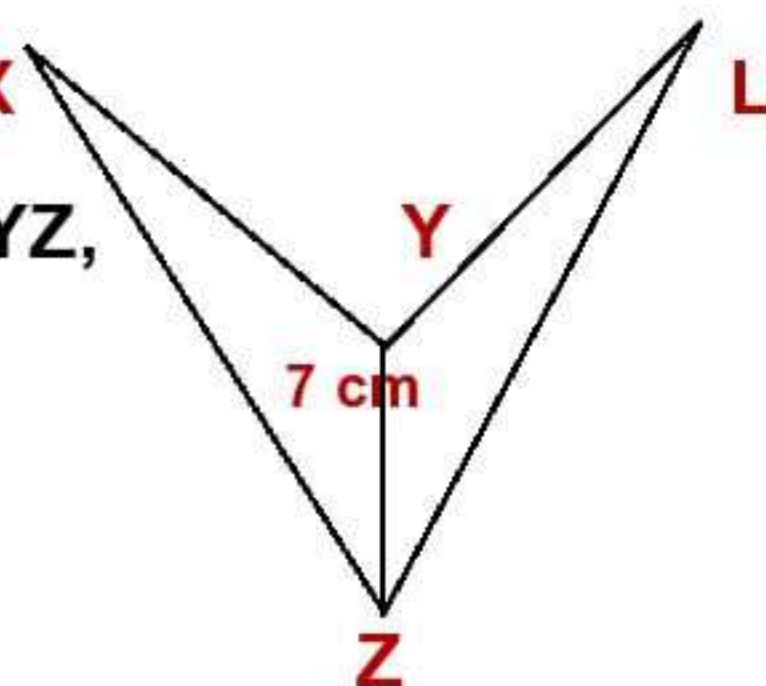
- (a) acute (b) obtuse (c) right (d) reflex

(16) In the opposite figure the perimeter

Of figure $XYLZ = 30$ cm and $\triangle XYZ \cong \triangle LYZ$,

$YZ = 7$ cm, then the perimeter

of $\triangle XYZ =$ cm



- (a) 15 (b) 19 (c) 22 (d) 23

(17) The two angles of measure 140° , 40° are

- (a) complementary (b) supplementary (c) adjacent (d) reflex

(18) $\overrightarrow{AB} \subset$

(a) \overleftrightarrow{AB}

(b) \overline{AB}

(c) \overrightarrow{BA}

(d) \overleftrightarrow{AB}

(19) If \overleftrightarrow{AB} and \overleftrightarrow{CD} lie in the same plane and $\overleftrightarrow{AB} \cap \overleftrightarrow{CD} = \emptyset$,
then \overleftrightarrow{AB} and \overleftrightarrow{CD} are

- (a) perpendicular (b) intersecting (c) coincident (d) parallel

(20) In the opposite figure:

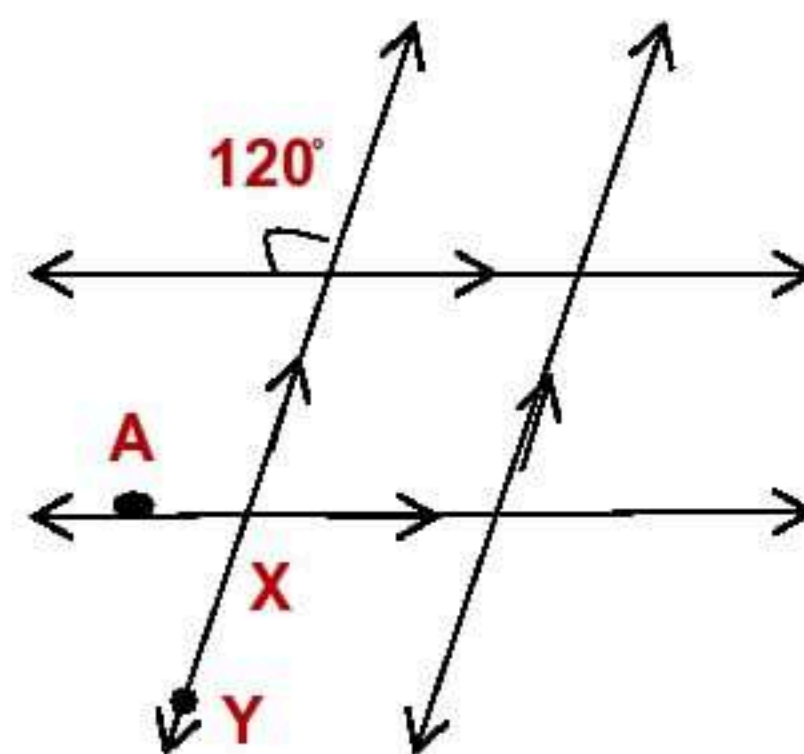
$m(\angle AXY) =$

(a) 30°

(b) 60°

(c) 90°

(d) 120°



(1) In the opposite figure:

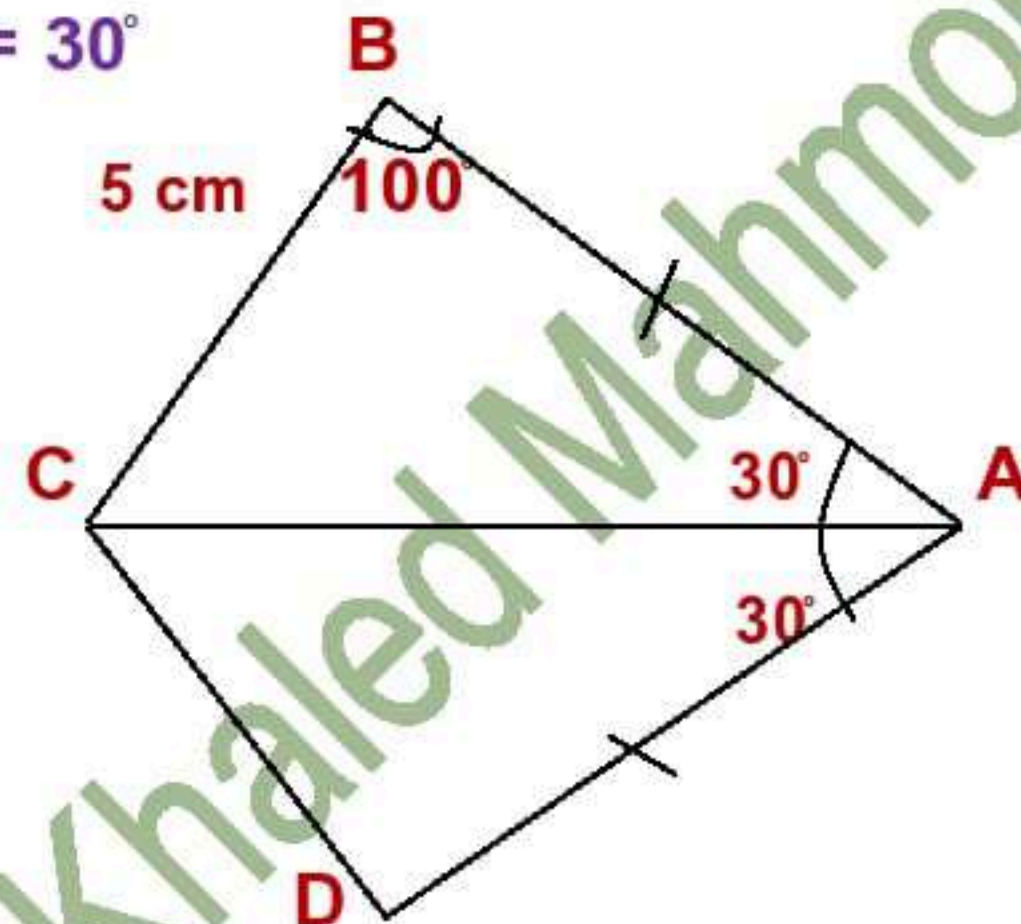
$AB = AD$, $BC = 5$ cm,

$m(\angle B) = 100^\circ$, $m(\angle BAC) = m(\angle DAC) = 30^\circ$

(1) Is $\triangle BAC \cong \triangle DAC$? Why?

(2) Find : $m(\angle D)$

(3) Find: the length of \overline{CD}

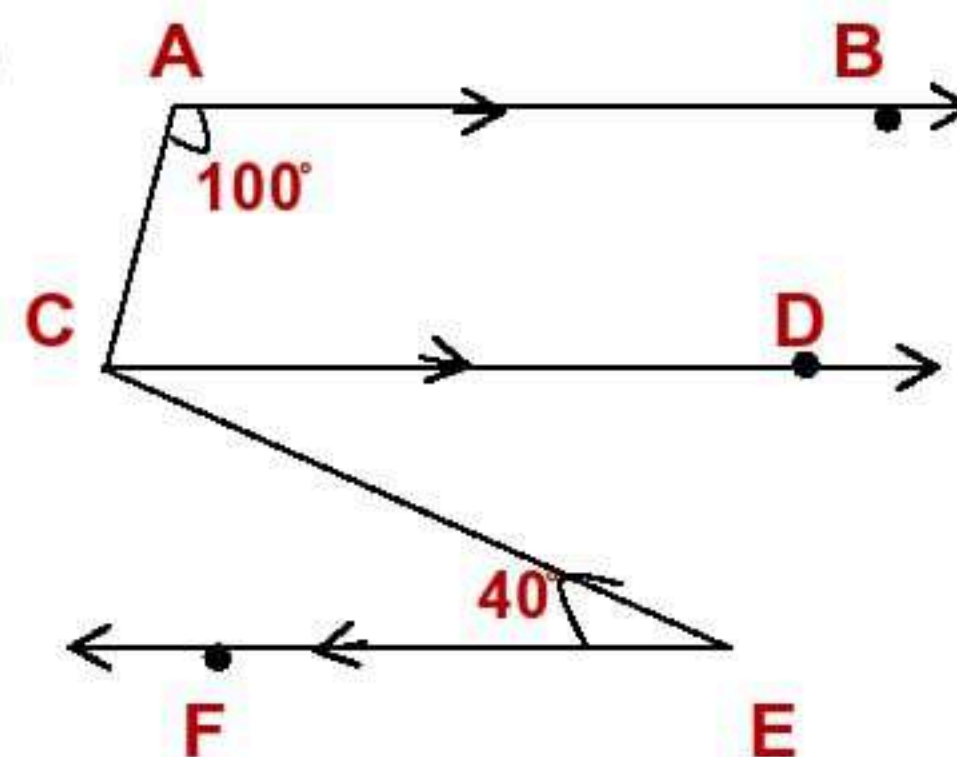


(2) In the opposite figure:

$\overrightarrow{AB} \parallel \overrightarrow{CD} \parallel \overrightarrow{EF}$,

$m(\angle BAC) = 100^\circ$ and $m(\angle CEF) = 40^\circ$

Find with given reasons: $m(\angle ACE)$



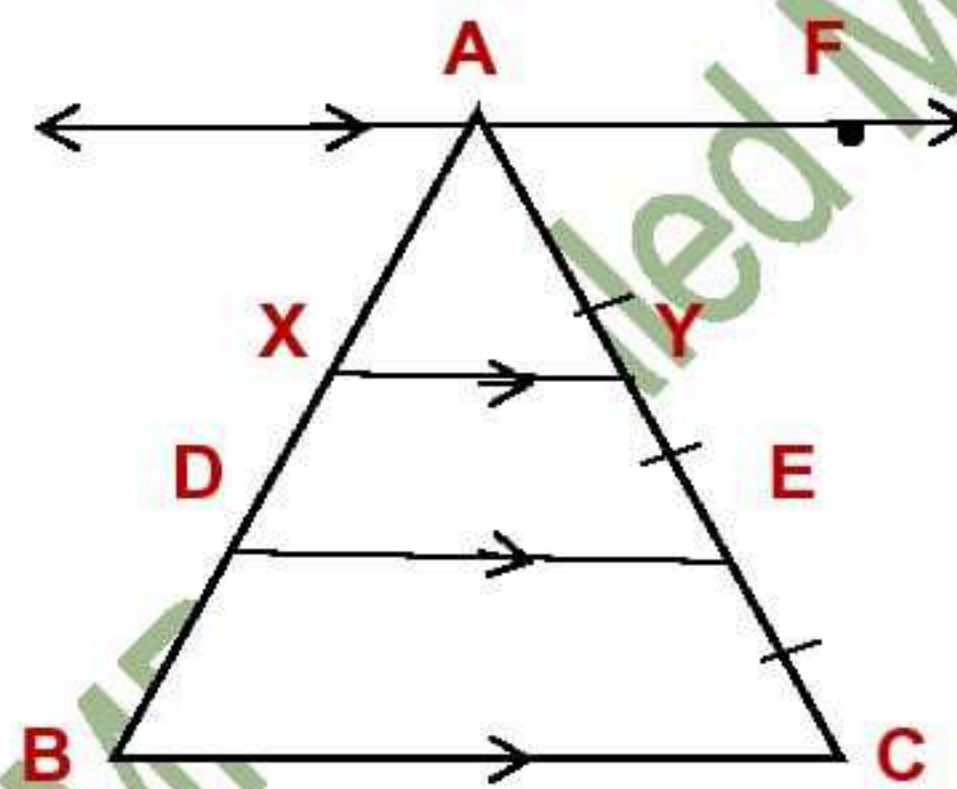
(3) In the opposite figure:

$\longleftrightarrow \longleftrightarrow \longleftrightarrow \longleftrightarrow$
If $AF \parallel XY \parallel DE \parallel BC$,

$AY = YE = EC = 3 \text{ cm}$,

$AX = 2 \text{ cm}$. and the perimeter of $\triangle ABC = 23 \text{ cm}$

Find: the length of \overline{BC}

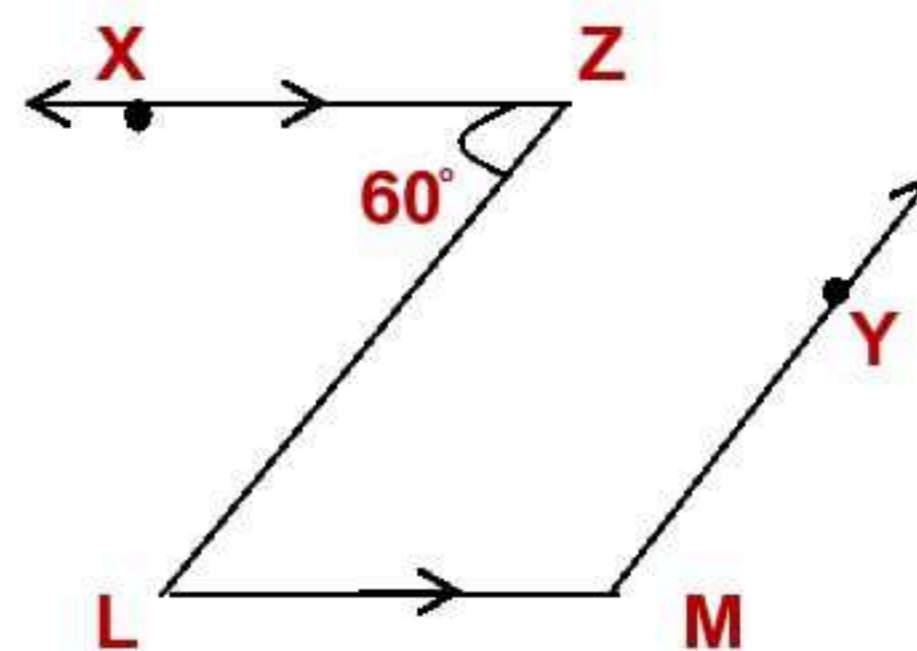


(4) In the opposite figure:

$\overrightarrow{ZX} \parallel \overline{LM}$, $m(\angle Z) = 60^\circ$

$m(\angle M) = 120^\circ$

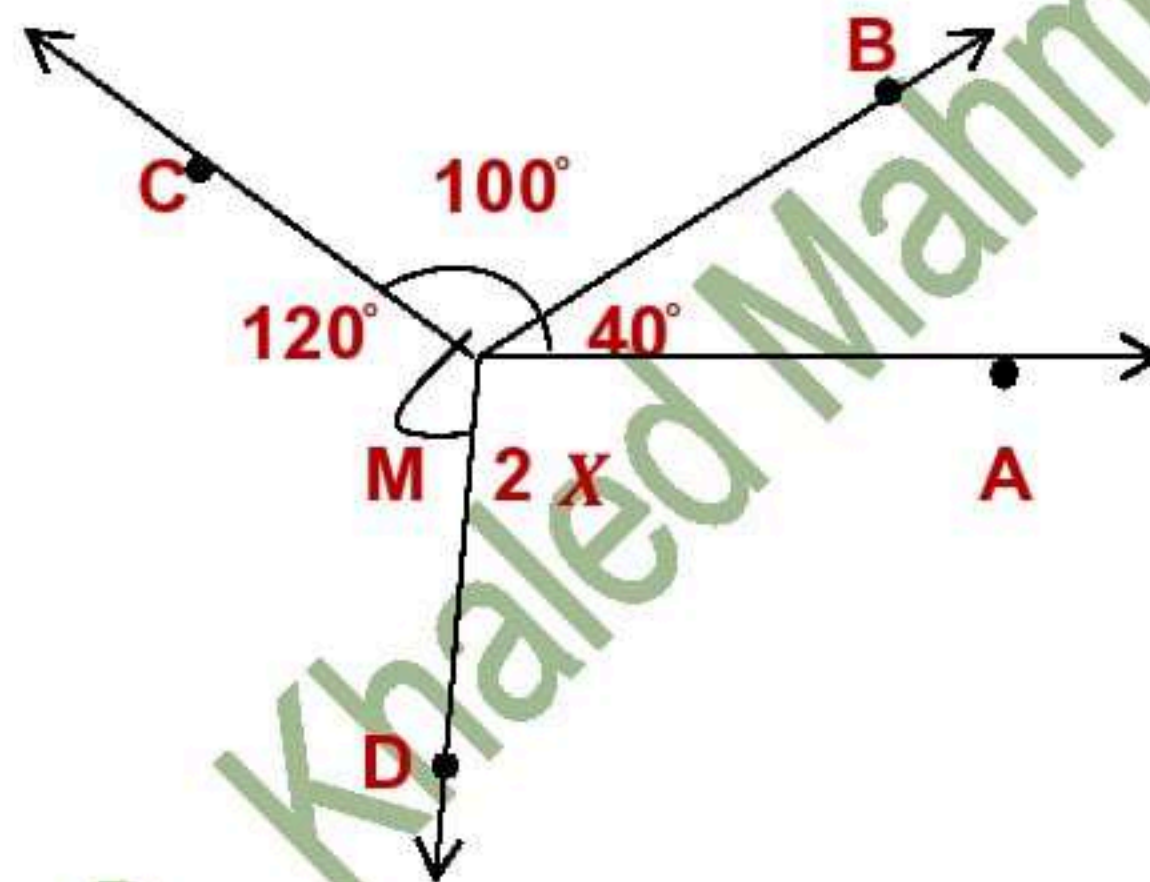
$\overline{LZ} \parallel \overrightarrow{MY}$
Prove that $\overline{LZ} \parallel \overrightarrow{MY}$



(5) In the opposite figure:

$m(\angle AMB) = 40^\circ$, $m(\angle BMC) = 100^\circ$,
 $m(\angle CMD) = 120^\circ$ and $m(\angle AMD) = 2X$

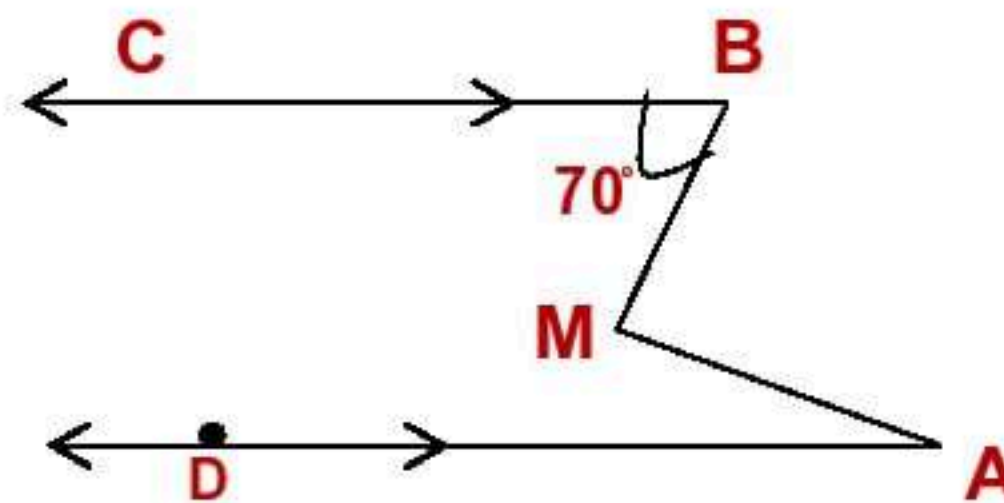
Find: The value of X



(6) In the opposite figure:

$\overrightarrow{BC} \parallel \overrightarrow{AD}$, $m(\angle CBM) = 70^\circ$
 $m(\text{reflex } \angle BMA) = 240^\circ$

Find: $m(\angle MAD)$

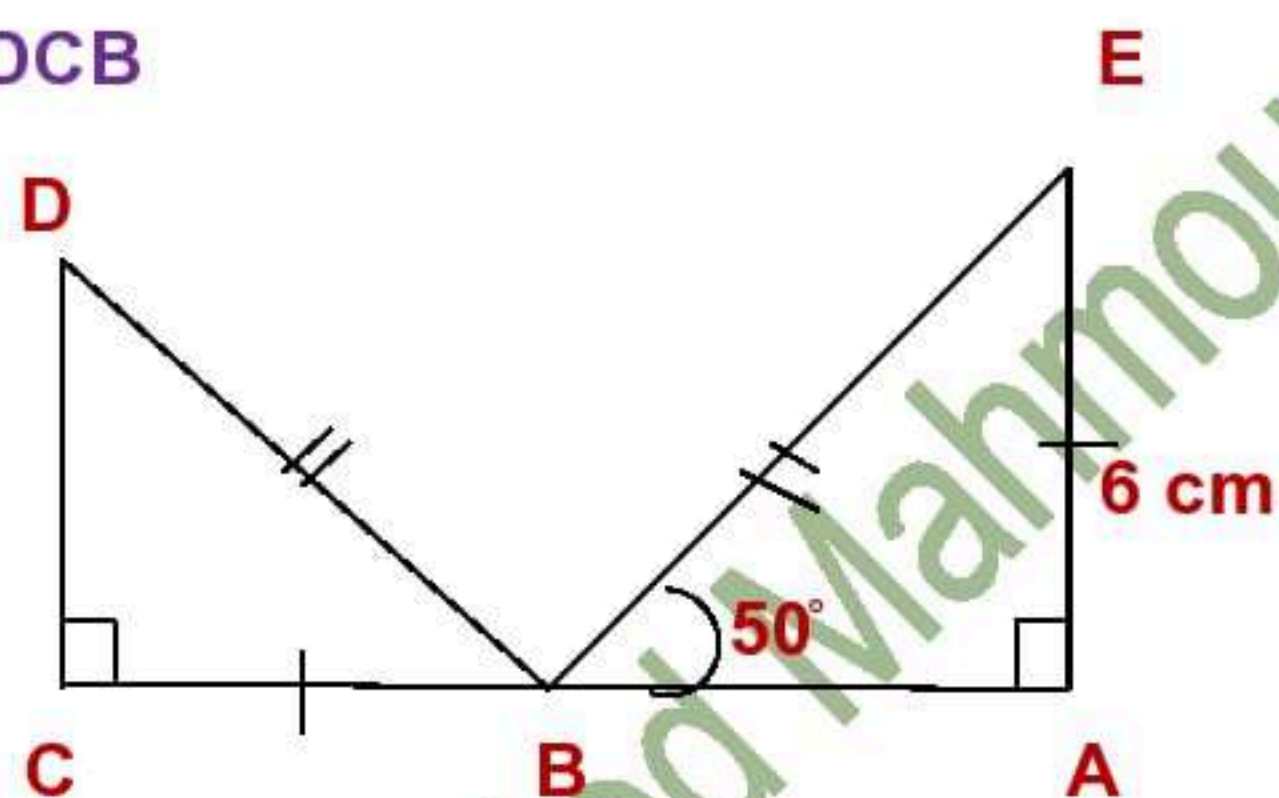


(7) In the opposite figure:

(1) Prove that : $\triangle BAE \equiv \triangle DCB$

(2) Find: $m(\angle BDC)$

(3) Find: The length of \overline{BC}

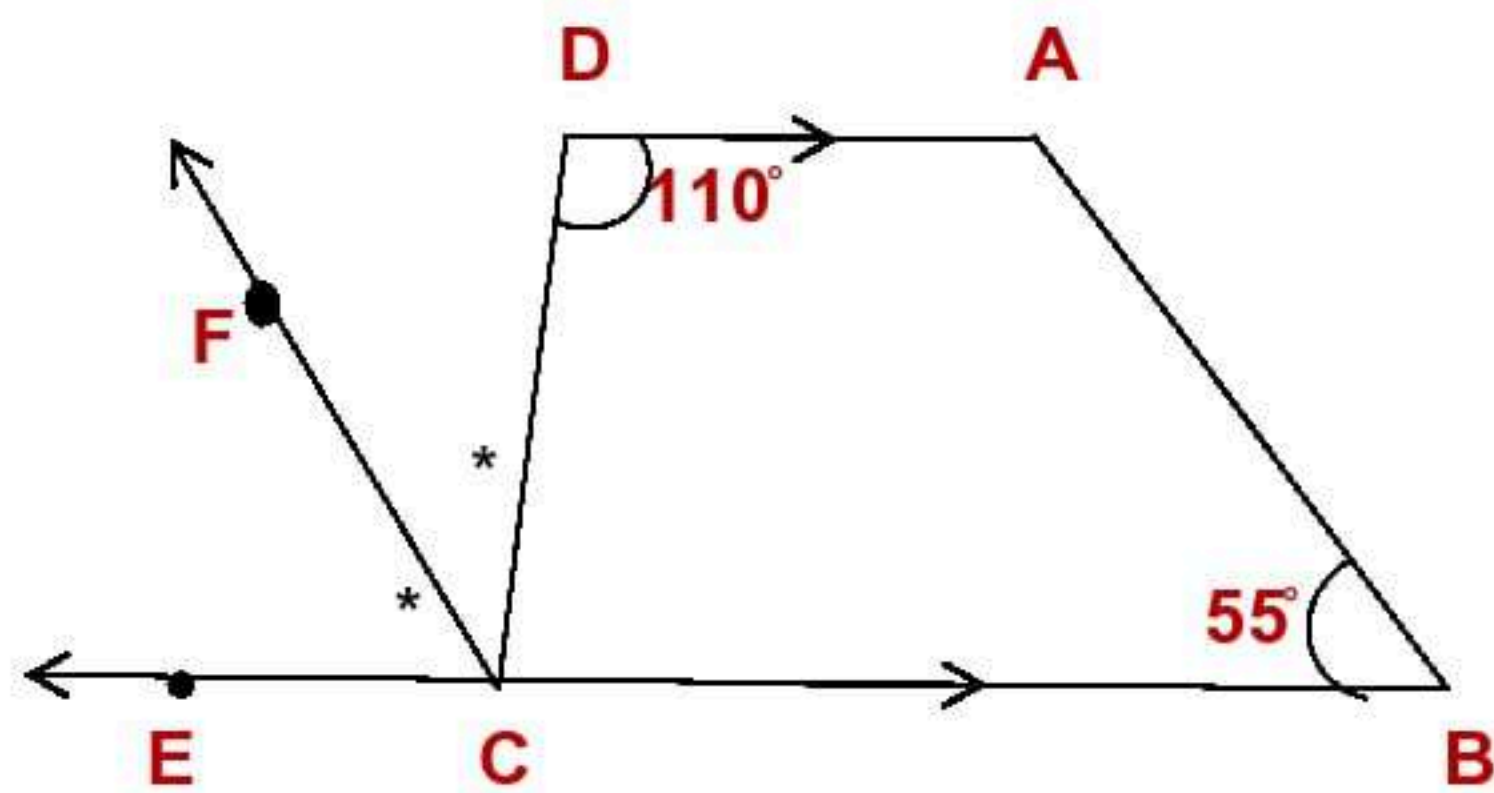


(8) In the opposite figure:

$\overline{AD} \parallel \overrightarrow{BC}$, \overrightarrow{CF} bisects $\angle DCE$, $E \in \overrightarrow{BC}$,

$m(\angle ABC) = 55^\circ$, $m(\angle ADC) = 110^\circ$

Is $\overline{AB} \parallel \overrightarrow{CF}$? Why?



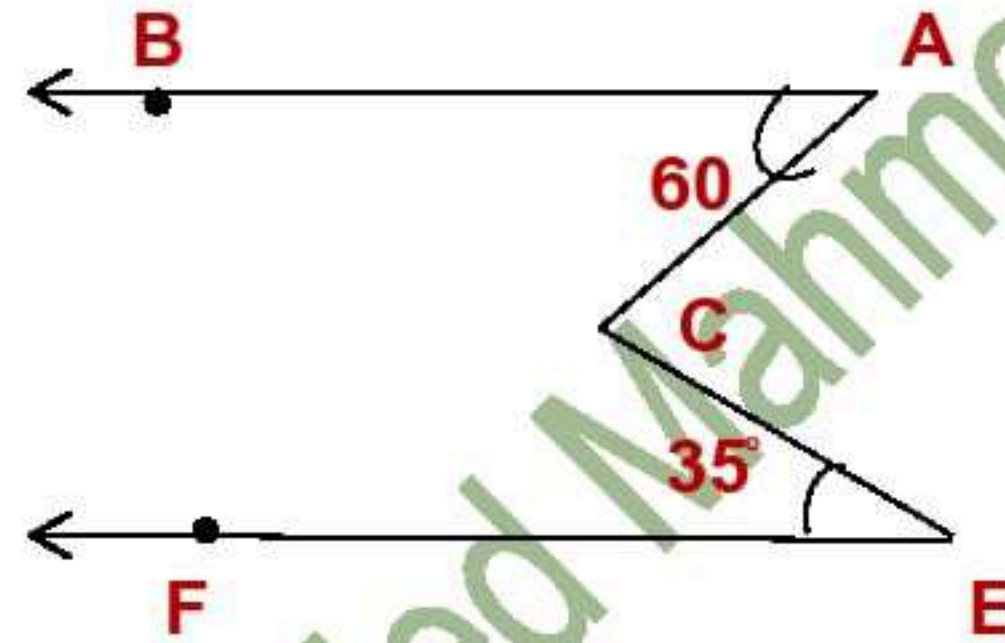
(9) In the opposite figure:

$\overrightarrow{AB} \parallel \overrightarrow{EF}$, $m(\angle A) = 60^\circ$,

$m(\angle E) = 35^\circ$

Find:

$m(\text{reflex } \angle ACE)$

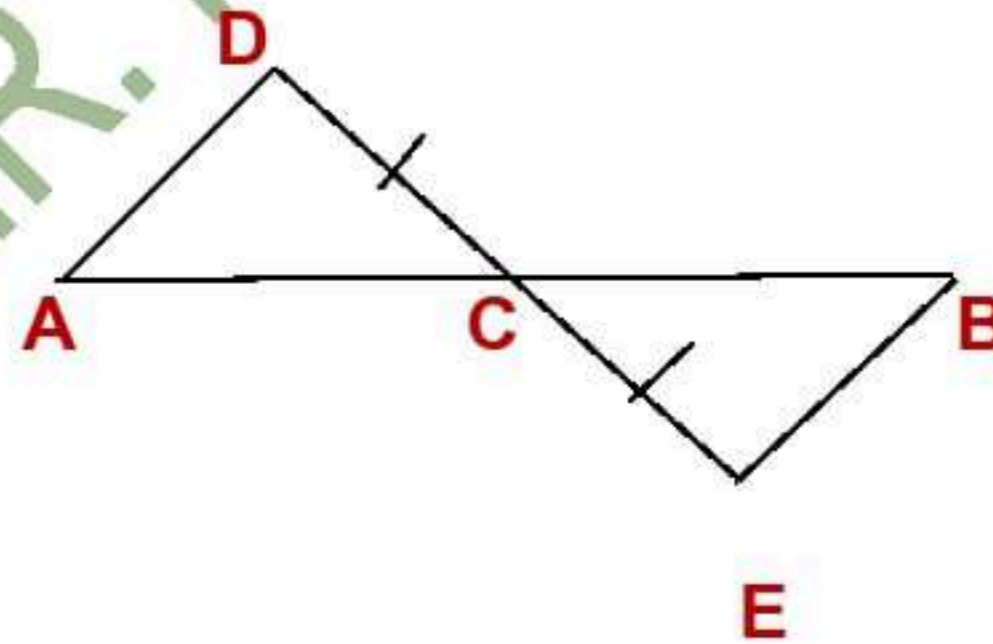


(10) In the opposite figure:

$\overline{AB} \cap \overline{DE} = \{C\}$, $EC = DC$

, $m(\angle E) = m(\angle D)$

Show that : $\triangle ACD \cong \triangle BCE$

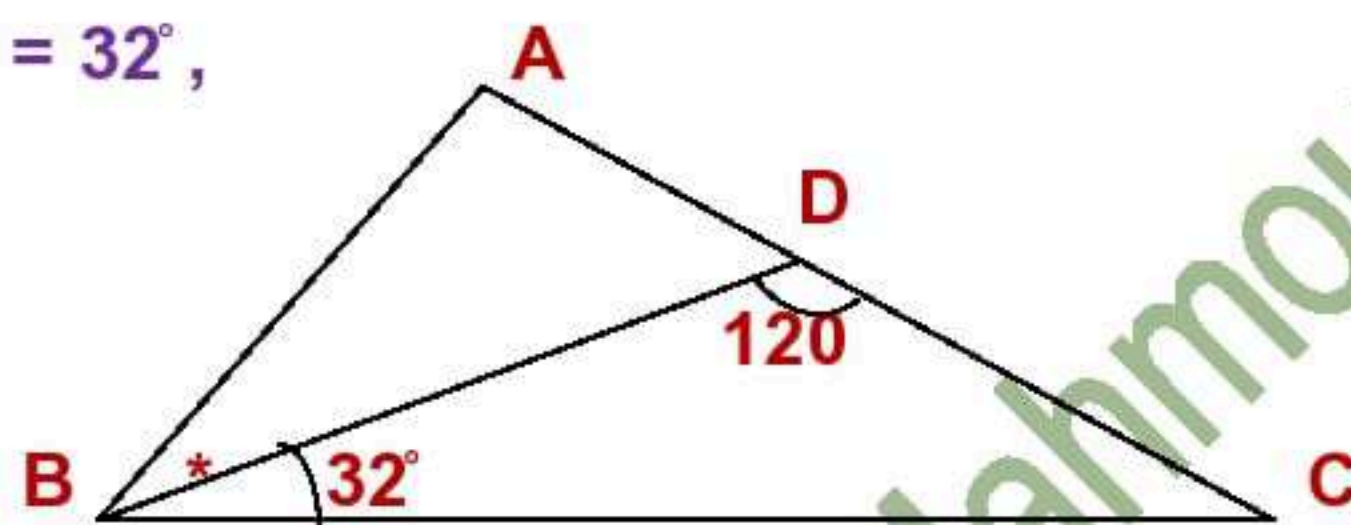


(11) In the opposite figure:

\overrightarrow{BD} bisects $\angle ABC$, $m(\angle CBD) = 32^\circ$,

$m(\angle BDC) = 120^\circ$

Find: $m(\angle A)$



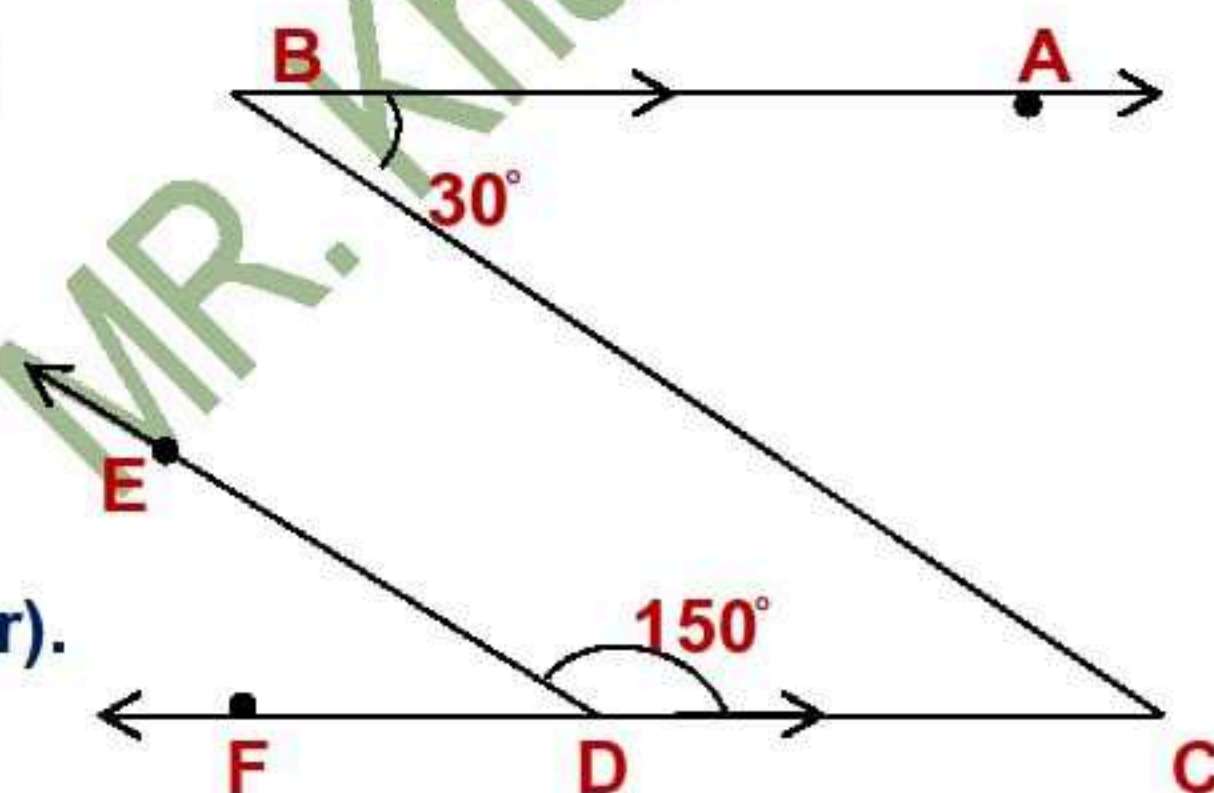
(12) In the opposite figure:

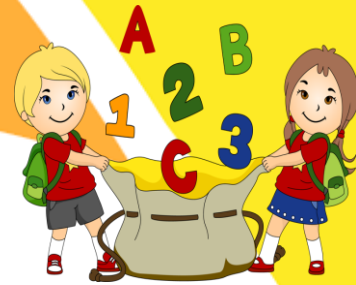
$\overrightarrow{BA} \parallel \overrightarrow{CD}$, $m(\angle ABC) = 30^\circ$,

$m(\angle EDC) = 150^\circ$

Is $\overrightarrow{DE} \parallel \overrightarrow{CB}$? Why?

(Write the steps of your answer).





Part (1)

Exercise (1)

(1) Choose the correct answer:

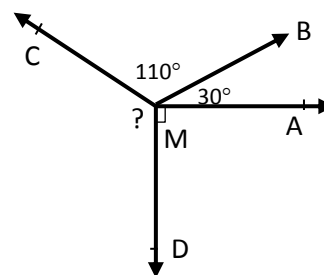
- 1) The acute supplements angle.
a) acute b) obtuse c) right d) reflex
- 2) The right angle complements angle whose measure is
a) 0° b) 45° c) 90° d) 180°
- 3) If $m(\angle A) = 2 m(\angle B)$, A complements $\angle B$, then $m(\angle A) =$
a) 15° b) 30° c) 45° d) 60°
- 4) If the ratio between two supplementary angles is 4 : 5 , then the measure of the greater angle is
a) 80° b) 100° c) 120° d) 150°

(2) In the figure opposite:

$m(\angle AMB) = 30^\circ$, $m(\angle BMC) = 110^\circ$

and $m(\angle AMD) = 90^\circ$.

Find $m(\angle CMD)$

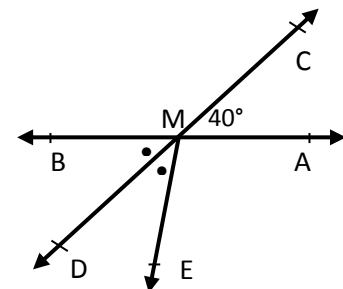


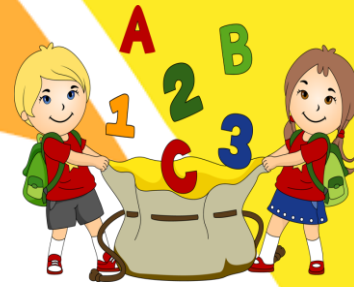
(3) In the figure opposite:

$\overleftrightarrow{AB} \cap \overleftrightarrow{CD} = \{M\}$, $m(\angle AMC) = 40^\circ$ and

\overleftrightarrow{MD} bisects $\angle BME$.

Find $m(\angle AME)$





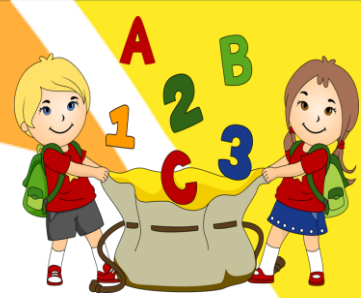
Exercise (2)

(1) Complete:

- 1) The measure of the straight angle equals
- 2) The angle whose measure is 36° complements an angle of measure and supplements an angle of measure
- 3) If the two outer sides of two adjacent angles are on the same straight line, then the two angles are
- 4) The sum of the measure of the accumulative angles at a point is
- 5) The angle whose measure is greater than 180° but less than 360° is called

(2) Choose the correct answer:

- 1) If $m(\angle A) = 90^\circ$, then $m(\text{reflex } \angle A) = \dots\dots\dots$
a) 0° b) 90° c) 180° d) 270°
- 2) The measure of the straight angle equals
- a) 90° b) 180° c) 270° d) 360°
- 3) The angle whose measure is 179° , its type is
- a) acute b) right c) obtuse d) straight
- 4) The sum of the measures of two adjacent angles formed by a straight line and a ray is
- a) 90° b) 180° c) 270° d) 360°

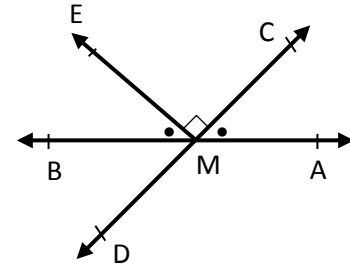


(3) In the figure opposite:

$$\overleftrightarrow{AB} \cap \overleftrightarrow{CD} = \{ M \}, m(\angle CME) = 90^\circ,$$

$$m(\angle AMC) = m(\angle EMB)$$

Find: $m(\angle AMC)$, $m(\angle BMD)$, $m(\angle AMD)$



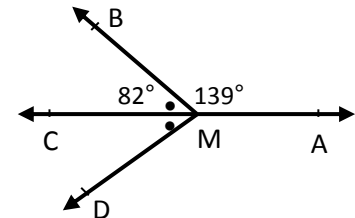
(4) In the figure opposite:

$$\overleftrightarrow{MC} \text{ bisects } \angle BMD, m(\angle BMD) = 82^\circ,$$

$$m(\angle AMB) = 139^\circ$$

Prove that:

MA, MC are on the same straight line.



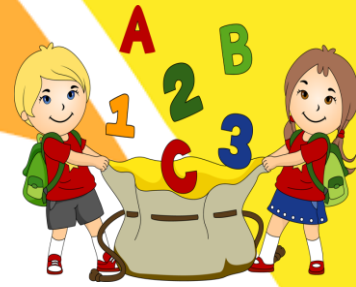
Exercise (3)

(1) Complete:

- 1) The acute angle is the angle whose measure is less than and more than
- 2) The two complement angles whose sum of their measures is
- 3) The two adjacent angles formed by a straight line and a ray
- 4) If two straight lines intersect, then two vertically opposite angles are

(2) Choose the correct answer:

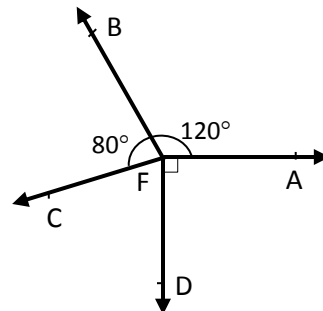
- 1) The angle whose measure is 37° complements an angle measure
 a) 37° b) 53° c) 63° d) 143°



- 2) The type of the angle whose measure equals 89° , is
- a) acute b) right c) obtuse d) reflex
- 3) If $m(\angle A) + m(\angle B) = 180^\circ$, then $\angle A$ and $\angle B$ are
- a) adjacent b) complementary
c) supplementary d) equal in measure
- 4) The sum of the measures of the accumulative angles at a point equals
- a) 90° b) 180° c) 270° d) 360°
- 5) If the ratio between two adjacent and supplementary angles is $1 : 2$, then the measure of the smaller angle is
- a) 30° b) 60° c) 120° d) 150°

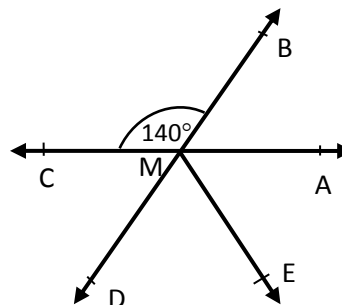
(3) In the figure opposite:

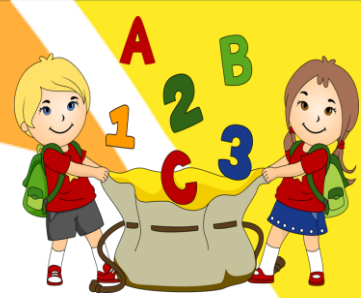
$m(\angle AFB) = 120^\circ$,
 $m(\angle BFC) = 80^\circ$, and
 $m(\angle AFD) = 90^\circ$
 Find: $m(\angle CFD)$



(4) In the figure opposite:

$\overleftrightarrow{AC} \cap \overleftrightarrow{BD} = \{M\}$,
 \overleftrightarrow{ME} bisect $(\angle AMD)$
 Find: $(\angle AMD)$, $m(\angle AME)$





Exercise (4)

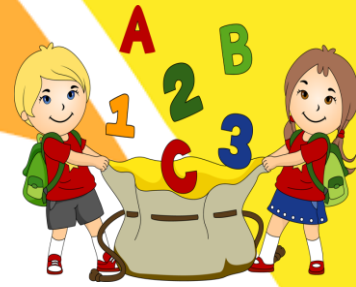
(1) Complete:

- 1) The two triangles are congruent if two sides and are congruent with their corresponding in the other triangle.
- 2) The two right-angled triangles are congruent if
- 3) Two triangles are congruent if two angles and are congruent with their corresponding in the other triangle.
- 4) Two triangles are congruent if each of one triangle are congruent with their corresponding in the other triangle.
- 5) If the two triangles ABC and DEF are congruent, then: $BC = \dots$,
 $m(\angle E) = m(\angle \dots)$
- 6) If $DE = XY$, $DF = XZ$ and $m(\angle D) = m(\angle X)$, then $\Delta\Delta (\dots, \dots)$
are congruent.
- 7) The two triangles XYZ and MNL are congruent, if $YZ = 8 \text{ cm}$,
 $m(\angle Y) = 40^\circ$ then in the other triangle: $\dots = 8 \text{ cm}$, $m(\angle \dots) = 40^\circ$

(2) Choose the correct answer:

- 1) Two triangles are congruent if are congruent.
 - a) two corresponding sides.
 - b) two corresponding sides and the included angle.
 - c) their corresponding angles.
- 2) If $AB = DF = 5 \text{ cm}$, $AC = DE = 7 \text{ cm}$, $m(\angle A) = m(\angle D) = 55^\circ$
then the two triangles ABC, DFE are congruent with

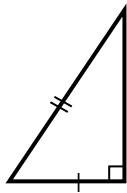
a) two sides and included angle	b) three sides
c) two angles	d) hypotenuse and a side



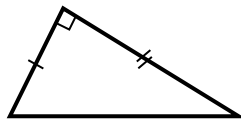
3) If the two triangles ABC, XYZ are congruent, then

- a) $AB = YZ$ b) $BC = XZ$
c) $YX = CA$ d) $ZY = CB$

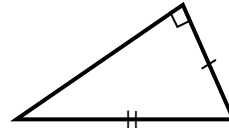
4) The following triangles are congruent except figure(.....):



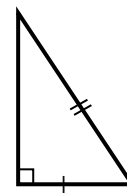
(1)



(2)



(3)

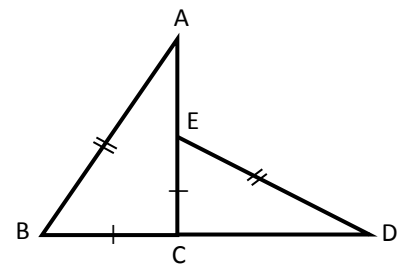


(4)

5) In the figure opposite:

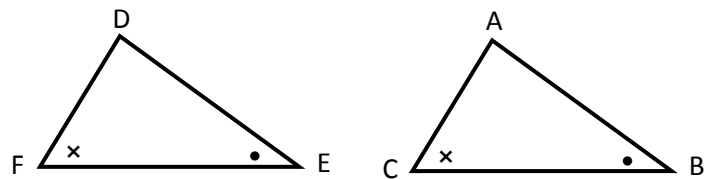
If $AB = DE$, $BC = EC$, then $m(\angle A) = \dots\dots\dots$

- a) $m(\angle B)$ b) $m(\angle D)$
c) $m(\angle DEC)$ d) $m(\angle ACD)$



6) In the figure opposite: The necessary condition to make $\triangle ABC$, $\triangle DEF$ are congruent if:

- a) $AB = DE$ b) $AC = DF$
c) $BC = EF$
d) $m(\angle A) = m(\angle D)$



7) In the following figure: pair of congruent triangles is figure (.....):

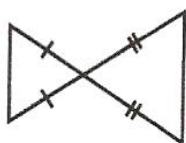


figure (1)



figure (2)

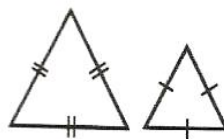


figure (3)

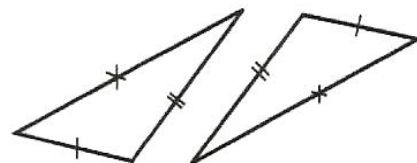
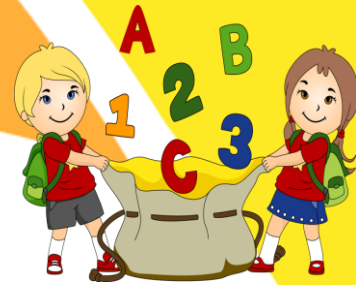


figure (4)



(3) In the figure below: Are the two triangles congruent?

(given reason),

Note: The similar signs denote the congruency of the elements marked by them.

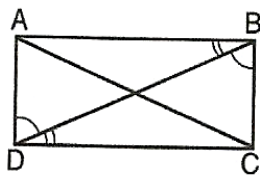


figure (1)

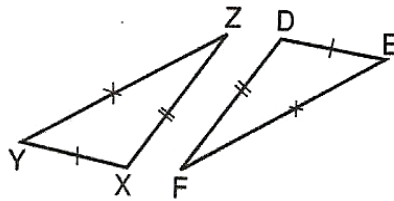


figure (2)

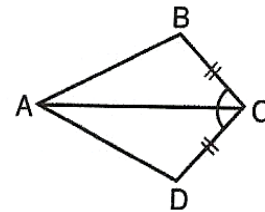


figure (3)

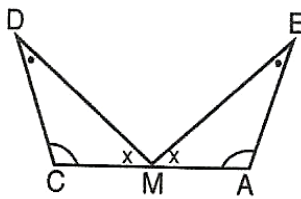


figure (4)

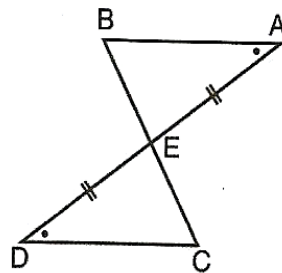


figure (5)

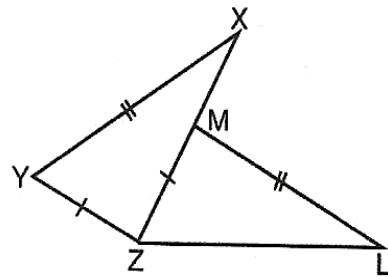


figure (6)

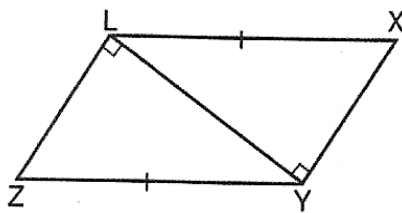


figure (7)

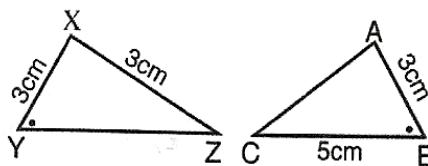


figure (8)

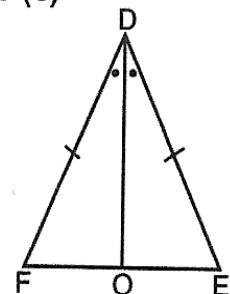


figure (9)

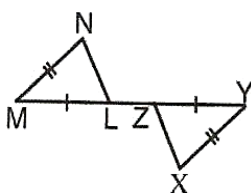


figure (10)

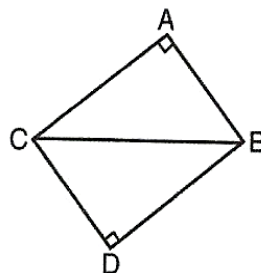


figure (11)

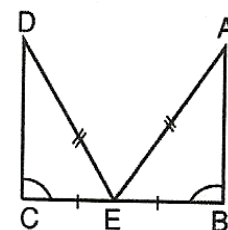
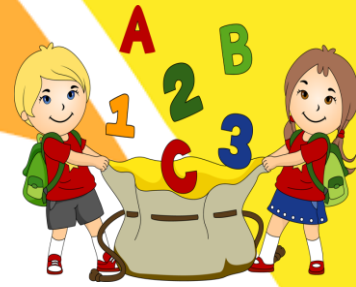


figure (12)



Part (2)

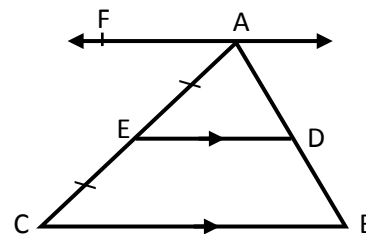
(1) Complete the following:

- 1) If a straight line intersects two parallel straight lines, then every two interior angles on one side of the transversal are
- 2) Two straight lines are parallel if they are cut by a transversal such that the two interior angles on one side of the transversal
- 3) If two straight lines are parallel to a third straight line, then these two straight lines
- 4) A straight line that is perpendicular to one of two parallel lines is
- 5) The two straight lines perpendicular to a third one are

- 6) In the figure opposite:

If $AB = 3 \text{ cm}$

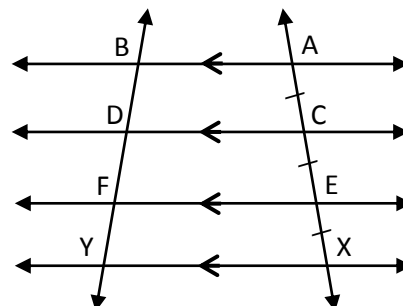
then $BD = \dots\dots\dots \text{ cm}$

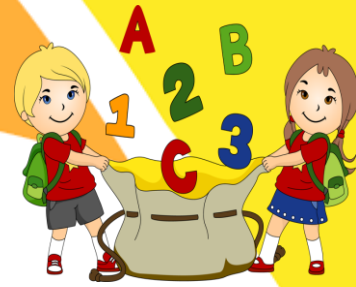


- 7) In the figure opposite:

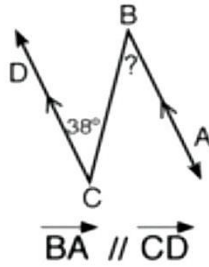
If $BF = 2 \text{ cm}$

then $BY = \dots\dots\dots \text{ cm}$

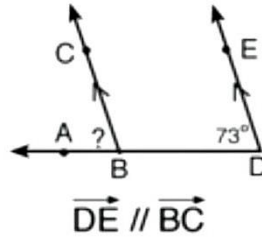




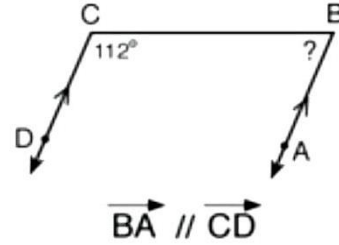
(2) In each of the following figures, find $m(\angle ABC)$:



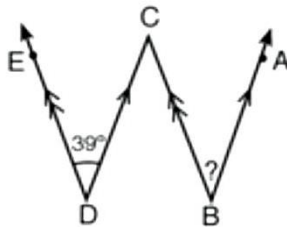
$\overrightarrow{BA} \parallel \overrightarrow{CD}$
 $m(\angle BCD) = 38^\circ$
figure (1)



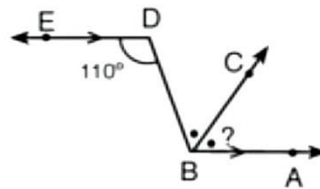
$\overrightarrow{DE} \parallel \overrightarrow{BC}$
 $m(\angle EDB) = 73^\circ$
figure (2)



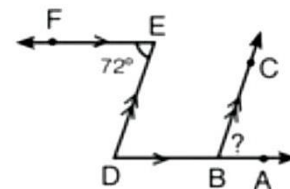
$\overrightarrow{BA} \parallel \overrightarrow{CD}$
 $m(\angle BCD) = 112^\circ$
figure (3)



$\overrightarrow{BA} \parallel \overrightarrow{DC}$
 $\overrightarrow{BC} \parallel \overrightarrow{DE}$
 $m(\angle CDE) = 39^\circ$
figure (4)



$\overrightarrow{BA} \parallel \overrightarrow{DE}$
 \overrightarrow{BC} bisects $\angle ABD$
 $m(\angle BDE) = 110^\circ$
figure (5)



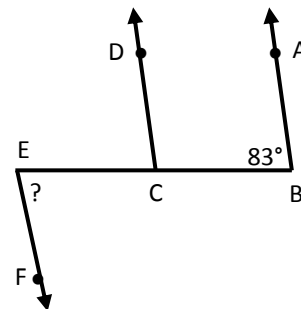
$\overrightarrow{DA} \parallel \overrightarrow{EF}$
 $\overrightarrow{BC} \parallel \overrightarrow{DE}$
 $m(\angle DEF) = 72^\circ$
figure (6)

(3) In the opposite figure:

$$\overrightarrow{BA} \parallel \overrightarrow{CD}, \overrightarrow{CD} \parallel \overrightarrow{EF}$$

$$\text{and } m(\angle ABC) = 83^\circ$$

Find: $m(\angle CEF)$

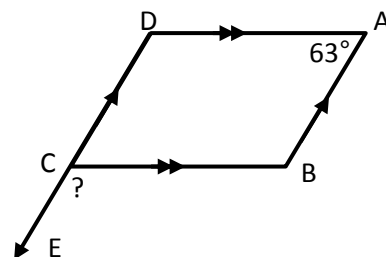


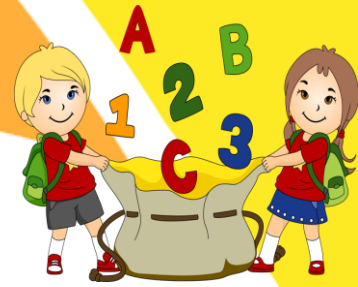
(4) In the opposite figure:

$$\overrightarrow{AB} \parallel \overrightarrow{DC}, \overrightarrow{AD} \parallel \overrightarrow{BC} \text{ and}$$

$$m(\angle BAD) = 63^\circ$$

Find $m(\angle BCE)$



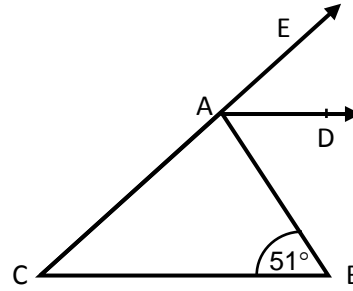


(5) In the opposite figure:

$\overrightarrow{AD} \parallel \overrightarrow{CB}$, \overrightarrow{AD} bisects $\angle BAE$

and $m(\angle B) = 51^\circ$

Find: $m(\angle BAD)$, $m(\angle C)$

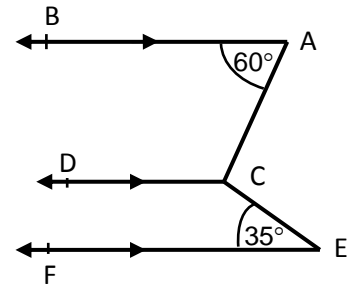


(6) In the opposite figure:

$\overrightarrow{AB} \parallel \overrightarrow{CD}$, $\overrightarrow{AB} \parallel \overrightarrow{EF}$

$m(\angle A) = 60^\circ$, $m(\angle E) = 35^\circ$

Find $m(\angle ACE)$



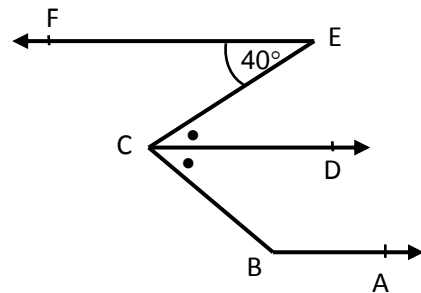
(7) In the opposite figure:

$\overrightarrow{BA} \parallel \overrightarrow{CD}$, $\overrightarrow{CD} \parallel \overrightarrow{EF}$

\overrightarrow{CD} bisects $\angle BCE$

and $m(\angle CEF) = 40^\circ$

Find $m(\angle B)$



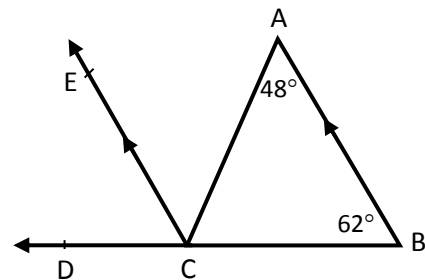
(8) In the opposite figure:

$\overrightarrow{BA} \parallel \overrightarrow{CE}$, $m(\angle A) = 48^\circ$

$D \in \overrightarrow{BC}$, $m(\angle B) = 62^\circ$

Find: $m(\angle ECD)$, $m(\angle ACE)$,

and $m(\angle ACB)$



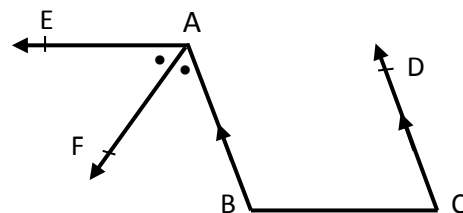
(9) In the opposite figure:

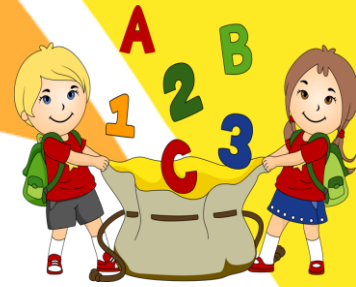
$\overrightarrow{CD} \parallel \overrightarrow{BA}$, $\overrightarrow{CB} \parallel \overrightarrow{AE}$

\overrightarrow{AF} bisects $\angle BAE$, and

$m(\angle FAE) = 58^\circ$

Find: $m(\angle C)$





(10) In which of the following figures: $\overleftrightarrow{AB} \parallel \overleftrightarrow{CD}$

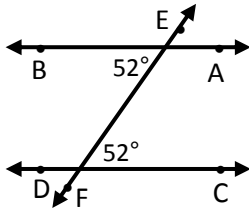


Figure (1)

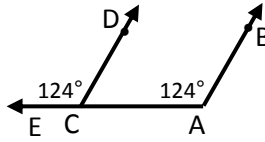


Figure (2)

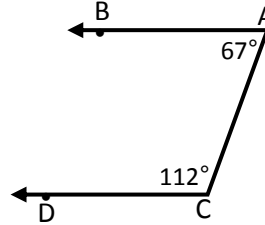


Figure (3)

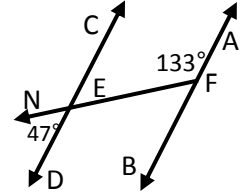
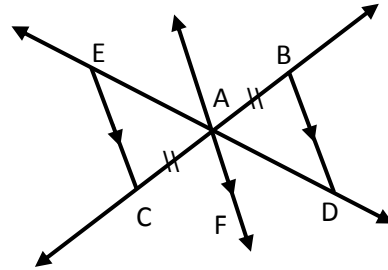


Figure (4)

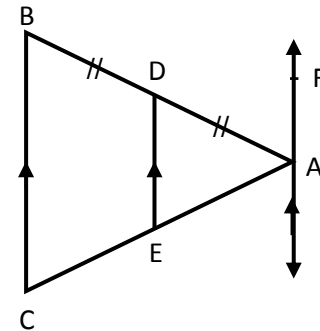
(11) In the figure opposite:

$\overleftrightarrow{BD} \parallel \overleftrightarrow{AF} \parallel \overleftrightarrow{CE}$, $AB = AC$ and
 $DE = 12$ cm
 Find the length of \overline{AD}



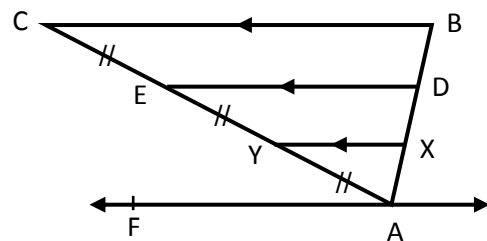
(12) In the figure opposite:

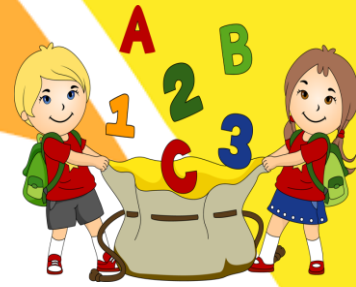
$\overleftrightarrow{AF} \parallel \overleftrightarrow{DE} \parallel \overleftrightarrow{BC}$, $AD = BD$
 $AD = 5$ cm, $AE = 4$ cm, $BC = 6$ cm
 Find the perimeter of $\triangle ABC$



(13) In the figure opposite:

$\overleftrightarrow{AF} \parallel \overleftrightarrow{XY} \parallel \overleftrightarrow{DE} \parallel \overleftrightarrow{BC}$ and
 $AY = YE = EC$,
 $AY = 3$ cm, $AX = 2$ cm,
 the perimeter of $\triangle ABC = 23$ cm find BC





Model Answer

Part (1)

Exercise (1)

(1) Choose:

1) obtuse

2) 0°

3) 60°

4) 100°

(2) $360 - (110 + 30 + 90) = 130^\circ$

(3) $180 - 80 = 100^\circ$

Exercise (2)

(1) Complete:

1) 180°

2) $90 - 36 = 54^\circ$

$180 - 36 = 144^\circ$

3) supplementary

4) 360°

5) reflex angle

(2) 1) 270°

2) 180°

3) obtuse angle

4) 180°

(3) $m(\angle AMC) = 180 - 90 = 90^\circ$

$$\frac{90}{2} = 45^\circ$$

$$m(\angle BMD) = m(\angle AMC) = 45^\circ \rightarrow (\text{V.O.A})$$

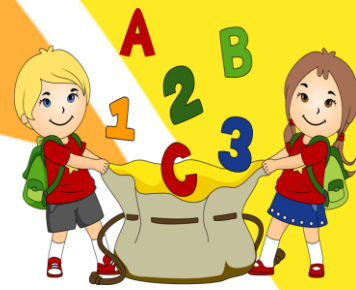
$$m(\angle AMD) = 180 - 45 = 135^\circ$$

(4) $\therefore \overline{MC}$ bisect $(\angle BMD)$

$$\therefore m(\angle CMB) = \frac{82}{2} = 41^\circ$$

$$\therefore m(\angle CMB) + m(\angle BMA) = 41 + 139 = 180^\circ$$

$\therefore \overline{MC}, \overline{MA}$ are on the same straight line

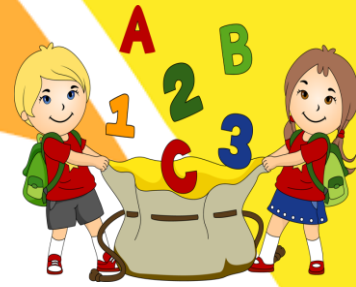


Exercise (3)

- (1) 1) 90° , zero 2) 90°
3) are supplementary 4) equal
- (2) 1) 53° 2) acute 3) supplementary
4) 360° 5) 60°
- (3) $m(\angle CFD) = 360 - (120 + 80 + 90) = 70^\circ$
- (4) $m(\angle AMD) = m(\angle BMC) = 140^\circ \rightarrow (V.O.A)$
 $\therefore \overline{ME}$ bisect $(\angle AMD) = \frac{140}{2} = 70^\circ$

Exercise (4)

- (1) 1) Included angle
2) The hypotenuse and a side of one triangle are congruent to the corresponding parts of the other.
3) The side drawn between their vertices
4) sides 5) EF , B
6) $\triangle DEF$, XYZ 7) NL , $m(\angle n)$
- (2) 1) b 2) a 3) d 4) 2
5) b 6) c 7) 4
- (3) 1) yes (A.S.A) 2) yes (S.S.S)
3) yes (S.A.S) 4) No
5) yes (A.S.A) 6) No
7) yes (R.H.S) 8) No
9) yes (S.A.S) 10) No
11) No 12) No



Part (2)

(1) Complete the following:

- | | |
|------------------|-------------------------------|
| 1) supplementary | 2) supplementary |
| 3) are parallel | 4) perpendicular to the other |
| 5) parallel | 6) 1.5 cm |
| 7) 3 cm | |

(2)

- | | | |
|---------------|-------------------------------|---------------------------|
| 1) 38° | 2) 73° | 3) $180 - 112 = 68^\circ$ |
| 4) 39° | 5) $\frac{110}{2} = 55^\circ$ | 6) 72° |

(3)

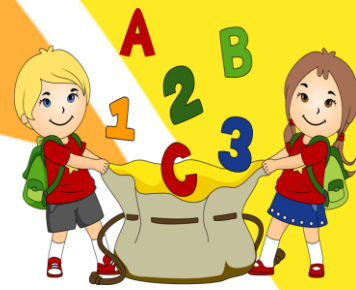
- $\therefore \overline{BA} \parallel \overline{CD}$, \overline{BC} transversal
- $\therefore m(\angle DCE) = m(\angle ABC) = 83^\circ$ corresponding angles
- $\therefore \overline{CD} \parallel \overline{EF}$, \overline{CE} transversal
- $\therefore m(\angle FEC) = m(\angle DCE) = 83^\circ$ Alternates angles

(4)

- $\therefore \overline{AB} \parallel \overline{CD}$, \overline{AD} transversal
- $\therefore m(\angle ADC) = 180 - 63 = 117^\circ$ interior angles
- $\therefore \overline{AD} \parallel \overline{CB}$, \overline{CD} transversal
- $\therefore m(\angle BCE) = m(\angle ADC) = 117^\circ$ Corresponding angles

(5)

- $\therefore \overline{AD} \parallel \overline{CB}$, \overline{AB} transversal
- $\therefore m(\angle DAB) = m(\angle B) = 51^\circ$ Alternate angles
- $\therefore \overline{AD}$ bisect $(\angle BAE)$
- $\therefore m(\angle EAD) = 51^\circ$
- $\therefore m(\angle C) = m(\angle EAD) = 51^\circ$ Corresponding angles



(6) ∴ $\overline{BA} \parallel \overline{CD}$, \overline{AC} transversal

∴ $m(\angle ACD) = 180 - 60 = 120^\circ$ Interior angles

∴ $\overline{CD} \parallel \overline{EF}$, \overline{CE} transversal

∴ $m(\angle DCE) = 180 - 35 = 145^\circ$ Interior angles

∴ $m(\angle ACE) = 360 - (145 + 120) = 95^\circ$

(7) ∴ $\overline{EF} \parallel \overline{CD}$, \overline{CE} transversal

∴ $m(\angle E) = m(\angle ECD) = 40^\circ$ Alternate angles

∴ \overline{CD} bisect $(\angle ECB)$

∴ $m(\angle DEB) = 40^\circ$

∴ $\overline{CD} \parallel \overline{BA}$, \overline{CB} transversal

∴ $m(\angle B) = 180 - 40 = 140^\circ$

(8) ∴ $\overline{AB} \parallel \overline{CE}$, \overline{CB} is transversal

∴ $m(\angle B) = m(\angle ECD) = 62^\circ$ Corresponding angles

∴ $m(\angle ECA) = m(\angle A) = 48^\circ$ Alternate angles

∴ $m(\angle A) + m(\angle B) + m(\angle C) = 180^\circ$

Sum of interior angles of triangle

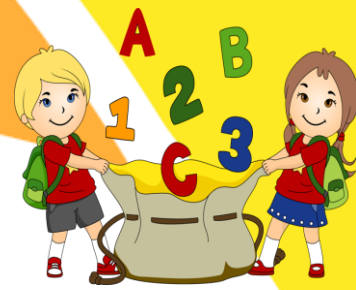
∴ $m(\angle C) = 180 - (62 + 48) = 70^\circ$

(9) ∴ $\overline{EA} \parallel \overline{BC}$, \overline{AB} is transversal

∴ $m(\angle B) = m(\angle A) = 58 \times 2 = 116^\circ$ Alternate angles

∴ $\overline{AB} \parallel \overline{CD}$, \overline{BC} is transversal

∴ $m(\angle C) = 180 - 116 = 64^\circ$ (interior angles)



(10) ∴ Figure (1 , 2 , 4)

(11) ∴ $\overline{AF} \parallel \overline{BD} \parallel \overline{CE}$ and
 $AB = AC$

$$\therefore AD = AE = \frac{12}{2} = 6 \text{ cm}$$

(12) ∴ $\overline{AF} \parallel \overline{DE} \parallel \overline{BC}$ and $AD = DB$

$$\therefore AE = EC = 4 \text{ cm}$$

$$\therefore \text{p. of } \triangle ABC = 5 + 5 + 6 + 4 + 4 = 24 \text{ cm}$$

(13) ∴ $\overline{YX} \parallel \overline{ED} \parallel \overline{CB}$,

$$AY = YE = EC = 3 \text{ cm}$$

$$\therefore AX = XD = DB = 2 \text{ cm}$$

$$\therefore \text{p. of } \triangle ABC = 23 \text{ cm}$$

$$\therefore BC = 23 - [2 + 2 + 2 + 3 + 3 + 3] = 8 \text{ cm}$$

1st prep



Geometry

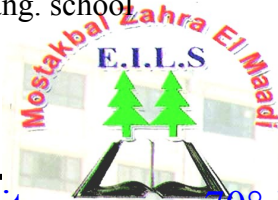


Questions:

A) Complete:

- 1) The sum of measure of accumalative angles =
- 2) If $m(\angle X) = 80^\circ$, $m(\angle Y) = 100^\circ$ then $\angle X$ and $\angle Y$ are angles.
- 3) If $\Delta XYZ \equiv \Delta LMN$, $m(\angle X) = 60^\circ$, $m(\angle N) = 70^\circ$, $m(\angle Y)$ =
- 4) If a straight line intersects two parallel straight lines then each two interior angles are
- 5) Two triangles are congruent if two sides and
- 6) The two adjacent angles in which the two outer sides are on the same straight line are
- 7) Rectangle its length 4 cm and width 3 cm, then the area of the square drawn on its diagonal =
- 8) The straight line that perpendicular to line segment from its middle called
- 9) If two straight lines intersected then every two vertically opposite angle are
- 10) If \overrightarrow{YL} bisecting $\angle XYZ$, $m(\angle XYL) = 50^\circ$ then $m(\angle XYZ)$ =
- 11) If a straight line intersect two straight lines and two alternate angles are equal in measure, then the two lines are
- 12) The axis of symetry of line segment is the straight line

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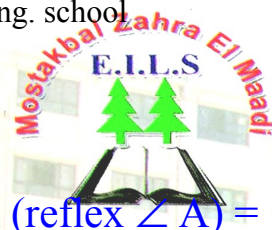


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- 13) The supplement of angle its measure 70° is the angle its measure
- 14) If the polygon $ABCD \equiv$ polygon $XYZL$, then the vertex Z congruent to vertex
- 15) If $\overrightarrow{BA} \perp \overrightarrow{BC}$, \overrightarrow{BD} bisects $\angle ABC$ then $m(\angle ABD) =$
- 16) The measure of two complementary angles equal
- 17) Two triangles are congruent if two angles and
- 18) If a straight line intersects two parallel straight lines then each two alternate angles are
- 19) If : $\overline{LM} \equiv \overline{CD}$ then $LM - CD =$
- 20) If : $\overline{XY} \equiv \overline{AB}$, $XY = 3\text{cm}$ then $AB =$ cm.
- 21) In the right angled triangle, the area of square drawn on its hypotenuse =
- 22) Two right-angled triangles are congruent if
- 23) The two adjacent angles formed by a straight line and a ray with a starting point on this straight line are
- 24) If : $\triangle ABC \equiv \triangle XYZ$ and if $m(\angle X) + m(\angle Y) = 120^\circ$ then $m(\angle C) =$
- 25) If the straight angle bisected then the result angles will be
- 26) The angle is
- 27) The two perpendicular straight lines to a third line are
- 28) The outer sides of the complementary adjacent angles are
- 29) The two bisectors of the two supplementary adjacent angles are
- 30) The outer sides of the two supplementary adjacent angles are

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31) If $m(\angle A) = 70^\circ$, then $m(\text{reflex } \angle A) = \dots\dots\dots$

32) The supplements of the acute angle is $\dots\dots\dots$

33) If $\angle A \equiv \angle B$, $m(\angle A) = 50^\circ$ then

$$m(\angle A) + m(\angle B) = \dots\dots\dots$$

34) The measure of the angle is 70° then the measure of the complementary angle is $\dots\dots\dots$

35) If the polygon $ABCD \equiv$ the polygon $ABXY$ then the common side is $\dots\dots\dots$

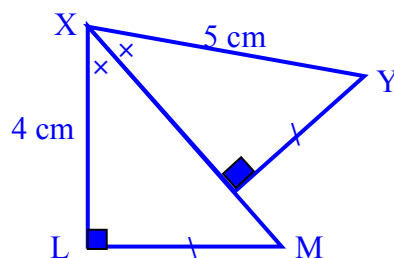
(B) By using ruler and protractor and compasses:

- 1) Draw angle its measure 45° then bisect it. "Don't delete the arcs"
- 2) Draw $\triangle ABC$ in which $AB = AC = 5 \text{ cm}$, $BC = 6 \text{ cm}$ then bisect $(\angle C)$.
- 3) Draw angle its measure 80° then bisect it.
- 4) Draw angle its vertex A and its measure 120° then bisect it to two equal halves.
- 5) Draw $\triangle ABC$ in which $AB = 6 \text{ cm}$, $m(\angle A) = 50^\circ$, $m(\angle B) = 70^\circ$ then bisect $(\angle A)$, $(\angle B)$ with two bisects intersects at point M .

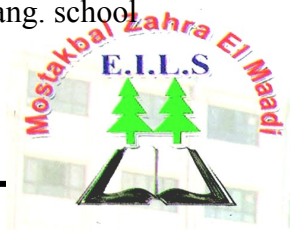
Find $m(\angle AMB)$

(C) In the next figures:

- 1) Is $\triangle XYZ \equiv \triangle XML$?
- 2) If the triangles are congruent, state the case of congruence.
- 3) Find length of \overline{ZM}



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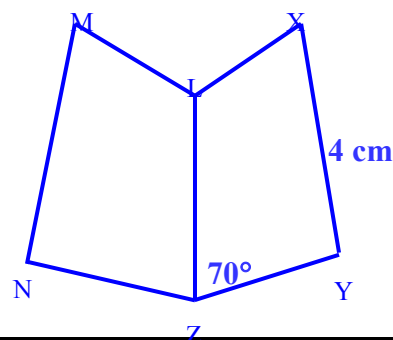
(1) The polygon $XYZL \equiv$ the polygon $MNZL$

the area $XYZL = 100 \text{ cm}^2$

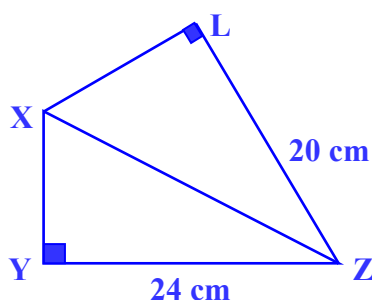
Find: 1) $m(\angle XYN) = \dots\dots\dots$

2) perimeter of figure $XYZNML = \dots\dots\dots$

3) Area of figure $XYZNML = \dots\dots\dots$



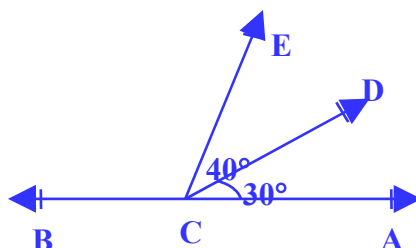
(2)



1) Find the area of square drawn on $XZ = \dots\dots\dots$

2) Find the area of square drawn on $LX = \dots\dots\dots$

(3)



Find: $m(\angle ECB) = \dots\dots\dots^\circ$

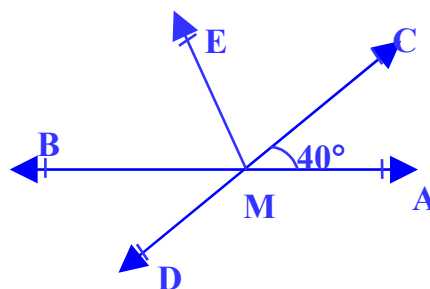
(4)

$\overleftrightarrow{AB} \cap \overleftrightarrow{CD}$, \overrightarrow{ME} bisects $\angle CMB$,

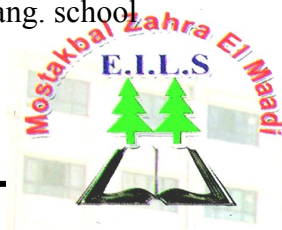
$m(\angle AMC) = 40^\circ$

Find: $m(\angle BMD) = \dots\dots\dots^\circ$

$m(\angle EMD) = \dots\dots\dots^\circ$



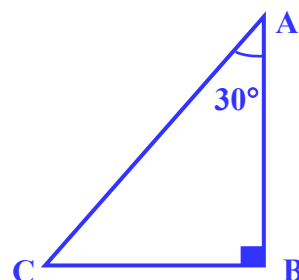
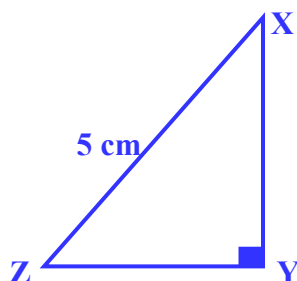
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Geometry



(5)



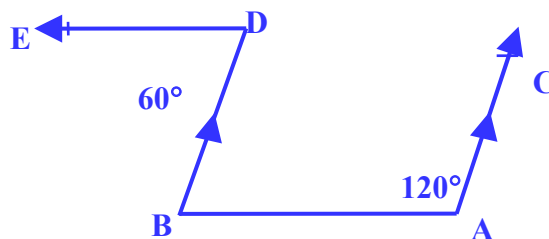
If : $\triangle ABC \equiv \triangle XYZ$, find :

$m(\angle Z)$ and the length of \overline{AC}

(6) $\overrightarrow{AC} \parallel \overrightarrow{BD}$, $m(\angle A) = 120^\circ$,
 $m(\angle D) = 60^\circ$

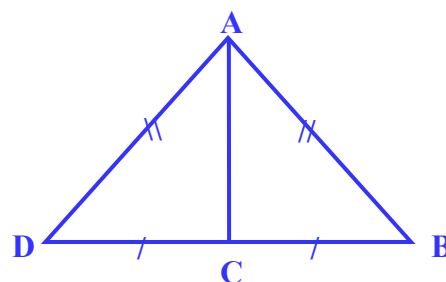
Find: 1) $m(\angle B)$

2) $\overrightarrow{DE} \parallel \overrightarrow{AB}$, why?



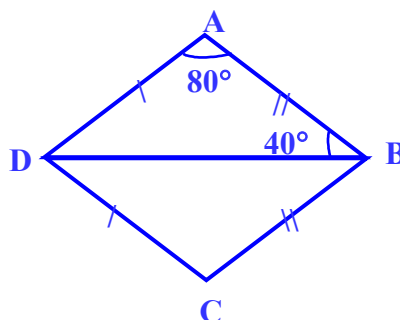
(7)

Are the two triangle ABC , ACD
 congruence, state the condition of
 congruence

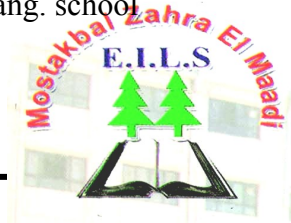


(8)

Find : $m(\angle ADC)$



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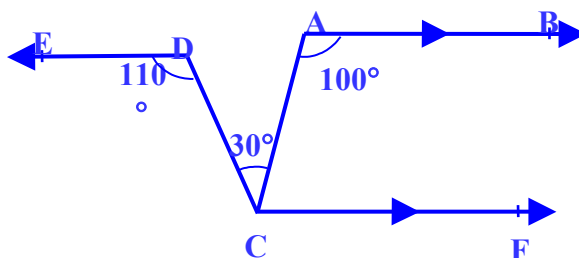
Geometry



(9)

Find: 1) $m(\angle DCF)$

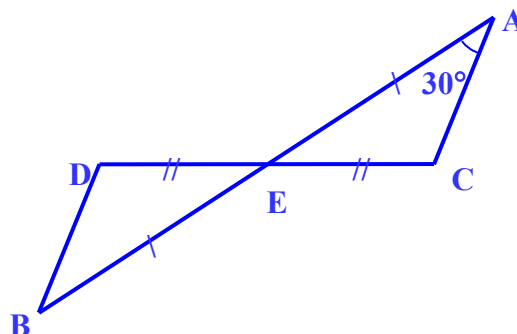
2) Are $DE \parallel CF$, why?



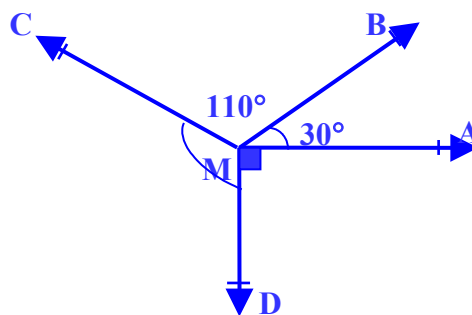
(10) Are $\triangle ACE \equiv \triangle BDE$

* Find : $m(\angle B)$

Are $\overline{AC} \parallel \overline{DB}$

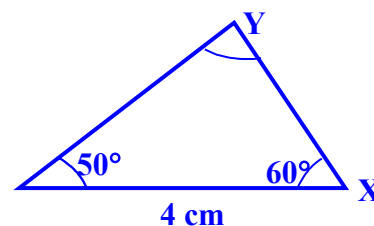
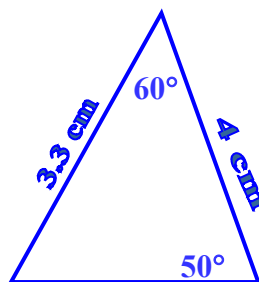


(11) Find $m(\angle CMD) = 130^\circ$

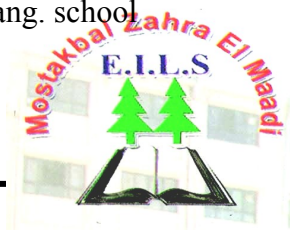


(12) Study the opposite two figures: then

Find the value of X and Y



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Geometry



(13) \overleftrightarrow{AC} bisects $\angle DAB$

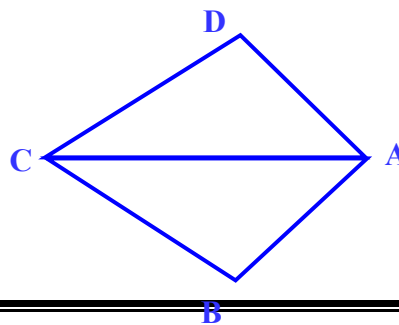
$m(\angle B) = 110^\circ$, $AB = 5\text{cm}$

$DC = 8\text{ cm}$, **find**

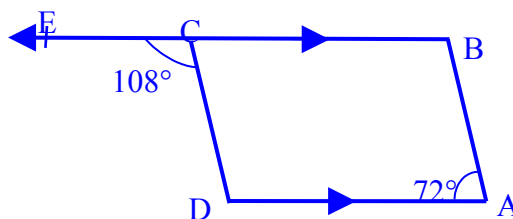
1) $m(\angle D)$

2) Length of \overline{BC}

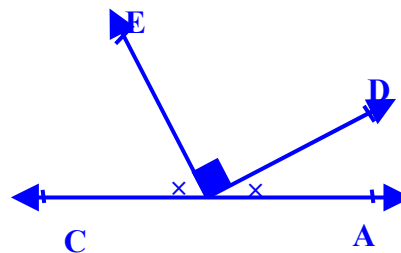
3) Length \overline{AD}



(14) Prove that $\overline{AB} \parallel \overline{CD}$



(15) $m(\angle EBC)$



The Answers

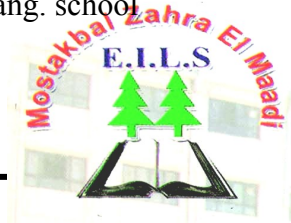
(1) Complete:

1) 360°

2) supplementary

3) 50°

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4) supplementary angle

5) included angle in one of them are congruent to its corresponding elements in the other triangle.

6) supplementary

7) 25 cm^2

8) axis of symmetry

9) equal in measure

10) 100°

11) parallel

12) perpendicular to it from its middle

13) 110°

14) C

15) 45°

16) 90°

17) Side drawn between them in one of them congruent to the corresponding elements in the other triangle.

18) equal in measure

19) zero

20) 3 cm

21) The sum of area of the two squares drawn on the sides of right angle.

22) hypotenuse and one side of right angle are congruent to its corresponding elements in the other triangle.

23) supplementary

24) 60°

25) right angles

26) union of two rays has same starting point

27) parallel

28) perpendicular

29) perpendicular

30) On the same straight line (collinear)

31) 290°

32) obtuse angle

33) 100°

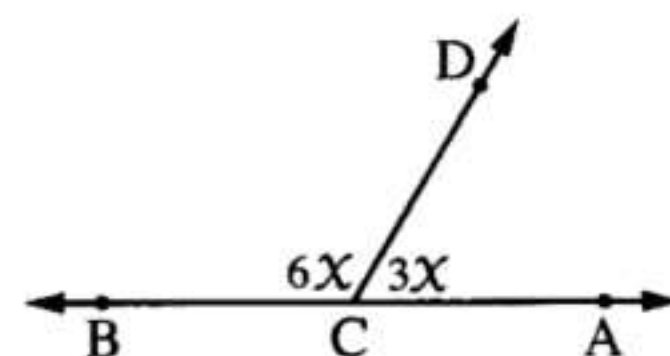
34) 20°

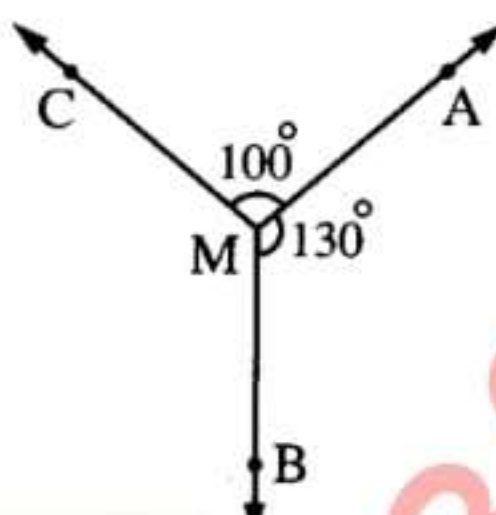
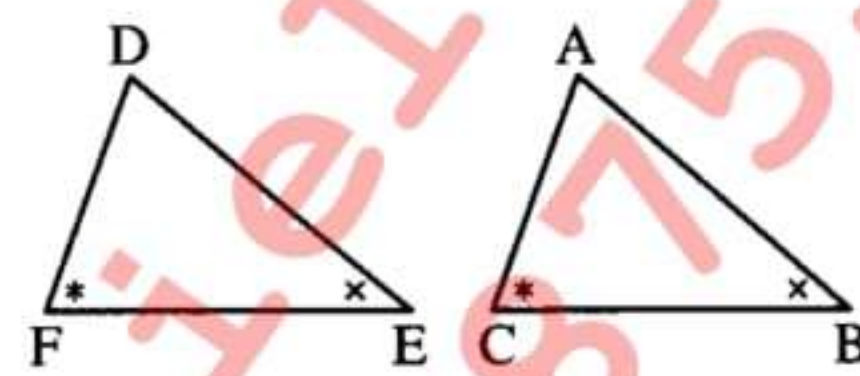
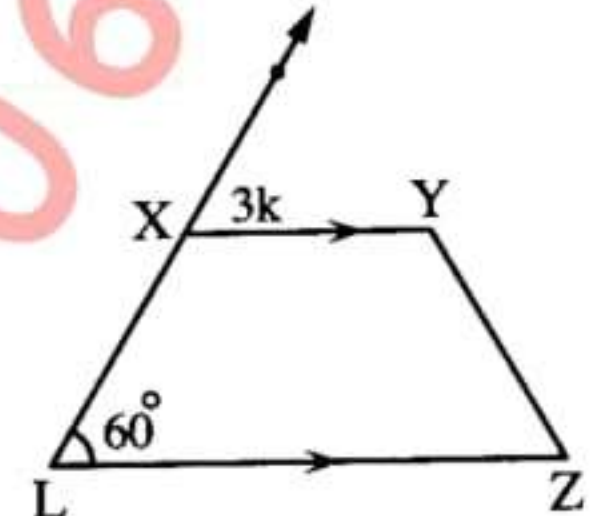
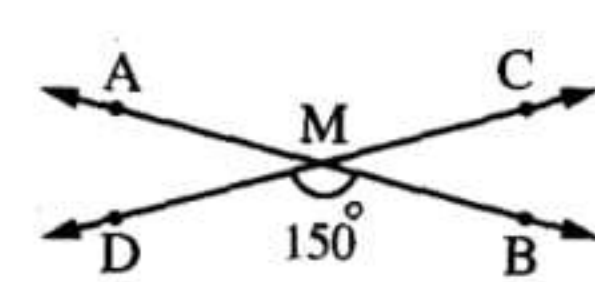
35) \overline{AB}

[A] : Choose The Correct Answer : -

1	The measure of the right angle =° (a) 90 (b) 180 (c) 270 (d) 360	A
2	The type of the angle of measure $179^{\circ} 60'$ is angle. (a) acute (b) obtuse (c) straight (d) right	C
3	The angle whose measure is 210° is angle. (a) an acute (b) a right (c) an obtuse (d) a reflex	D
4	If $m(\angle B) = 120^{\circ}$, then $m(\text{reflex } \angle B) = \dots\dots\dots^{\circ}$ (a) 60 (b) 120 (c) 240 (d) 180	C
5	The angle of measure 70° complements an angle of measure° (a) 90 (b) 20 (c) 180 (d) 110	B
6	If $\angle A$ complements $\angle B$, $m(\angle A) = m(\angle B)$, then $m(\angle A) = \dots\dots\dots^{\circ}$ (a) 90 (b) 180 (c) 45 (d) 60	C
7	The acute angle complements angle. (a) an acute (b) an obtuse (c) a right (d) a reflex	A
8	The supplementary angle of the angle of measure 70° is (a) 30° (b) 110° (c) 20° (d) 290°	B
9	The acute angle supplements angle. (a) an acute (b) an obtuse (c) a right (d) a reflex	B
10	If one of two supplementary angles is right, then the other is angle. (a) an acute (b) a right (c) an obtuse (d) a straight	B
11	If $\angle A$ supplements $\angle B$ and $\angle A \equiv \angle B$, then $m(\angle A) = \dots\dots\dots^{\circ}$ (a) 180 (b) 90 (c) 360 (d) 45	B
12	The sum of the measures of two adjacent angles formed by a straight line and a ray with a starting point on this straight line is (a) 90° (b) 180° (c) 270° (d) 360°	B
13	If $\angle A$ and $\angle B$ are supplementary angles and $m(\angle A) = 2m(\angle B)$, then $m(\angle A) = \dots\dots\dots^{\circ}$ (a) 90 (b) 60 (c) 180 (d) 120	D

14	If the ratio between two adjacent supplementary angles is 2 : 3 , then the measure of the smallest angle is° (a) 108 (b) 36 (c) 72 (d) 125	C
15	The sum of measures of the accumulative angles at a point equals (a) 90° (b) 180° (c) 630° (d) 360°	D
16	If $AB = XY$, then \overline{AB} \overline{XY} (a) > (b) \equiv (c) < (d) \neq	B
17	If $\triangle XYZ \cong \triangle LMN$, then $m(\angle Y) = m(\angle \dots\dots\dots)$ (a) L (b) M (c) N (d) X	B
18	If $\overline{AB} \equiv \overline{XY}$, then $AB - XY = \dots\dots\dots$ (a) AB (b) XY (c) 1 (d) zero	D
19	If $\triangle ABC \cong \triangle XYZ$, then $BC = \dots\dots\dots$ (a) YZ (b) XZ (c) XY (d) AC	A
20	If $\triangle ABC \cong \triangle XYZ$ and $m(\angle A) + m(\angle X) = 100^\circ$, then $m(\angle A) = \dots\dots\dots^\circ$ (a) 100 (b) 80 (c) 40 (d) 50	D
21	If $\triangle ABC \cong \triangle XYZ$, $m(\angle A) + m(\angle C) = 110^\circ$, then $m(\angle Y) = \dots\dots\dots^\circ$ (a) 50 (b) 70 (c) 80 (d) 100	B
22	If two straight lines are parallel to a third straight line , then they are (a) perpendicular. (b) intersecting. (c) parallel. (d) congruent.	C
23	The straight line that is perpendicular to one of two parallel lines is to the other. (a) parallel (b) congruent (c) perpendicular (d) equal	C
24	If $\overleftrightarrow{AB} \parallel \overleftrightarrow{XY}$, then $\overleftrightarrow{AB} \cap \overleftrightarrow{XY} = \dots\dots\dots$ (a) {B} (b) \overline{AX} (c) \emptyset (d) {Y}	C
25	If $L_1 \parallel L_2$ and $L_1 \perp L_3$, then (a) $L_1 \perp L_2$ (b) $L_1 \parallel L_3$ (c) $L_2 \parallel L_3$ (d) $L_2 \perp L_3$	D
26	In the opposite figure : $\overleftrightarrow{AB} \cap \overleftrightarrow{CD} = \{C\}$, then $x = \dots\dots\dots^\circ$ (a) 180 (b) 30 (c) 20 (d) 120	C

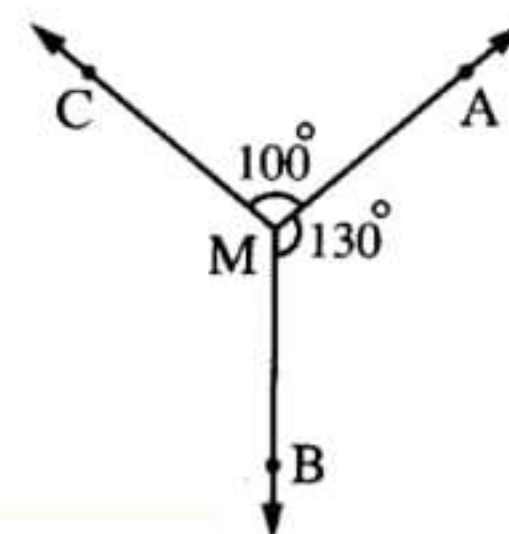


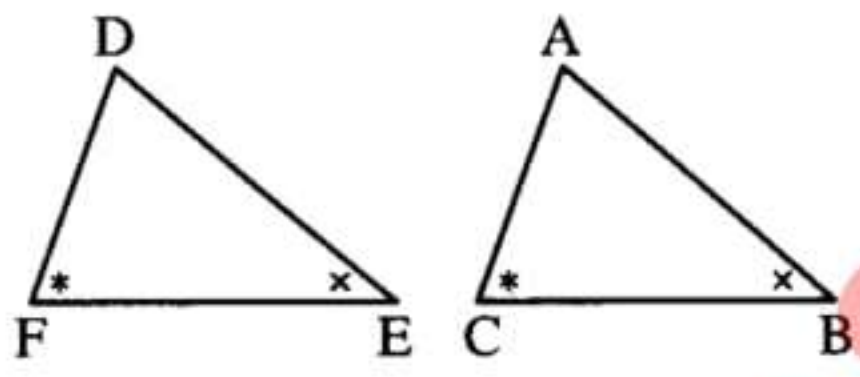
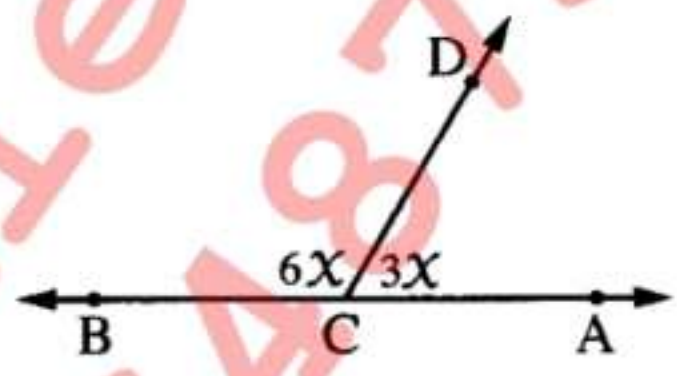
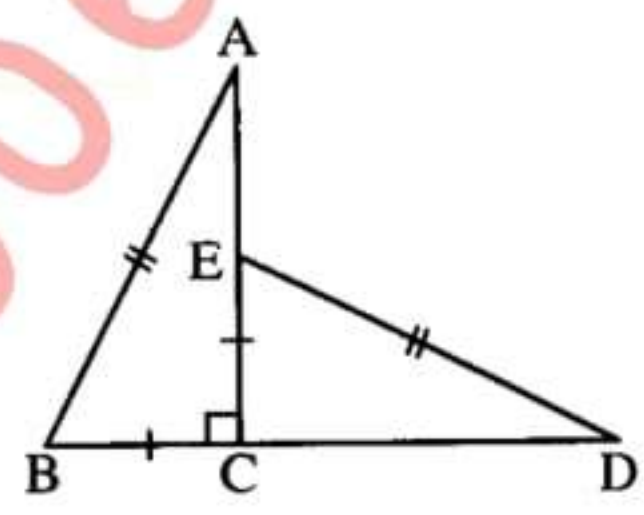
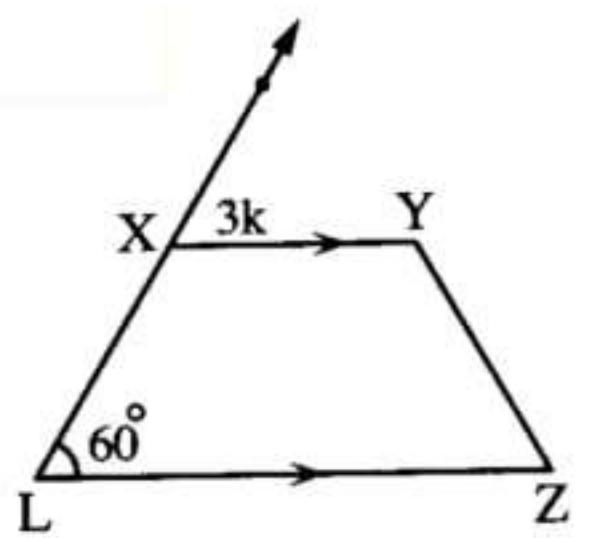
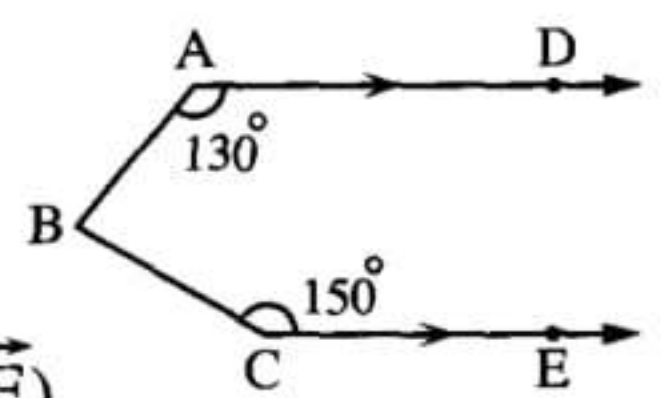
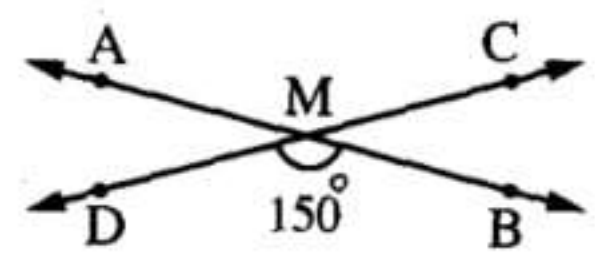
27	<p>In the opposite figure :</p> <p>$m(\angle CMB) = \dots\dots\dots^\circ$</p> <p>(a) 230 (b) 100</p> <p>(c) 130 (d) 30</p>		C
28	<p>In the opposite figure :</p> <p>The necessary condition to make $\triangle ABC \equiv \triangle DEF$ is</p> <p>(a) $AB = DE$ (b) $AC = DF$</p> <p>(c) $BC = EF$ (d) $m(\angle A) = m(\angle D)$</p>		C
29	<p>In the opposite figure : If $\overline{XY} \parallel \overline{LZ}$, then $k = \dots\dots\dots^\circ$</p> <p>(a) 90 (b) 60</p> <p>(c) 30 (d) 20</p>		D
30	<p>In the opposite figure :</p> <p>$\overleftrightarrow{AB} \cap \overleftrightarrow{DC} = \{M\}$, $m(\angle AMC) = \dots\dots\dots^\circ$</p> <p>(a) 30 (b) 210 (c) 150 (d) 60</p>		C
31	<p>The measure of the right angle =</p> <p>(a) 90 (b) 180 (c) 270 (d) 360</p>		A
32	<p>The measure of the straight angle =</p> <p>(a) 90 (b) 180 (c) 360 (d) zero</p>		B
33	<p>The type of the angle of measure $179^\circ 60'$ is angle.</p> <p>(a) acute (b) obtuse (c) straight (d) right</p>		C
34	<p>The angle whose measure is 108° is angle.</p> <p>(a) an acute (b) a right (c) an obtuse (d) a straight</p>		C
35	<p>The angle whose measure is 210° is angle.</p> <p>(a) an acute (b) a right (c) an obtuse (d) a reflex</p>		D
36	<p>If $m(\angle B) = 120^\circ$, then $m(\text{reflex } \angle B) = \dots\dots\dots^\circ$</p> <p>(a) 60 (b) 120 (c) 240 (d) 180</p>		C

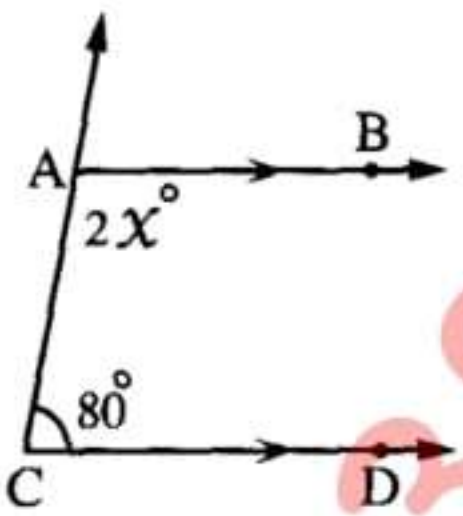
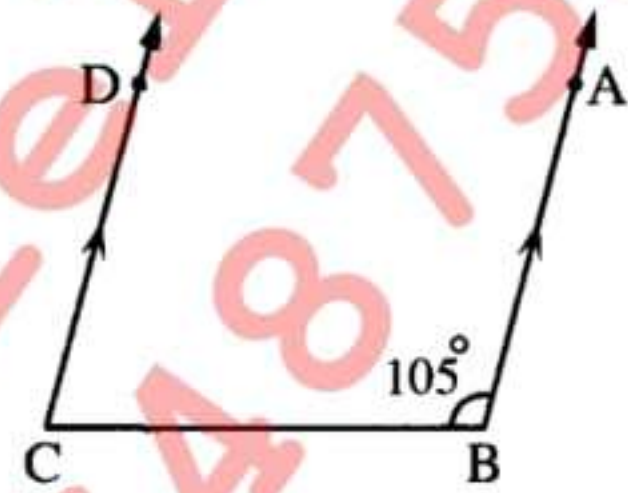
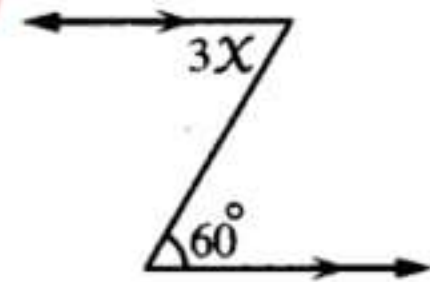
37	$\overline{AB} \dots\dots\dots \overrightarrow{AB}$ (a) \in (b) \notin (c) \subset (d) $\not\subset$	C
38	If $m(\angle A) + m(\angle B) = 90^\circ$, then $\angle A, \angle B$ are angles. (a) complementary (b) supplementary (c) equal (d) adjacent	A
39	The angle of measure 70° complements an angle of measure (a) 90 (b) 20 (c) 180 (d) 110	B
40	If $\angle A$ complements $\angle B$, $m(\angle A) = m(\angle B)$, then $m(\angle A) = \dots\dots\dots$ (a) 90 (b) 180 (c) 45 (d) 60	C
41	The acute angle complements angle. (a) an acute (b) an obtuse (c) a right (d) a reflex	A
42	If the two adjacent angles are complementary, then their outer sides are (a) perpendicular. (b) coincident. (c) on the same straight line. (d) skew.	A
43	The two angles $35^\circ, 55^\circ$ are (a) complementary. (b) supplementary. (c) adjacent. (d) reflex.	A
44	If $m(\angle X) = 2m(\angle Y)$, $\angle X$ and $\angle Y$ are two complementary angles, then $m(\angle Y) = \dots\dots\dots$ (a) 90° (b) 45° (c) 30° (d) 15°	C
45	The supplementary angle of the angle of measure 70° is (a) 30° (b) 110° (c) 20° (d) 290°	B
46	The acute angle supplements angle. (a) an acute (b) an obtuse (c) a right (d) a reflex	B
47	If one of two supplementary angles is right, then the other is angle. (a) an acute (b) a right (c) an obtuse (d) a straight	B
48	The obtuse angle supplements angle. (a) an acute (b) an obtuse (c) a right (d) a reflex	A

49	If $\angle A$ supplements $\angle B$ and $\angle A \equiv \angle B$, then $m(\angle A) = \dots\dots\dots^\circ$ (a) 180 (b) 90 (c) 360 (d) 45	B
50	The sum of the measures of two adjacent angles formed by a straight line and a ray with a starting point on this straight line is (a) 90° (b) 180° (c) 270° (d) 360°	B
51	If $\angle A$ and $\angle B$ are supplementary angles and $m(\angle A) = 2m(\angle B)$, then $m(\angle A) = \dots\dots\dots^\circ$ (a) 90 (b) 60 (c) 180 (d) 120	D
52	If the ratio between two adjacent supplementary angles is 2 : 3, then the measure of the smallest angle is (a) 108 (b) 36 (c) 72 (d) 125	C
53	If $\angle A \equiv \angle B$, $\angle A$ and $\angle B$ are two supplementary angles, then $\frac{1}{3}m(\angle A) = \dots\dots\dots$ (a) 15° (b) 30° (c) 40° (d) 60°	B
54	The sum of measures of the accumulative angles at a point equals (a) 90° (b) 180° (c) 630° (d) 360°	D
55	If $AB = XY$, then $\overline{AB} \dots\dots\dots \overline{XY}$ (a) $>$ (b) \equiv (c) $<$ (d) \neq	B
56	In $\triangle ABC$, if $m(\angle A) = 30^\circ$, $m(\angle B) = 90^\circ$, then $m(\angle C) = \dots\dots\dots$ (a) 60° (b) 30° (c) 45° (d) 90°	A
57	If $\triangle XYZ \equiv \triangle LMN$, then $m(\angle Y) = m(\angle \dots\dots\dots)$ (a) L (b) M (c) N (d) X	B
58	If $\triangle ABC \equiv \triangle XYZ$ and $m(\angle C) = 50^\circ$, then $m(\angle \dots\dots\dots) = 50^\circ$ (a) X (b) Y (c) Z (d) M	C
59	If $\overline{AB} \equiv \overline{XY}$, then $AB - XY = \dots\dots\dots$ (a) AB (b) XY (c) 1 (d) zero	D

60	If $\triangle ABC \equiv \triangle XYZ$, then $BC = \dots\dots\dots$ (a) YZ (b) XZ (c) XY (d) AC	A
61	If $\triangle ABC \equiv \triangle MNO$, $m(\angle M) = 40^\circ$ and $m(\angle C) = 60^\circ$, then $m(\angle B) = \dots\dots\dots^\circ$ (a) 40 (b) 80 (c) 60 (d) 100	B
62	If $\triangle ABC \equiv \triangle XYZ$ and $m(\angle A) + m(\angle X) = 100^\circ$, then $m(\angle A) = \dots\dots\dots^\circ$ (a) 100 (b) 80 (c) 40 (d) 50	D
63	If $\triangle ABC \equiv \triangle XYZ$, $m(\angle A) + m(\angle C) = 110^\circ$, then $m(\angle Y) = \dots\dots\dots^\circ$ (a) 50 (b) 70 (c) 80 (d) 100	B
64	If two straight lines are parallel to a third straight line , then they are (a) perpendicular. (b) intersecting. (c) parallel. (d) congruent.	C
65	If parallel straight lines divide a straight line into segments of equal lengths , then they divide any other straight line into segments of lengths. (a) parallel (b) not equal (c) equal (d) perpendicular	C
66	The straight line that is perpendicular to one of two parallel lines is to the other. (a) parallel (b) congruent (c) perpendicular (d) equal	C
67	If $\overleftrightarrow{AB} \parallel \overleftrightarrow{XY}$, then $\overleftrightarrow{AB} \cap \overleftrightarrow{XY} = \dots\dots\dots$ (a) $\{B\}$ (b) \overline{AX} (c) \emptyset (d) $\{Y\}$	C
68	If $L_1 \parallel L_2$ and $L_1 \perp L_3$, then (a) $L_1 \perp L_2$ (b) $L_1 \parallel L_3$ (c) $L_2 \parallel L_3$ (d) $L_2 \perp L_3$	D
69	In the opposite figure : $m(\angle CMB) = \dots\dots\dots^\circ$ (a) 230 (b) 100 (c) 130 (d) 30	C



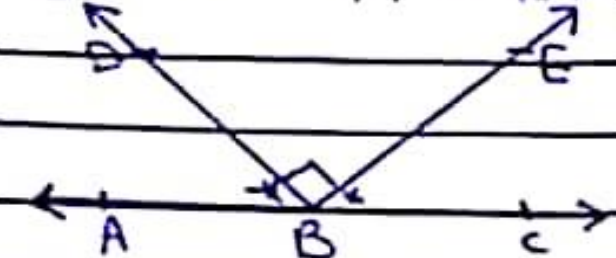
70	<p>In the opposite figure :</p> <p>The necessary condition to make $\triangle ABC \equiv \triangle DEF$ is</p> <p>(a) $AB = DE$ (b) $AC = DF$ (c) $BC = EF$ (d) $m(\angle A) = m(\angle D)$</p>		C
71	<p>In the opposite figure :</p> <p>$\overleftrightarrow{AB} \cap \overleftrightarrow{CD} = \{C\}$, then $x = \dots\dots\dots^\circ$</p> <p>(a) 180 (b) 30 (c) 20 (d) 120</p>		C
72	<p>In the opposite figure :</p> <p>If $AB = DE$, $BC = EC$, $\overline{AC} \perp \overline{BD}$, then $m(\angle A) = \dots\dots\dots$</p> <p>(a) $m(\angle B)$ (b) $m(\angle D)$ (c) $m(\angle DEC)$ (d) $m(\angle ACD)$</p>		B
73	<p>In the opposite figure : If $\overline{XY} \parallel \overline{LZ}$, then $k = \dots\dots\dots^\circ$</p> <p>(a) 90 (b) 60 (c) 30 (d) 20</p>		D
74	<p>In the opposite figure :</p> <p>$\overline{AD} \parallel \overline{CE}$, $m(\angle B) = \dots\dots\dots^\circ$ (Hint : Draw a line passing through B and parallel to \overline{AD} and \overline{CE})</p> <p>(a) 70 (b) 80 (c) 90 (d) 100</p>		B
75	<p>In the opposite figure :</p> <p>$\overleftrightarrow{AB} \cap \overleftrightarrow{DC} = \{M\}$, $m(\angle AMC) = \dots\dots\dots^\circ$</p> <p>(a) 30 (b) 210 (c) 150 (d) 60</p>		C

76	<p>In the opposite figure :</p> <p>$x = \dots\dots\dots^\circ$</p> <p>(a) 40 (b) 80 (c) 50 (d) 100</p>		C
77	<p>In the opposite figure :</p> <p>$m(\angle C) = \dots\dots\dots$</p> <p>(a) 105° (b) 75° (c) 45° (d) 90°</p>		B
78	<p>In the opposite figure : $x = \dots\dots\dots^\circ$</p> <p>(a) 20 (b) 30 (c) 40 (d) 120</p>		A

Final revision in Geometry

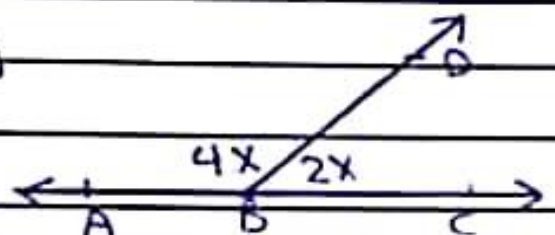
Prep (1)

1) in the opposite figure



$$m(\widehat{EBC}) = 180 - 90 \\ = 90^\circ$$

2)



find the value of x

Sol

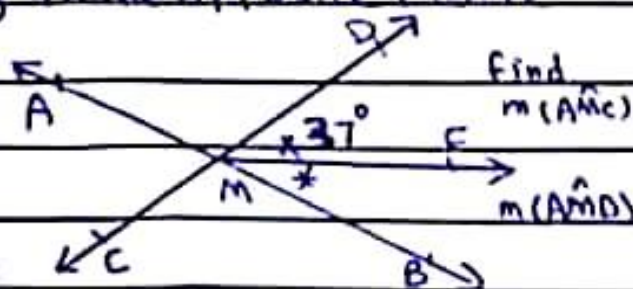
$$m(\widehat{ABC}) = 180 \text{ straight angle}$$

$$2x + 4x = 180$$

$$6x = 180$$

$$x = 30$$

3) in the opposite figure



find $m(\widehat{AMC})$

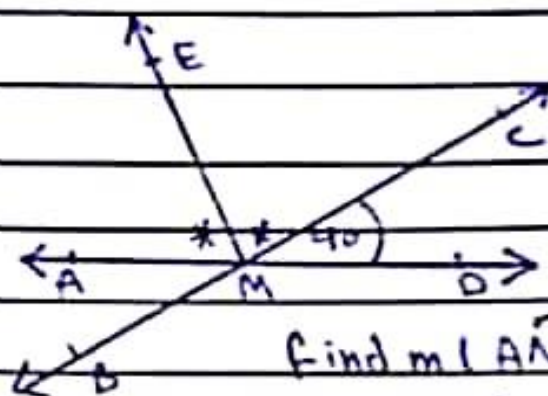
$m(\widehat{AMD})$

Sol $m(\widehat{AMC}) = m(\widehat{CMD})$
 $= 37^\circ + 37^\circ = 74^\circ$

(v.o.A)

$$m(\widehat{AMD}) = 180 - 74 = 106$$

4) in the opposite figure



find $m(\widehat{AMB})$

$m(\widehat{AME})$

$m(\widehat{BMD})$

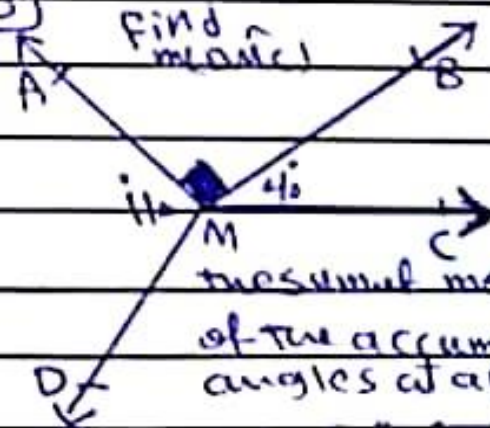
Sol $m(\widehat{AMB}) = m(\widehat{CMD}) = 40^\circ$
 (v.o.A)

$$m(\widehat{AME}) = \frac{180 - 40}{2} = 70$$

$$m(\widehat{BMD}) = m(\widehat{AMC}) = 70 + 70 \\ = 140^\circ$$

(v.o.A)

5)

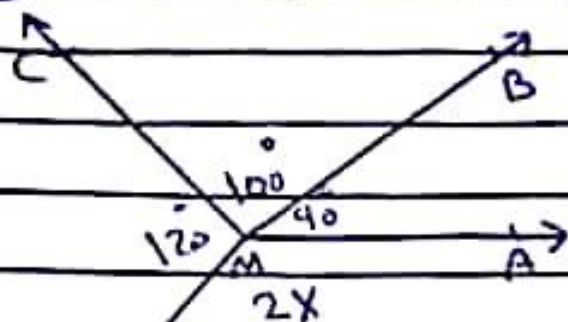


find $m(\widehat{AMC})$

the sum of the accumulated angles at a point = 360

$$m(\widehat{DMC}) = 360 - (40 + 90 + 110) \\ = 120$$

6] in the opposite figure



Find the value of x

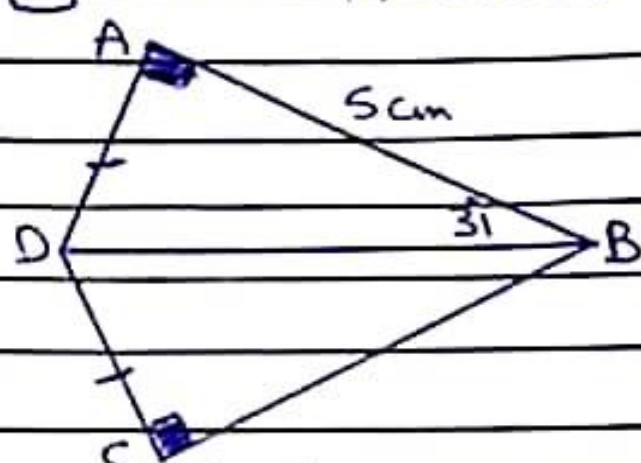
$$m(\hat{A}) = m(\hat{C}) = 70^\circ$$

$$m(\hat{AOD}) = m(\hat{CON}) = 30^\circ$$

$$m(\hat{AON}) = m(\hat{CON}) = 180 - (70 + 30) = 80^\circ$$

$$m(\hat{ABC}) = 80^\circ + 80^\circ - 160^\circ$$

8] in the opposite figure



prove that

(1) $\triangle ABD \equiv \triangle CBD$

(2) Find $m(\hat{BDC})$

(3) length of \overline{BC}

Sol $\triangle ABD, \triangle CBD$

(1) $m(\hat{A}) = m(\hat{C}) = 90^\circ$

(2) $DA = DC$

(3) \overline{DB} is a common side

$$\triangle ABD \equiv \triangle CBD$$

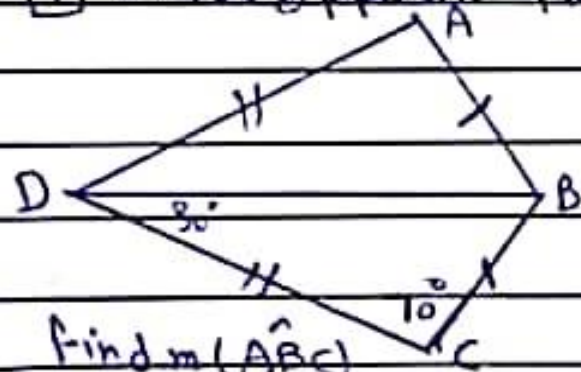
and consequently

$$m(\hat{DBC}) = m(\hat{DBA}) = 31^\circ$$

$$m(\hat{BDC}) = 180 - (31^\circ + 90^\circ) = 59^\circ$$

$$BC = BA = 5 \text{ cm}$$

7] in the opposite figure



Find $m(\hat{ABC})$

Sol $\triangle ABD, \triangle CBD$

(1) $DA = DC$

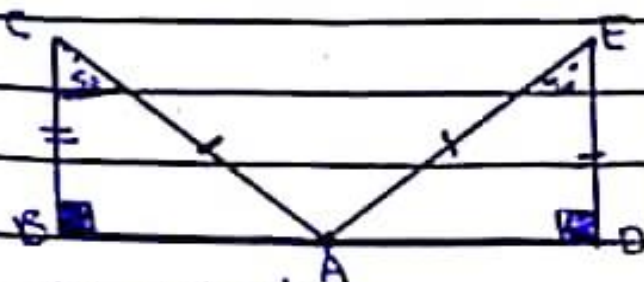
(2) $BA = BC$

(3) \overline{DB} is a common side

$$\triangle ABD \equiv \triangle CBD$$

and consequently

12) In the opposite figure



Prove that

$$\triangle CBA \cong \triangle EDA$$

Find $m(\angle EAD)$

(Sol) $CA = EA$

$$CB = ED$$

$$m(\hat{C}) = m(\hat{E}) = 50^\circ$$

(R.H.S)

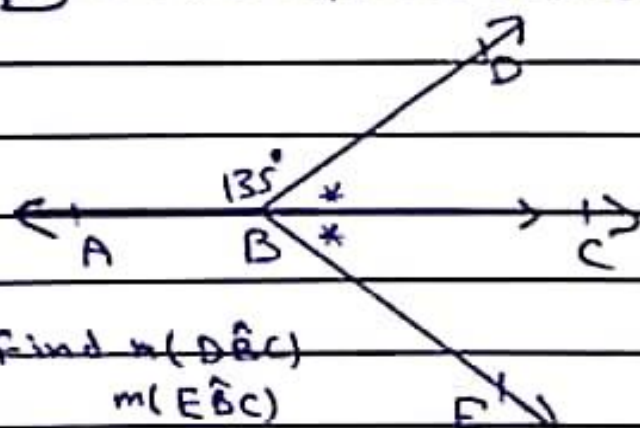
$$\triangle CBA \cong \triangle EDA$$

and consequently

$$m(\hat{E}) = m(\hat{C}) = 50^\circ$$

$$m(\angle EAD) = 180^\circ - (50^\circ + 90^\circ) = 40^\circ$$

13) In the opposite figure



Find $m(\angle DBC)$

$m(\angle EBC)$

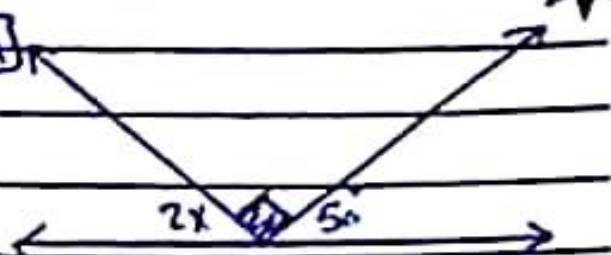
(Sol) $m(\angle ABE)$

$$m(\angle DBC) = 180^\circ - 135^\circ - 45^\circ$$

$$m(\angle EBC) = m(\angle DBC) = 45^\circ$$

$$m(\angle ABE) = 360^\circ - (135^\circ + 45^\circ + 45^\circ) = 135^\circ$$

14)



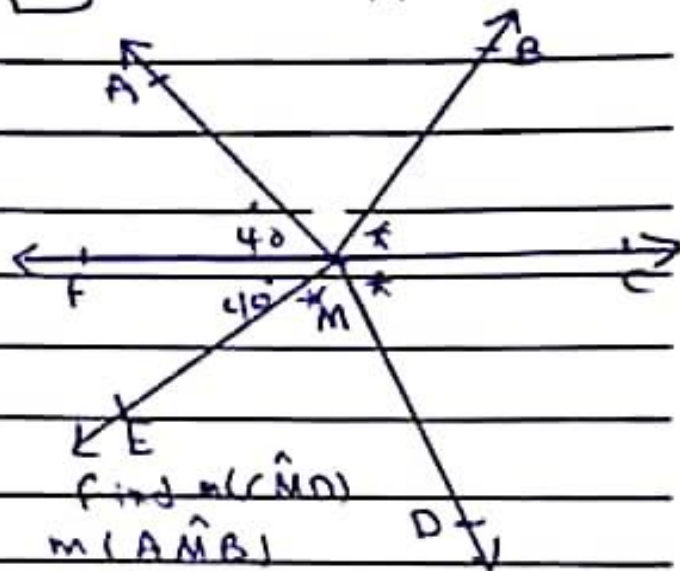
(Sol) Find x

$$2x + 180^\circ = (90^\circ + 50^\circ) + 40^\circ$$

$$2x = 40^\circ \quad (\div 2)$$

$$x = \frac{40^\circ}{2} = 20^\circ$$

15) In the opposite figure



Find $m(\angle CMD)$

$$m(\angle AMB)$$

\therefore are A, M, D on the same straight line

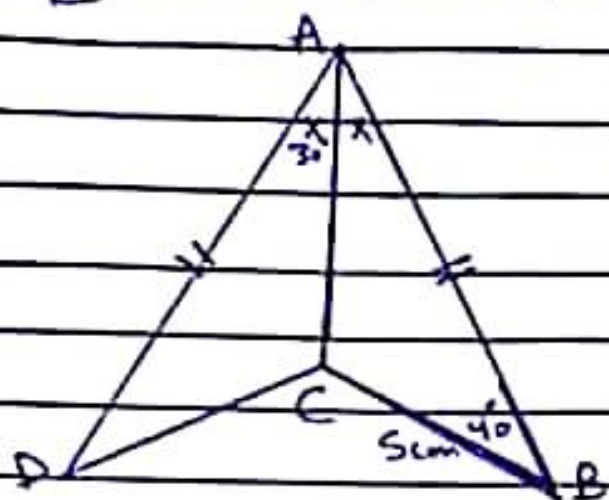
$$(Sol) m(\angle CMD) = 180^\circ - 40^\circ = 140^\circ$$

$$m(\angle BMA) = 360^\circ - (70^\circ + 70^\circ + 70^\circ + 40^\circ) = 70^\circ$$

$$m(\angle AMD) = 70^\circ + 70^\circ + 70^\circ = 210^\circ$$

A, M and D are not on the same straight line

Q In the opposite figure



Prove that

(i) $\triangle BAC \equiv \triangle DAC$

Find (ii) $m(\hat{D})$

(iii) Find length of CD

Sol $\triangle BAC, \triangle DAC$

$$AB = AD$$

$$m(\hat{DAC}) = m(\hat{BAC})$$

\overline{AC} is a common side

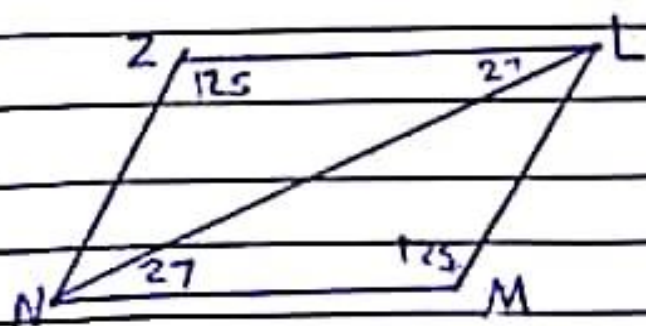
$$\triangle BAC \equiv \triangle DAC$$

and consequently

$$m(\hat{D}) = m(\hat{B}) = 40^\circ$$

$$CD = CB = 5 \text{ cm}$$

Q In the opposite figure



Prove $\triangle LMN \equiv \triangle LNZ$

Then find $m(\hat{N})$

Sol

$$m(\hat{MLN}) = 180^\circ - (125^\circ + 27^\circ)$$

$$m(\hat{MLN}) = 180^\circ - (125^\circ + 27^\circ) = 28^\circ$$

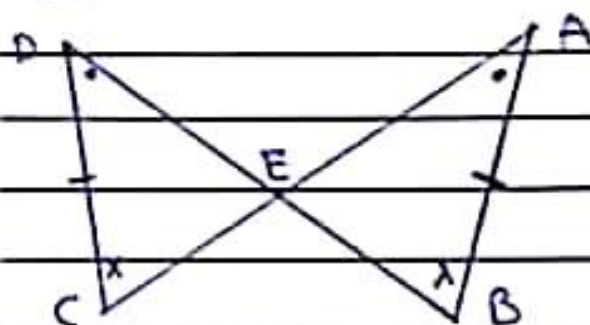
$$m(\hat{ZLN}) = m(\hat{MLN}) = 27^\circ$$

$$m(\hat{ZLN}) = m(\hat{MLN}) = 28^\circ$$

\overline{LN} is a common side

$$\triangle LMN \equiv \triangle LNZ$$

Q In the opposite figure



$$\triangle ABE \equiv \triangle DCE$$

Sol $m(\hat{A}) = m(\hat{D})$

$$m(\hat{B}) = m(\hat{C})$$

$$AB = DC$$

$$\triangle ABE \equiv \triangle DCE$$

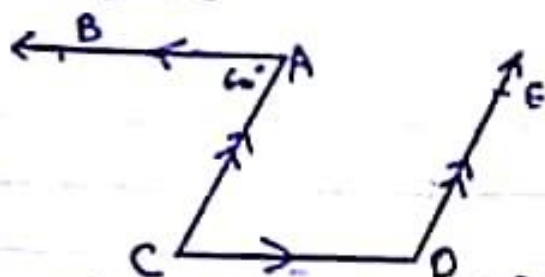
and consequently

$$AE = DE$$

$$BE = CE$$

$$m(\hat{AEB}) = m(\hat{DEC})$$

16 in the opposite figure



$\vec{AB} \parallel \vec{CD}$, $\vec{CA} \parallel \vec{DE}$

find $m(\hat{C})$, $m(\hat{D})$

(Sol)

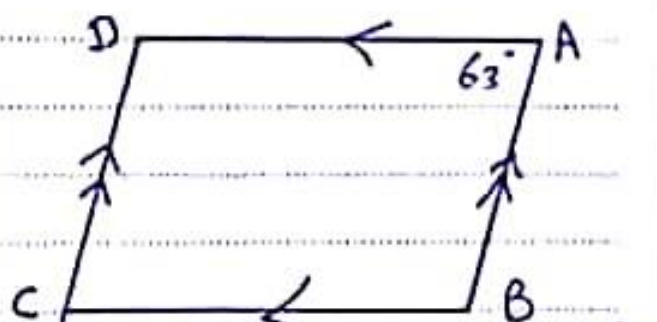
$$m(\hat{C}) = m(\hat{A}) = 60^\circ$$

alternate

$$m(\hat{D}) = 180^\circ - 60^\circ = 120^\circ$$

two interior angle in the same side of transversal

17 in the opposite figure



$\vec{AD} \parallel \vec{BC}$, $\vec{AB} \parallel \vec{DC}$

find $m(\hat{BCE})$

(Sol)

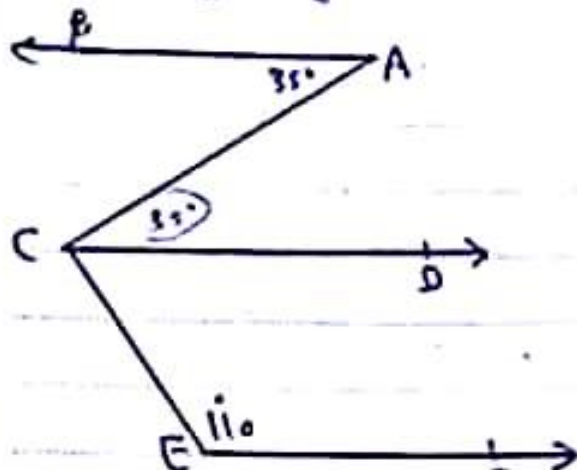
$$m(\hat{D}) = 180^\circ - 63^\circ = 117^\circ$$

two interior angle in the same side of transversal

$$m(\hat{BCE}) = m(\hat{D}) = 117^\circ$$

corresponding

18 In the opposite figure



$\vec{AB} \parallel \vec{CD} \parallel \vec{EF}$

find $m(\hat{ACE})$

(Sol) $m(\hat{ACD}) = m(\hat{A}) = 35^\circ$

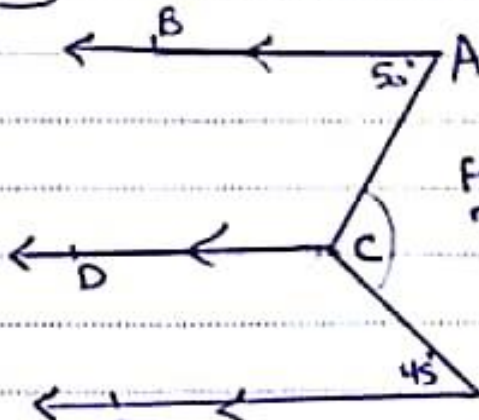
alternate

$$m(\hat{DCE}) = 180^\circ - 110^\circ = 70^\circ$$

two interior angle in the same side of transversal

$$m(\hat{ACE}) = 35^\circ + 70^\circ = 105^\circ$$

19 in the opposite figure



find $m(\hat{ACE})$

(Sol) $m(\hat{ACD}) = 180^\circ - 50^\circ = 130^\circ$

two interior angle

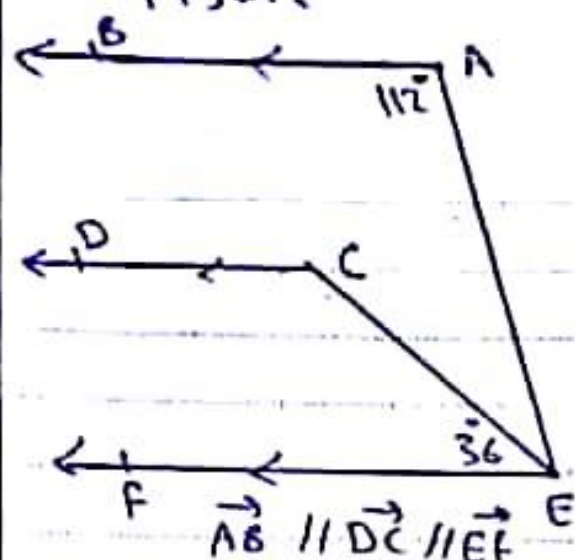
in the same side of transversal

$$m(\hat{DCE}) = 180^\circ - 45^\circ = 135^\circ$$

two interior

$$m(\hat{ACE}) = 130^\circ + 135^\circ = 265^\circ$$

[20] in the opposite figure



find $m(\hat{C})$,
 $m(\hat{AEC})$

Sol $m(\hat{C}) = 180^\circ - 36^\circ = 144^\circ$

Two interior angle in the same side of transversal

$m(\hat{AEF}) = 180^\circ - 112^\circ$

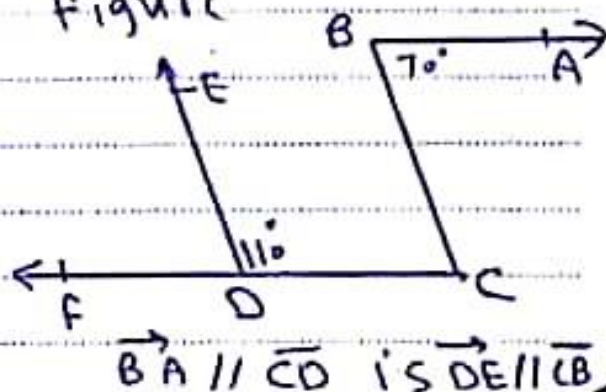
$= 68^\circ$ Two

interior angles in the

same side of transversal

$m(\hat{AEC}) = 68^\circ - 36^\circ = 32^\circ$

[21] in the opposite figure



$BA \parallel CD$ is $DE \parallel CB$

Sol $m(\hat{C}) = m(\hat{B}) = 70^\circ$
alternate

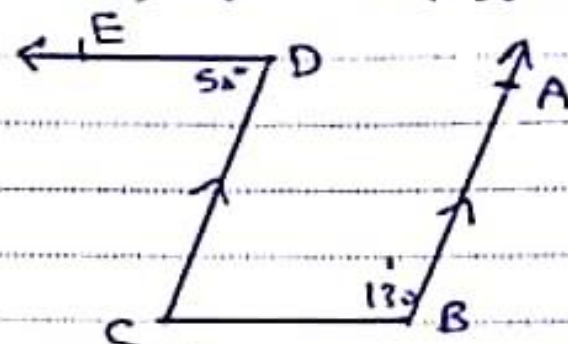
$m(\hat{C}) + m(\hat{CDE})$

$= 70 + 110 = 180^\circ$

Two interior angle in the same side of transversal

$DE \parallel CB$

[22] in the opposite figure $BA \parallel CD$



is $DE \parallel CB$

Sol

$m(\hat{C}) = 180^\circ - 130^\circ = 50^\circ$

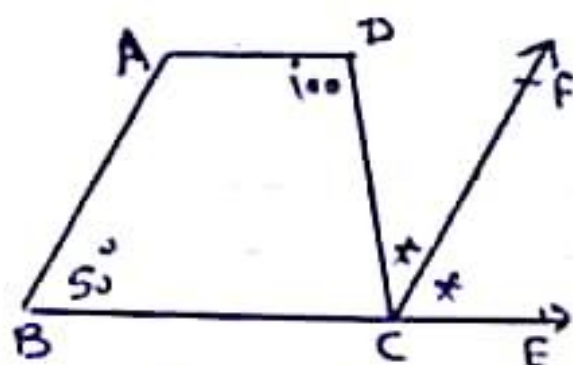
Two interior angle in the same side of trans

$m(\hat{D}) = m(\hat{C}) = 50^\circ$

alternate position

$DE \parallel CB$

23 In the opposite figure



$\vec{AD} \parallel \vec{BC}$ is
 $\vec{CF} \parallel \vec{BA}$

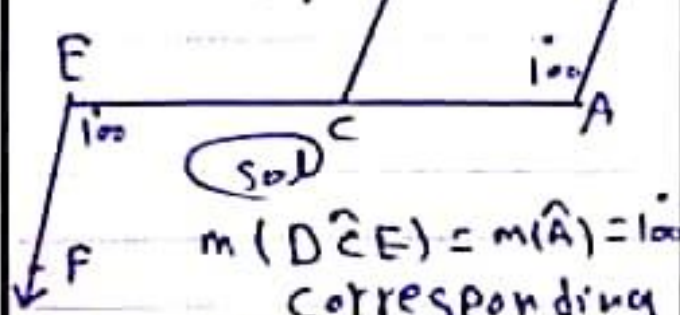
(Sol) $m(\widehat{DCE}) = m(\widehat{A}) = 100^\circ$
 alternate

$$m(\widehat{FCE}) = \frac{100}{2} = 50^\circ$$

$m(\widehat{FCE}) = m(\widehat{B}) = 50^\circ$
 corresponding
 $\vec{CF} \parallel \vec{BA}$

24 In the opposite figure

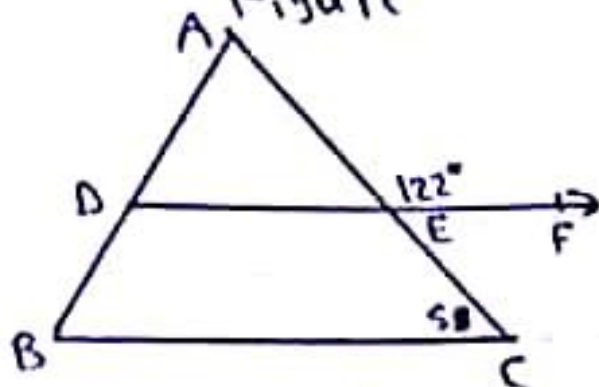
$\vec{AB} \parallel \vec{CD}$
 is $\vec{CB} \parallel \vec{EF}$?



(Sol) $m(\widehat{DCE}) = m(\widehat{A}) = 100^\circ$
 corresponding
 $m(\widehat{DCE}) = m(\widehat{E}) = 100^\circ$
 alternate

$\vec{CB} \parallel \vec{EF}$

25 In the opposite figure

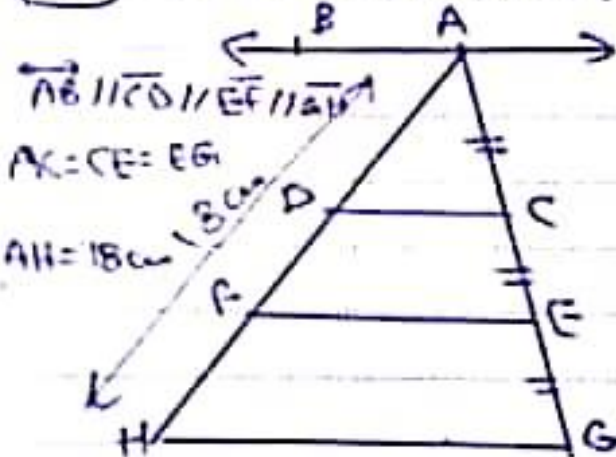


is $\vec{DE} \parallel \vec{BC}$

(Sol) $m(\widehat{AED}) = 180^\circ - 122^\circ$
 $= 58^\circ$

$m(\widehat{AED}) = m(\widehat{C}) = 58^\circ$
 corresponding
 $\vec{DE} \parallel \vec{BC}$

26 In the opposite fig



Find the length of AF

(Sol) $\vec{AB} \parallel \vec{CD} \parallel \vec{EF} \parallel \vec{GH}$

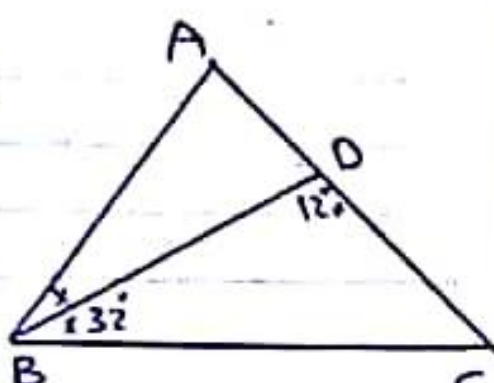
$AC = CE = EG$

$$AD = DF = FH = \frac{18}{3} = 6 \text{ cm}$$

$$AF = 6 + 6 = 12 \text{ cm}$$

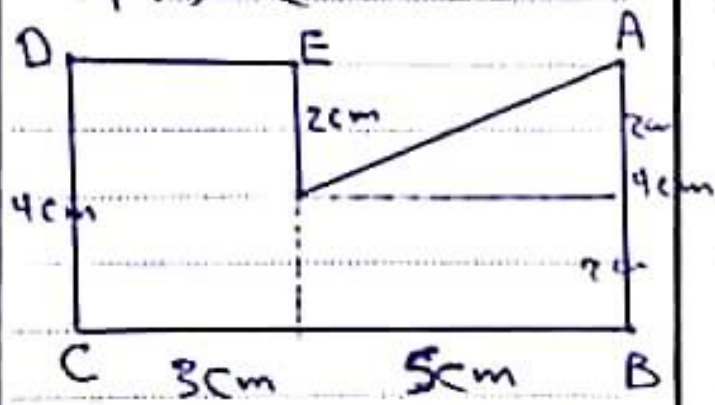
27 in the opposite figure

Find $m(\hat{A})$



Sol $m(\hat{ADC}) = 180^\circ - 120^\circ = 60^\circ$
 $m(\hat{ADB}) = m(\hat{BDC}) = 32^\circ$
 in $\triangle ADB$
 $m(\hat{A}) = 180^\circ - (32^\circ + 60^\circ) = 88^\circ$

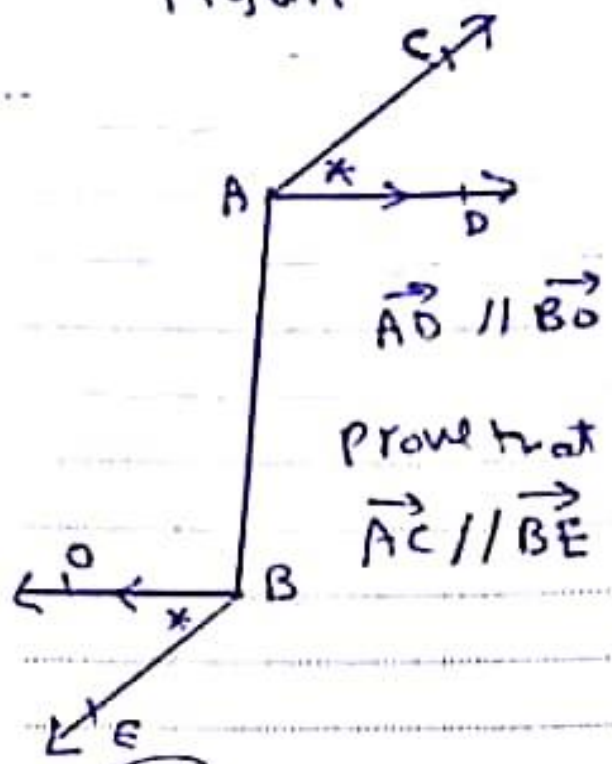
28 in the opposite figure



Find the area of the figure

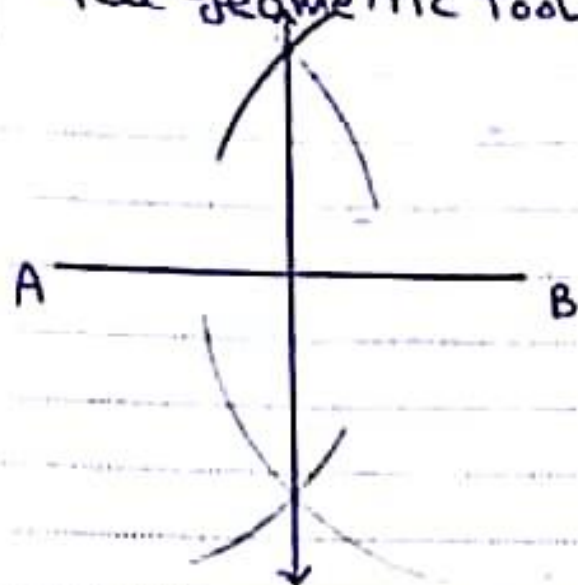
Sol Area = $\square + \square + \triangle$
 $= 3 \times 4 + 5 \times 2 + \frac{1}{2} \times 5 \times 2$
 $= 12 + 10 + 5 = 27 \text{ cm}^2$

29 In the opposite figure

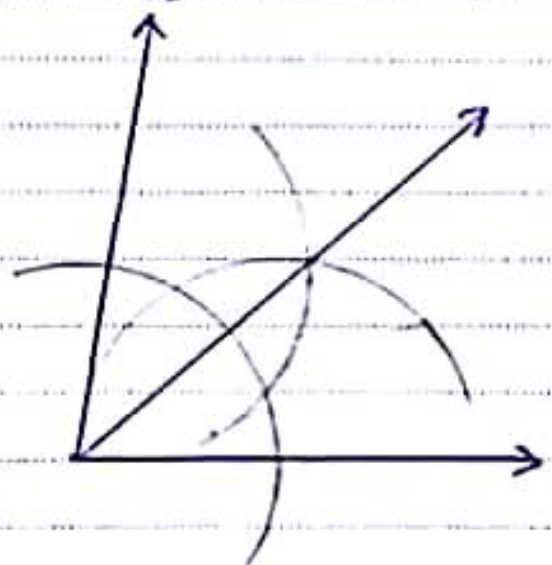


Sol $m(\hat{CAD}) = m(\hat{EBA})$
 $m(\hat{DAB}) = m(\hat{OBA})$
 alternate
 by adding
 $m(\hat{CAO}) + m(\hat{BAD}) = m(\hat{EBO}) + m(\hat{OBA})$
 $m(\hat{CAB}) = m(\hat{EBA})$
 alternate
 $\vec{AC} \parallel \vec{BE}$

- ① Draw $AB = 6\text{ cm}$
Then bisect it using
the geometric tools



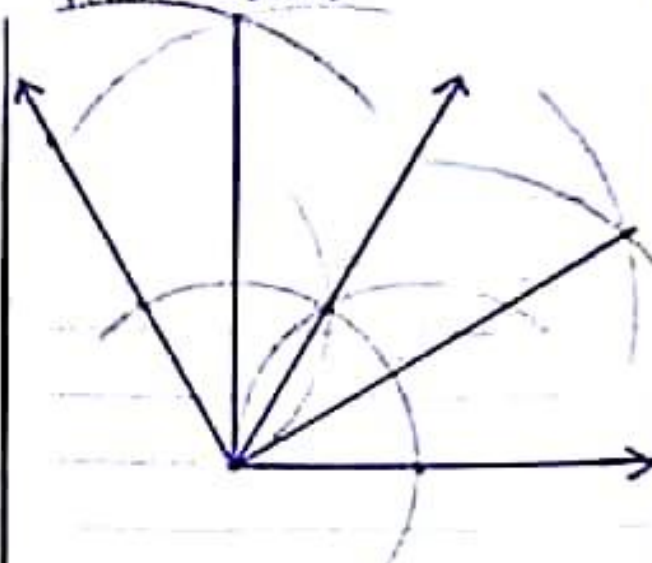
- ② Draw an angle of
measure 80° then bisect
it using the geometric
tools



- ③ Draw an angle of
measure 120° then divide
it into four angles equal

9

in measure



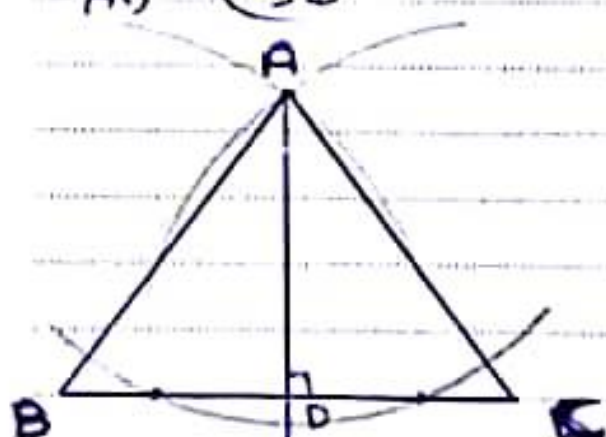
- ④ Draw $\triangle ABC$ where
 $AB = AC = 5\text{ cm}$
 $BC = 6\text{ cm}$ Draw

$\overline{AD} \perp \overline{BC}$

$\overline{AD} \cap \overline{BC} = \{D\}$

find the length

\overline{AD} (sol)



$AD = 4\text{ cm}$

Final revision

in maths prep(1)
(Geometry)

[1] the angle is union of two rays have the same starting point

[2] the sum of measures of two complementary angles $= 90^\circ$

[3] the sum of measures of two supplementary angles $= 180^\circ$

[3] the measure of the straight angle $= 180^\circ$ and the measure of the right angle $= 90^\circ$

[4] the two adjacent angles formed by a straight line and a ray with a starting point on this straight line are supplementary

[5] the two outer sides of the two supplementary adjacent angles are on the same straight line

[6] if the two adjacent angles are not supplementary then their outer sides are not on the same straight line

[7] if the two adjacent angles are complementary then their outer sides are perpendicular

[8] the sum of measures of the accumulative angles at a point $= 360^\circ$
(or) 4 right angles

[9] the two adjacent angles in which the two outer sides are on the same straight line are supplementary

10] If two straight lines intersect, then each two vertically opposite angles are equal in measure

11] The acute angle is supplemented by an obtuse angle

12] The right angle is supplemented by a right angle

13] The two bisectors of two adjacent supplementary angles are perpendicular

14] The bisector of an angle is a ray that divides the angle into two angles equal in measure

15] Two line segments are congruent if they are equal in length

16] Two angles are congruent if they are equal in measure

17] Two polygons of the same number of sides are congruent if

(1) all corresponding sides are equal in length

(2) all corresponding angles are equal in measure

18] Two triangles are congruent

(a) if two sides and the included angle of the first

triangle are congruent to their corresponding in the other triangle

(b) if two angles and the included side in the first triangle are congruent to their corresponding in the other triangle

(c) if each side of the first triangle is congruent to its corresponding in the other triangle

(d) Two right-angled triangles are congruent if a hypotenuse and a side of the right angle are congruent to their corresponding

(18) if a straight line intersect two parallel straight line then

(a) each two alternate angles are equal in measure

(b) each two corresponding angles are equal in measure

(c) each two interior angles in the same side of transversal are supplementary

(20) if a straight line intersect two straight lines and two alternate angles are equal in measure then two straight lines are parallel

(21) if a straight line intersect two straight lines and two corresponding angles are equal in measure then the two straight lines are parallel

(22) if a straight line intersect two straight lines and

two interior angles in the same side of transversal are supplementary then the two straight lines are parallel

(23) each straight line is parallel to itself

(24) the two straight lines parallel to a third straight line are parallel

(25) the two straight lines perpendicular to a third straight line are parallel

(26) if a straight line intersect one of two parallel straight line it intersects the other

(27) if a straight line is perpendicular to one of two parallel straight lines it is perpendicular to the other

[28] If a parallel straight lines divide a straight line into segments of equal lengths then they divide any other straight line into segments equal in length.

[29] The supplements of one angle are equal in measure

[30] The complements of one angle are equal in measure

[31] The complement of the acute angle is an acute angle and its supplement is obtuse

[32] The complement of zero angle is right angle and its supplement is a straight angle

[33] The axis of symmetry of a line segment is: a straight line perpendicular to it from its midpoint

With my
best wishes
Mr/Hassan
Salama